WEBVTT

- 1 00:00:03.580 --> 00:00:06.090 Right, so I think while we're waiting,
- 2 00:00:06.090 --> 00:00:09.473 I'll just give a very brief introduction about Jingshu.
- 3 00:00:10.520 --> 00:00:14.200 Jingshu is an Assistant Professor from the Stats Department
- 4 00:00:14.200 --> 00:00:16.850 at University of Chicago.
- $5~00{:}00{:}16.850 \dashrightarrow 00{:}00{:}21.650$ And today she's going to present some very exciting work
- $6~00:00:21.650 \longrightarrow 00:00:25.233$ on trajectory inference for the single cell data.
- 7 00:00:26.700 \rightarrow 00:00:28.893 I'm very excited to hear about her work.
- $8~00:00:30.990 \longrightarrow 00:00:31.823~I~think...$
- 9~00:00:33.500 --> 00:00:35.230 Lets wait for two minutes
- $10\ 00:00:35.230 --> 00:00:39.720$ and then we'll start with Jingshu's work.
- $11\ 00:00:39.720 --> 00:00:43.747$ So if you have any other related questions about Jingshu
- $12\ 00:00:44.590 \longrightarrow 00:00:48.320$ before the talk start, you're free to ask as well.
- 13 00:00:48.320 --> 00:00:50.730 (chuckles)
- $14\ 00:00:50.730 --> 00:00:53.050$ Hi Lynn. Can you make me a co-host.
- $15\ 00:00:53.050 \longrightarrow 00:00:56.423$ Oh right. Thanks for reminding me.
- $16\ 00:00:58.260 \longrightarrow 00:00:59.093$ Let me see.
- $17\ 00:01:13.858 \longrightarrow 00:01:16.191$ So one more minute to start.
- 18 00:01:41.502 --> 00:01:43.150 So you can see my screen, right?
- 19 00:01:43.150 --> 00:01:46.593 Yes. I can see your screen. Looks good to me.
- 20 00:01:47.680 --> 00:01:50.333 Maybe I'll hand it over to you now Jingshu I think
- $21\ 00:01:52.227 --> 00:01:54.193$ if (indistinct) late I think,
- $22\ 00{:}01{:}55.810 \dashrightarrow 00{:}01{:}58.160$ they can ask questions if you miss any details.
- 23 00:01:59.340 --> 00:02:01.380 Yes. Okay.
- 24 00:02:01.380 --> 00:02:03.900 So thanks everyone for coming
- $25\ 00:02:03.900 \longrightarrow 00:02:07.523$ and settling for the introduction invitation.

- 26~00:02:08.410 --> 00:02:12.690 Today I will talk about the Single-Cell RNA Sequencing Data
- $27\ 00:02:12.690 \longrightarrow 00:02:15.610$ and how we can learn the cell dynamics
- 28 00:02:15.610 --> 00:02:18.433 from the single-cell RNA sequencing.
- $29\ 00{:}02{:}23.110 \longrightarrow 00{:}02{:}26.240$ So the single-cell RNA sequencing is a relatively,
- 30 00:02:26.240 --> 00:02:29.840 is a newly development, newly-developed
- 31 00:02:29.840 --> 00:02:32.800 but also relatively mature technology
- $32\ 00{:}02{:}32.800 \dashrightarrow 00{:}02{:}37.800$ for measuring the RNA expression levels in the cells.
- $33\ 00:02:37.890 \dashrightarrow 00:02:42.890$ And the traditional microarrays or bulk RNA sequencing
- $34\ 00:02:43.300 \longrightarrow 00:02:45.250$ matches the gene expressions
- $35\ 00:02:45.250 \longrightarrow 00:02:49.150$ as the average across all cells in a tissue.
- $36\ 00:02:49.150 --> 00:02:53.560$ However, a cell is made of many cells and, Oh, sorry.
- $37\ 00:02:53.560 \longrightarrow 00:02:55.680$ A tissue is made of many cells
- $38\ 00:02:55.680 --> 00:02:58.940$ and the cell population is typically not homogenous
- $39\ 00:02:59.830 \longrightarrow 00:03:02.050$ and the cells can have different functions
- $40\ 00:03:02.050 \longrightarrow 00:03:03.810$ and different cell types.
- 41 00:03:03.810 --> 00:03:08.010 So in contrast, in single-cell RNA sequencing,
- $42\ 00:03:08.010 \longrightarrow 00:03:11.570$ we have measured the transcriptional profile
- $43\ 00:03:11.570 \longrightarrow 00:03:13.960$ in each individual cell.
- $44\ 00:03:13.960 \longrightarrow 00:03:16.130$ So we can expand this vector
- $45~00:03:16.130 \longrightarrow 00:03:19.410$ of gene expressions for a tissue to a matrix
- $46\ 00:03:19.410 \longrightarrow 00:03:23.490$ of the gene inspections in the cells.
- $47~00:03:23.490 \longrightarrow 00:03:26.310$ And each entry is a mattered RNA count
- $48\ 00:03:27.520 \longrightarrow 00:03:31.060$ for a particular gene or a particular cell.
- 49 00:03:31.060 --> 00:03:31.893 So that's...
- $50\ 00:03:31.893 \longrightarrow 00:03:34.360$ So the benefit is that we have no,
- 51~00:03:34.360 --> 00:03:38.550 we have a more detailed understanding of what is going on

- $52\ 00:03:39.610 \longrightarrow 00:03:41.030$ in the tissue.
- 53 00:03:41.030 --> 00:03:44.160 So the benefit of single-cell RNA sequencing,
- $54\ 00:03:44.160 --> 00:03:47.820$ is that it can give you a relatively unbiased
- $55\ 00:03:47.820 \longrightarrow 00:03:51.300$ and complete picture of the cell population.
- 56 00:03:51.300 --> 00:03:54.290 And this is particularly useful
- $57\ 00:03:54.290 \longrightarrow 00:03:57.290$ when the cell population is complicated.
- 58~00:03:57.290 --> 00:04:02.203 For example when the cells are experiencing dynamic changes.
- $59\ 00:04:03.560 \longrightarrow 00:04:06.390$ And as an application of the method
- $60~00:04:06.390 \rightarrow 00:04:11.390$ that I will introduce today in this lecture, in this talk,
- 61 00:04:11.460 --> 00:04:16.367 I will focus on the study of the mouse neocortex.
- $62\ 00{:}04{:}17.840 \dashrightarrow 00{:}04{:}22.840$ This is a cartoon showing the migration and generation
- $63\ 00:04:22.930$ --> 00:04:27.590 of the projection neurons in the mouse neocortex.
- $64~00{:}04{:}27.590 \dashrightarrow 00{:}04{:}32.590$ Yeah, you guys see that this is quite a complicated process
- $65\ 00:04:32.857 \dashrightarrow 00:04:36.540$ and there are still a lot of things that are unknown
- $66~00{:}04{:}36.540 \dashrightarrow 00{:}04{:}40.390$ about the neuronal diversity and the mechanism
- $67\ 00:04:40.390 \longrightarrow 00:04:43.143$ of how the projection neurons are generated.
- 68 00:04:44.540 --> 00:04:45.373 And the goal,
- $69\ 00:04:45.373$ --> 00:04:48.770 is that we want to use the single-cell RNA sequencing
- $70~00{:}04{:}48.770 \dashrightarrow 00{:}04{:}52.480$ so that we can have a more complete understanding
- $71\ 00:04:52.480 \longrightarrow 00:04:56.503$ of this, the neuronal diversity and the neuron development.
- $72\ 00:04:57.388 \longrightarrow 00:05:02.388$ So you can see that here in this cartoon, this shapes,
- $73\ 00:05:03.360 --> 00:05:05.970$ there are different shapes and colors,
- $74\,00:05:05.970 \longrightarrow 00:05:10.970$ to represent different cell types in the neocortex,

- $75~00:05:11.810 \dashrightarrow 00:05:16.680$ as the cells are experiencing the continuous dynamic changes
- 76 00:05:16.680 --> 00:05:18.760 actually in the real cell population,
- $77\ 00:05:18.760 \longrightarrow 00:05:20.833$ it is much complicated than that.
- $78\ 00:05:22.030 \longrightarrow 00:05:24.530$ There is not clear boundaries
- $79\ 00:05:24.530 \longrightarrow 00:05:27.870$ between different cell types and there may be...
- $80\ 00:05:27.870 \dashrightarrow 00:05:31.657$ There even, it's not a clear definition of cell type.
- $81\ 00:05:32.640 \longrightarrow 00:05:34.890$ So, what we hope,
- $82~00:05:34.890 \dashrightarrow 00:05:38.000$ is that we want to use single-cell RNA sequencing
- 83 00:05:38.000 --> 00:05:43.000 to first recover the trajectory of the dynamic changes
- $84\ 00:05:43.260 \longrightarrow 00:05:45.150$ or the developmental process
- $85\ 00:05:45.150 \longrightarrow 00:05:46.803$ that the cells are experiencing.
- $86\ 00:05:48.400 --> 00:05:52.340$ So specifically we focus on two datasets.
- $87\ 00:05:52.340 \longrightarrow 00:05:56.040$ One data set, we name it as data set A.
- $88\ 00:05:56.040 \longrightarrow 00:05:57.590$ So this is a data set
- $89\ 00:05:57.590 \longrightarrow 00:06:01.330$ that is recently collected by my collaborator.
- $90\ 00:06:01.330 \longrightarrow 00:06:03.960$ And so we have samples...
- 91 00:06:05.480 --> 00:06:07.180 The cells from the mouse neocortex
- 92 00:06:08.110 --> 00:06:10.990 at six different embryonic days.
- 93 00:06:10.990 --> 00:06:13.180 And before our data,
- 94 00:06:13.180 --> 00:06:17.410 there is another dataset we call it, we name it data set B.
- $95~00:06:17.410 \longrightarrow 00:06:21.790$ And this dataset is a smaller dataset than ours
- 96 00:06:21.790 --> 00:06:22.623 but they are...
- 97 00:06:22.623 --> 00:06:26.880 They have also sequenced a very similar brain region
- $98\ 00:06:27.820 --> 00:06:31.820$ of the mouses and they have a sequence of cells
- 99 00:06:31.820 --> 00:06:34.420 from four different embryonic days.
- $100\ 00:06:34.420 \longrightarrow 00:06:37.320$ So you can see that our,

- $101\ 00:06:37.320 --> 00:06:40.830$ most of the days that are sequenced in our dataset
- 102 00:06:40.830 --> 00:06:44.380 and with the other dataset B, do not overlap.
- $103\ 00:06:44.380 --> 00:06:48.500$ And so it would be beneficial if we can have with...
- $104\ 00:06:48.500 \longrightarrow 00:06:50.835$ If we can combine the two there datasets
- $105\ 00:06:50.835 \longrightarrow 00:06:55.835$ and so that we can make use of the cells from both studies.
- 106 00:06:56.200 --> 00:06:58.880 For instance, for our dataset,
- $107\ 00:06:58.880 \longrightarrow 00:07:03.590$ we don't have these cells from the day 11,
- 108 00:07:03.590 --> 00:07:06.240 which is quite important day.
- $109\ 00:07:06.240 \longrightarrow 00:07:10.520$ For example here, day 11 are the day that,
- $110\ 00{:}07{:}10.520 \dashrightarrow 00{:}07{:}15.397$ there are projection neurons that are, beginning time,
- 111 $00:07:16.860 \longrightarrow 00:07:19.560$ well, there are projection neurons that are generated.
- 112 00:07:21.190 --> 00:07:25.750 And so this E11 cells are sequenced from the other dataset.
- $113\ 00:07:25.750 \longrightarrow 00:07:27.690$ So it would be beneficial
- $114\ 00:07:27.690 \longrightarrow 00:07:31.760$ if we can perform a choice analysis of the two datasets
- $115\ 00:07:31.760 \longrightarrow 00:07:35.170$ and learn a shared developmental trajectory
- $116\ 00:07:35.170 \longrightarrow 00:07:36.400$ as these two datasets,
- $117\ 00{:}07{:}36.400 {\:{\mbox{--}}\!>}\ 00{:}07{:}39.913$ are actually sequencing the same mouse brain region.
- $118\ 00:07:42.410 \longrightarrow 00:07:47.350$ So as you may have imagined, if we don't do anything,
- $119\ 00{:}07{:}47.350 \dashrightarrow 00{:}07{:}51.200$ if we just concatenate the cells from two datasets
- $120\ 00:07:51.200 --> 00:07:53.830$ and treat them as datasets from the same lab,
- 121 00:07:53.830 --> 00:07:56.700 then these two datasets actually will not,
- $122\ 00:07:56.700 \longrightarrow 00:07:58.910$ the cells will not merge
- $123\ 00{:}07{:}58.910 \dashrightarrow 00{:}08{:}03.370$ because of the bash effects between the two datasets.

- $124\ 00:08:03.370 \longrightarrow 00:08:05.110$ Because these are from two labs
- $125\ 00:08:05.110 --> 00:08:07.810$ and they have different sequencing machines
- $126\ 00:08:07.810 \longrightarrow 00:08:09.510$ so the cells become different,
- $127\ 00:08:09.510 \longrightarrow 00:08:12.393$ though they are coming from the same brain region.
- 128 00:08:13.990 --> 00:08:16.700 And this is a figure called the UMAP
- $129\ 00:08:16.700 \longrightarrow 00:08:19.540$ which is a two-dimensional projection
- $130\ 00:08:19.540 \longrightarrow 00:08:20.720$ of the high dimensional,
- $131\ 00:08:20.720 \longrightarrow 00:08:24.080$ observed single-cell RNA sequencing data
- $132\ 00:08:24.080 \longrightarrow 00:08:26.550$ so that we can have a visualization
- $133\ 00:08:26.550 \longrightarrow 00:08:28.372$ of the cell population.
- $134\ 00:08:28.372 \longrightarrow 00:08:29.320$ (clears throat)
- 135 00:08:29.320 --> 00:08:33.240 And using our marker which is called vitae
- $136\ 00:08:33.240 \longrightarrow 00:08:35.140$ that I will introduce later
- $137\ 00{:}08{:}35.140 \dashrightarrow 00{:}08{:}40.140$ or we can merge the cells from two different sources.
- 138 00:08:41.430 --> 00:08:43.570 And as I will show later,
- $139\ 00:08:43.570$ --> 00:08:48.570 we can also keep the uniqueness, the unique characteristics
- $140\ 00:08:48.810 \longrightarrow 00:08:51.220$ that only exist in one of the datasets.
- $141\ 00{:}08{:}51.220$ --> $00{:}08{:}54.624$ So we can keep the biological meaningful differences
- $142\ 00:08:54.624 \longrightarrow 00:08:57.261$ between the two datasets.
- 143 00:08:57.261 --> 00:08:58.094 And our method is actually not just,
- 144 00:09:00.960 --> 00:09:03.240 data integration approach.
- $145\ 00:09:03.240 \dashrightarrow 00:09:06.653$ So what we can do, is that we can also simultaneously,
- $146\ 00:09:07.650 --> 00:09:11.620$ learn a shared trajectory structure
- $147\ 00{:}09{:}11.620 \dashrightarrow 00{:}09{:}15.690$ and we can at the same time do the disintegration
- $148\ 00{:}09{:}15.690 \dashrightarrow 00{:}09{:}18.950$ or more generally correct for confounding effects

- $149\ 00:09:18.950 --> 00:09:23.823$ such as the data source and other various like cell cycles.
- $150\ 00:09:25.290 \longrightarrow 00:09:26.910$ And in the...
- 151 00:09:26.910 --> 00:09:27.950 In this figure,
- $152\ 00{:}09{:}27.950 \dashrightarrow 00{:}09{:}32.490$ the arrows show the direction of the developmental process
- $153\ 00:09:33.750 \longrightarrow 00:09:38.290$ and the line width represents the score for an edge.
- $154\ 00:09:38.290 \longrightarrow 00:09:42.053$ So it shows how confident we are in,
- $155\ 00:09:43.190 \longrightarrow 00:09:45.460$ in like whether there's a transition
- $156\ 00:09:45.460 --> 00:09:50.460$ between the two states that the line connects.
- 157 00:09:54.900 \rightarrow 00:09:59.030 So our method actually belongs to a larger group
- $158\ 00:09:59.030$ --> 00:10:03.180 of computational tools for single-cell RNA sequencing
- $159\ 00:10:03.180 --> 00:10:05.460$ which is called the trajectory inference.
- $160\ 00:10:05.460 --> 00:10:07.822$ So here we call it...
- 161 00:10:07.822 --> 00:10:09.020 So it is called trajectory inference
- $162\ 00:10:09.020 \longrightarrow 00:10:12.610$ that is different from statistical inference.
- 163 00:10:12.610 --> 00:10:15.460 So it's a computational tool
- $164~00{:}10{:}15.460 \dashrightarrow 00{:}10{:}20.250$ so that we can understand in the, our cell lineage
- $165\ 00:10:20.250 \longrightarrow 00:10:24.640$ and the cell fate decisions in biological process,
- $166\ 00:10:24.640 \longrightarrow 00:10:26.800$ such as cell differentiation
- $167\ 00:10:26.800 \longrightarrow 00:10:30.293$ as what we have already seen in the mouse neocortex,
- 168 00:10:31.256 --> 00:10:33.190 and some other biological process,
- $169\ 00{:}10{:}33.190 \dashrightarrow 00{:}10{:}35.810$ such as immune response, cancer expansion
- $170\ 00{:}10{:}35.810$ --> $00{:}10{:}39.293$ and many more are using single-cell RNA sequencing data.
- $171\ 00:10:41.260$ --> 00:10:44.340 In general, the trajectory inference approaches,
- 172 00:10:44.340 --> 00:10:48.410 they will infer or they start with a,
- $173\ 00{:}10{:}49.820 \dashrightarrow 00{:}10{:}53.060$ a type of the underlying trajectory structure

- $174\ 00:10:53.060 \longrightarrow 00:10:54.790$ and other methods,
- $175\ 00{:}10{:}54.790 \dashrightarrow 00{:}10{:}59.580$ they will assume a specific type of the trajectory structure
- 176 00:10:59.580 --> 00:11:02.570 for the underlying developmental process,
- 177 00:11:02.570 --> 00:11:06.460 such as a linear structure, a linear topology
- $178\ 00{:}11{:}06.460 \dashrightarrow 00{:}11{:}11.460$ or a bifurcating, a bifurcation or tree-like trajectory.
- $179\ 00:11:12.570 \longrightarrow 00:11:14.320$ And as the cell populations
- $180\ 00:11:14.320 \longrightarrow 00:11:15.740$ that we are trying to understand,
- 181 00:11:15.740 --> 00:11:18.160 become more and more complicated,
- 182 00:11:18.160 --> 00:11:21.210 recent methods also try to infer,
- $183\ 00:11:21.210 --> 00:11:23.060$ the type of the trajectory structure
- $184~00{:}11{:}23.060 \dashrightarrow 00{:}11{:}25.603$ from the observed single-cell RNA sequencing data.
- $185\ 00{:}11{:}27.130$ --> $00{:}11{:}30.480$ And whilst we have learned the trajectory structure,
- 186 00:11:30.480 --> 00:11:33.032 then this trajectory inference approaches,
- 187 00:11:33.032 --> 00:11:35.907 will computationally project
- 188 00:11:35.907 --> 00:11:39.190 and order the cells along the trajectory.
- $189\ 00:11:39.190 \longrightarrow 00:11:43.273$ And the right order of the cells along the trajectory,
- $190\ 00{:}11{:}43.273 \dashrightarrow 00{:}11{:}46.060$ are called the pseudotime of the cells.
- $191\ 00:11:46.060 --> 00:11:47.590$ So the trajectory inference,
- $192\ 00:11:47.590 \longrightarrow 00:11:50.633$ is also called the pseudotime analysis.
- 193 00:11:53.420 --> 00:11:54.870 And since...
- $194\ 00{:}11{:}54.870 \dashrightarrow 00{:}11{:}59.557$ So the first trajectory inference method is proposed in 2014
- $195~00{:}12{:}00.790 \dashrightarrow 00{:}12{:}04.850$ and since then it has become a very popular tool
- 196~00:12:04.850 --> 00:12:08.820 that are used in analyzing single-cell RNA sequencing data.
- $197\ 00{:}12{:}08.820 \dashrightarrow 00{:}12{:}13.820$ And in this study, it calculates, it summarizes the number
- $198~00:12:14.620 \longrightarrow 00:12:16.390$ of single-cell RNA sequences studies

- $199\ 00:12:16.390 \longrightarrow 00:12:18.650$ that are published per month.
- 200 00:12:18.650 --> 00:12:21.110 And you can see that in recent years,
- $201\ 00:12:21.110 \longrightarrow 00:12:22.660$ more than half of the published
- $202\ 00:12:23.680 --> 00:12:25.660$ single-cell RNA sequencing studies
- $203\ 00:12:25.660 \longrightarrow 00:12:28.954$ will have some investments of the pseudotime
- $204\ 00:12:28.954 \longrightarrow 00:12:31.490$ and trajectories in the cell population
- $205\ 00:12:31.490 \longrightarrow 00:12:33.583$ that they are investigating.
- $206\ 00:12:35.380 \longrightarrow 00:12:39.050$ And there has also been a lot of methods
- $207\ 00:12:39.050 \longrightarrow 00:12:40.910$ for trajectory inference.
- 208 00:12:40.910 --> 00:12:45.140 And in this,
- 209 00:12:45.140 --> 00:12:48.080 there is a comprehensive benchmarking paper,
- 210 00:12:48.080 --> 00:12:49.950 recently in "Nature Biotech"
- $211\ 00:12:49.950 --> 00:12:54.580$ and it has summarized 70 different trajectory methods.
- 212 00:12:54.580 --> 00:12:56.810 And in your paper they have compared
- $213\ 00{:}12{:}56.810 \dashrightarrow 00{:}12{:}59.683$ about 45 different trajectory inference methods
- $214\ 00:12:59.683 \longrightarrow 00:13:00.943$ from different aspects.
- 215 00:13:03.270 --> 00:13:04.140 So you may wonder,
- $216\ 00{:}13{:}04.140 --> 00{:}13{:}07.070$ since there are so many trajectory inference methods
- $217\ 00{:}13{:}07.070 \dashrightarrow 00{:}13{:}10.900$ that are already there, why do we still want to develop,
- 218 00:13:10.900 --> 00:13:12.803 a new trajectory inference method?
- 219 00:13:14.440 --> 00:13:17.150 So the first point is that,
- 220 00:13:17.150 --> 00:13:19.400 although we have 70 different methods,
- 221 00:13:19.400 --> 00:13:21.610 many trajectory inference methods,
- 222 00:13:21.610 --> 00:13:24.320 they are assuming a specific type
- $223\ 00:13:24.320 \longrightarrow 00:13:25.930$ of the trajectory structure.
- $224\ 00{:}13{:}25.930 \dashrightarrow 00{:}13{:}30.870$ So many methods only work for a sound developmental process.
- 225 00:13:30.870 --> 00:13:33.880 If you consider the methods that can work for...

- $226\ 00:13:33.880 \longrightarrow 00:13:35.240$ They have the flexibility
- $227\ 00{:}13{:}35.240 \dashrightarrow 00{:}13{:}38.920$ if you work for a variety of the trajectory structures
- $228\ 00:13:38.920 \longrightarrow 00:13:43.140$ then we don't have that many methods that are available.
- $229\ 00:13:43.140 \longrightarrow 00:13:48.140$ And another concern that I have is that most methods,
- 230 00:13:48.380 --> 00:13:50.660 these trajectory inference methods,
- $231\ 00:13:50.660 \longrightarrow 00:13:54.790$ do not have explicit statistical models.
- $232\ 00:13:54.790 \longrightarrow 00:13:56.130$ So what I mean is that,
- 233 00:13:56.130 --> 00:13:58.540 though people are kind of clear
- $234\ 00:13:58.540 \longrightarrow 00:14:01.390$ about what's the biological signal
- $235\ 00:14:01.390 \longrightarrow 00:14:05.063$ that we want to find in the trajectory inference,
- 236 00:14:05.950 --> 00:14:10.950 it is actually, many methods are actually pretty vague about
- $237\ 00:14:11.080 \longrightarrow 00:14:15.670$ from the aspect of like for the single-cell data matrix,
- $238\ 00:14:15.670 \longrightarrow 00:14:19.250$ what can be the definition of the trajectory
- $239\ 00:14:19.250 \longrightarrow 00:14:21.070$ that they want to infer.
- 240 00:14:21.070 --> 00:14:24.540 So, and how that they are generating,
- 241 00:14:24.540 --> 00:14:28.300 and how the data it can be modeled and generated
- $242\ 00:14:28.300 \longrightarrow 00:14:30.040$ with the trajectory structure.
- $243\ 00{:}14{:}30.040 \longrightarrow 00{:}14{:}33.780$ So as the statistician, I think it would be beneficial,
- $244\ 00{:}14{:}33.780 \dashrightarrow 00{:}14{:}37.920$ if we have a model-based trajectory inference approach,
- 245 00:14:37.920 --> 00:14:40.830 so that we can better understand the profit,
- $246\ 00:14:40.830 \longrightarrow 00:14:43.560$ how good our estimations are
- $247\ 00:14:43.560 \longrightarrow 00:14:45.800$ and have some certain qualification
- $248\ 00:14:45.800 \longrightarrow 00:14:49.753$ of the trajectories or slow times that we infer.
- 249 00:14:53.940 --> 00:14:56.240 And the third point is that
- 250 00:14:56.240 --> 00:14:59.110 as you have shown at the beginning,

- 251 00:14:59.110 --> 00:15:01.190 there is also a growing need,
- $252\ 00:15:01.190 \longrightarrow 00:15:04.530$ to efficiently align trajectories
- $253\ 00:15:04.530 \longrightarrow 00:15:06.550$ or do a joint analysis
- $254\ 00{:}15{:}06.550 \dashrightarrow 00{:}15{:}10.360$ from multiple single-cell RNA sequencing datasets.
- $255\ 00:15:10.360 \longrightarrow 00:15:14.140$ As the, as the studies...
- $256~00:15:14.140 \longrightarrow 00:15:17.950$ As the single-cell RNA sequencing datasets are expanding,
- $257\ 00{:}15{:}17.950 \dashrightarrow 00{:}15{:}21.203$ there has already been a lot of studies for datasets,
- $258\ 00:15:21.203 \longrightarrow 00:15:25.140$ they are for the same tissue or for the same cell type.
- 259 00:15:25.140 --> 00:15:26.443 And it will be...
- 260 00:15:26.443 --> 00:15:27.276 (clears throat)
- 261 00:15:27.276 --> 00:15:31.110 And we can learn a better picture of, on this,
- $262\ 00:15:31.110 \longrightarrow 00:15:35.470$ the biological process in the tissue or for the cell time,
- $263\ 00:15:35.470 --> 00:15:39.090$ if we can use all available datasets.
- 264 00:15:39.090 --> 00:15:41.100 And so there's a strong need,
- $265~00{:}15{:}41.100 \dashrightarrow 00{:}15{:}46.050$ an increasing need to do this joint trajectory analysis
- $266\ 00:15:46.050 \longrightarrow 00:15:47.173$ for multiple datasets.
- 267 00:15:50.280 --> 00:15:52.390 So because of these reasons,
- $268\ 00:15:52.390 \longrightarrow 00:15:57.390$ we develop a new statistical framework and a new method,
- 269 00:15:57.460 --> 00:15:59.100 and we call it VITAE,
- $270\ 00{:}15{:}59.100 \dashrightarrow 00{:}16{:}01.920$ which is short for variational inference
- $271\ 00:16:01.920 --> 00:16:04.610$ for trajectory by autoencoders.
- $272\ 00:16:04.610 --> 00:16:07.923$ And it is a model-based trajectory inference approach.
- $273~00:16:11.310 \dashrightarrow 00:16:14.870$ So our model starts with a definition
- $274\ 00:16:14.870 --> 00:16:17.960$ of the trajectory backbone.
- $275\ 00{:}16{:}17.960 \dashrightarrow 00{:}16{:}22.030$ So we use a graph to define the trajectory backbone.

- $276\ 00:16:22.030 \longrightarrow 00:16:25.140$ So we start with a complete graph G,
- $277\ 00{:}16{:}25.140 \dashrightarrow 00{:}16{:}30.140$ well the vertices are the distinct cell states and cell type
- $278\ 00:16:31.020 --> 00:16:34.460$ and an edge denotes a possible transition
- $279\ 00:16:34.460 \longrightarrow 00:16:37.673$ between two cell states and or cell types.
- $280~00:16:38.540 \dashrightarrow 00:16:43.490$ And then we can define a cell position on the graph
- 281 00:16:43.490 --> 00:16:46.710 which is a vector, which is a landscape vector.
- 282 00:16:46.710 --> 00:16:47.543 And it's...
- 283 00:16:47.543 --> 00:16:50.707 A K is the number of vertices on the graph,
- $284\ 00:16:50.707 \longrightarrow 00:16:51.850$ in the graph.
- 285 00:16:51.850 --> 00:16:54.773 So if a cell is exactly,
- 286 00:16:54.773 --> 00:16:57.660 belongs to one cell state or cell type,
- $287\ 00:16:57.660 \longrightarrow 00:17:01.330$ then it is on cell vertex.
- $288\ 00:17:01.330 \longrightarrow 00:17:05.410$ And if the cell is experiencing a transition
- 289 00:17:05.410 --> 00:17:08.150 between two cell states or cell types,
- $290\ 00{:}17{:}08.150 \dashrightarrow 00{:}17{:}12.973$ then we denote it as on the edge between two vertices.
- $291~00:17:15.560 \dashrightarrow 00:17:18.273$ And then we can define the trajectory backbone
- $292\ 00:17:18.273 \longrightarrow 00:17:20.410$ as a subgraph of G.
- $293\ 00:17:20.410 --> 00:17:23.280$ So we only include an edge or vertex
- $294\ 00:17:23.280 \longrightarrow 00:17:27.390$ if we really observe cells that are on the edge.
- $295\ 00:17:27.390 \longrightarrow 00:17:30.170$ So though there are many possible transitions
- 296 00:17:30.170 --> 00:17:33.120 between the cell types or cell states,
- $297\ 00:17:33.120 \longrightarrow 00:17:37.600$ We believe, we include a transition only
- $298\ 00:17:37.600 \longrightarrow 00:17:39.210$ when we do observe cells
- 299 00:17:39.210 --> 00:17:42.330 that are experiencing such transitions.
- $300\ 00:17:42.330 \longrightarrow 00:17:47.330$ So though there can be many edges in our complete graph,
- $301~00{:}17{:}47.600 \dashrightarrow 00{:}17{:}51.540$ on the sub graph, it's a sparse success of the other edges
- $302\ 00:17:51.540 \longrightarrow 00:17:54.367$ that are possible on the graph.

- 303 00:17:56.560 --> 00:18:00.720 And a benefit of the above definition,
- $304\ 00:18:00.720 --> 00:18:04.920$ is that we can allow any types of the trajectory structure.
- $305\ 00:18:04.920 \longrightarrow 00:18:07.440$ So it can be either a linear structure,
- $306~00:18:07.440 \dashrightarrow 00:18:12.370$ a bifurcate chain or a tree-like structure or a cycle,
- $307\ 00:18:12.370 \longrightarrow 00:18:16.330$ it completely depends on how the data shows.
- 308 00:18:16.330 --> 00:18:17.840 And so we allow,
- $309\ 00:18:17.840 \longrightarrow 00:18:22.840$ we want the data to automatically determine the other,
- $310\ 00:18:23.710 --> 00:18:26.310$ the trajectory structure or topology
- 311 00:18:26.310 --> 00:18:30.773 of the underlying dynamic process.
- 312 00:18:33.370 \rightarrow 00:18:38.340 And we can also define the pseudotime for each cell.
- 313 00:18:38.340 --> 00:18:42.600 I have not written down the exact definition here
- $314\ 00:18:42.600 \longrightarrow 00:18:46.150$ but the idea is that we first need a root vertex.
- $315~00{:}18{:}46.150 --> 00{:}18{:}51.150$ So a root vertex is the start of this dynamic process.
- 316 00:18:51.420 --> 00:18:54.270 And it can be given by the user,
- 317 00:18:54.270 --> 00:18:56.630 depending on looking at the marker genes
- $318\ 00:18:56.630 \longrightarrow 00:18:59.760$ or other side biological information.
- 319 00:18:59.760 --> 00:19:01.500 And later we will also...
- 320 00:19:01.500 --> 00:19:03.760 I will also show you that for some datasets,
- $321\ 00{:}19{:}03.760 \dashrightarrow 00{:}19{:}07.500$ we can automatically determine the root vertex.
- $322\ 00:19:07.500 \longrightarrow 00:19:09.190$ And with a given root vertex,
- $323\ 00:19:09.190 \longrightarrow 00:19:13.240$ then the graph becomes a directed graph.
- $324~00{:}19{:}13.240 \dashrightarrow 00{:}19{:}16.920$ And we had defined the pseudotime of the cell
- $325\ 00:19:16.920 \dashrightarrow 00:19:21.630$ as the shortest path from the root to a specific cell
- $326\ 00:19:21.630 --> 00:19:26.233$ along the trajectory, along the trajectory backbone.

- $327\ 00:19:28.470 \longrightarrow 00:19:33.180$ So this graph defines the trajectory structure.
- $328\ 00:19:33.180 \longrightarrow 00:19:34.490$ And the next step,
- $329\ 00:19:34.490 --> 00:19:38.170$ is that we want to link the trajectory structure
- $330\ 00:19:38.170 \longrightarrow 00:19:41.100$ with the data generation model.
- $331\ 00:19:41.100 \longrightarrow 00:19:46.100$ So the single-cell RNA sequencing data matrix,
- $332\ 00:19:46.220 --> 00:19:49.530$ is typically a high dimensional matrix
- $333\ 00:19:49.530 \longrightarrow 00:19:51.318$ because for each cell,
- $334\ 00:19:51.318 \longrightarrow 00:19:54.461$ we typically observe tens of thousands of genes
- $335\ 00:19:54.461 --> 00:19:59.410$ and there are also complicated dependency relationships
- $336\ 00:19:59.410 \longrightarrow 00:20:01.020$ among the genes.
- $337\ 00:20:01.020 \longrightarrow 00:20:02.133$ And what we assume,
- $338\ 00{:}20{:}02.133 \dashrightarrow 00{:}20{:}05.940$ is that we assume that these dependencies across genes,
- 339 00:20:05.940 --> 00:20:10.270 can be explained by a latent variables, Z(i)
- $340\ 00:20:10.270 \longrightarrow 00:20:13.110$ in a low dimensional space.
- $341\ 00:20:13.110 \longrightarrow 00:20:17.530$ And we assume that these latent variables,
- 342 00:20:17.530 --> 00:20:20.420 are following our normal distributions
- $343\ 00:20:20.420 \longrightarrow 00:20:25.210$ and they also have the graph structure.
- $344\ 00{:}20{:}25.210 \dashrightarrow 00{:}20{:}29.264$ So U here, are the positions of the vertices on the graph
- 345 00:20:29.264 --> 00:20:31.970 in this low dimensional space,
- $346\ 00:20:31.970 \longrightarrow 00:20:34.180$ and the meaning of Z(i),
- 347 00:20:34.180 --> 00:20:37.680 is a linear combination of these vertices,
- 348 00:20:37.680 --> 00:20:40.850 depending on, of the positions of the vertices,
- $349\ 00{:}20{:}40.850 \dashrightarrow 00{:}20{:}45.580$ depending on the cell's graphic position on the graph.
- 350 00:20:45.580 --> 00:20:46.413 And,
- 351 00:20:48.500 --> 00:20:51.580 what I want to emphasize here is one point,
- $352\ 00:20:51.580 \longrightarrow 00:20:55.222$ is that we assume a non-linear marking
- $353\ 00:20:55.222 --> 00:20:59.328$ from the latent space to the high dimensional observed data,

- $354\ 00:20:59.328 \longrightarrow 00:21:03.100$ because we think that though in the low dimensional space,
- $355\ 00{:}21{:}03.100 \dashrightarrow 00{:}21{:}06.836$ we can represent the trajectory as these linear lines,
- $356\ 00{:}21{:}06.836 \dashrightarrow 00{:}21{:}10.352$ it is very likely a manifold on the observed data.
- 357 00:21:10.352 --> 00:21:12.101 So this non-linear mapping,
- $358\ 00:21:12.101 \longrightarrow 00:21:15.671$ can map this linear lines to hertz
- $359\ 00:21:15.671 \longrightarrow 00:21:18.177$ in the high dimensional space.
- 360 00:21:18.177 --> 00:21:20.204 And now to consider,
- 361 00:21:20.204 --> 00:21:23.487 to account for the confounding covariates,
- 362 00:21:23.487 --> 00:21:26.661 such as the data source or cell cycle,
- 363 00:21:26.661 --> 00:21:30.360 we also allow this non-linear mapping,
- $364\ 00:21:30.360 \longrightarrow 00:21:33.060$ to depend on this covariates.
- $365\ 00:21:33.060 \longrightarrow 00:21:34.870$ And here we are...
- 366 00:21:34.870 --> 00:21:36.570 Because the observed data count,
- $367\ 00{:}21{:}36.570 {\:{\mbox{--}}\!>} 00{:}21{:}39.820$ we assume it follows an active binomial distribution,
- $368\ 00:21:39.820 \longrightarrow 00:21:41.270$ and L(i) are...
- 369 00:21:41.270 --> 00:21:43.760 Oh, sorry. L(i) here should be known library size.
- $370\ 00{:}21{:}43.760 \dashrightarrow 00{:}21{:}46.312$ Sorry for the typo. It should be known library sizes.
- $371\ 00{:}21{:}46.312 \dashrightarrow 00{:}21{:}50.890$ And CRJ, and the CRG, the dispersion parameter switch gene,
- $372\ 00:21:50.890 \longrightarrow 00:21:52.587$ are unknown parameters.
- 373 00:21:52.587 --> 00:21:55.113 And so in this, in the current model,
- 374 00:21:55.113 --> 00:21:56.837 the unknown parameters we have,
- 375 00:21:56.837 --> 00:22:00.314 are these cell, the vertex positions,
- 376 00:22:00.314 --> 00:22:03.001 U, the cell positions on the graph,
- $377\ 00:22:03.001 \longrightarrow 00:22:05.740$ the W(i) the non-linear mapping
- 378 00:22:05.740 --> 00:22:07.970 and this unknown dispersion parameters.
- $379\ 00:22:07.970 \longrightarrow 00:22:09.623$ So we have a lot of parameters.

- 380 00:22:11.010 --> 00:22:14.870 So to further simplify our estimation,
- $381\ 00:22:14.870 --> 00:22:18.000$ we assume that there are a mixture prior
- $382\ 00:22:18.000 \longrightarrow 00:22:19.840$ on the cell positions.
- $383\ 00:22:19.840 \longrightarrow 00:22:23.230$ So it's a very tactical idea.
- $384\ 00:22:23.230 \longrightarrow 00:22:27.273$ So we assume that first the cell,
- $385\ 00:22:27.273 \dashrightarrow 00:22:30.275$ there are some latent variables, Ci for each cell.
- $386\ 00:22:30.275$ --> 00:22:35.275 And so Ci determines which edge or vertex a cell chooses.
- $387\ 00{:}22{:}35.410 \longrightarrow 00{:}22{:}39.410$ So the cell has some probability to choose a specific edge
- $388\ 00:22:39.410 \longrightarrow 00:22:42.170$ or a specific vertex,
- $389\ 00:22:42.170 \longrightarrow 00:22:45.520$ and if it chooses an edge,
- $390\ 00:22:45.520 --> 00:22:48.903$ then, it then eventually choose the location of,
- $391\ 00:22:50.677 \longrightarrow 00:22:53.317$ the relative location on the edge...
- $392\ 00{:}22{:}55.030 \to 00{:}22{:}58.883$ So that's what becomes a mixture prior on this diagram two.
- 393 00:22:59.840 --> 00:23:00.673 And,
- 394 00:23:02.375 --> 00:23:06.250 for these non-linear mapping functions,
- 395 00:23:06.250 --> 00:23:10.060 we're including non-linear mappings.
- 396 00:23:10.060 --> 00:23:14.533 We model these F(G(i)) functions by a neural network.
- 397 00:23:16.500 --> 00:23:18.240 So, Oh, do you?
- $398\ 00{:}23{:}18.240 {\:\hbox{--}}{>}\ 00{:}23{:}22.480$ So our parameters now, our known parameters now are,
- $399\ 00:23:22.480 --> 00:23:24.287$ this U the positions of the vertices
- $400\ 00:23:24.287 \longrightarrow 00:23:26.550$ on the low-dimensional space,
- $401\ 00{:}23{:}26.550$ --> $00{:}23{:}31.550$ this PI, the probability of each vertex and edge,
- $402\ 00:23:34.040 \longrightarrow 00:23:36.727$ and the non-linear mappings,
- $403\ 00:23:36.727 \longrightarrow 00:23:39.190$ which are the waste in the neural network
- 404 00:23:39.190 --> 00:23:41.810 and this, this dispersion parameters.

- $405\ 00:23:41.810 \longrightarrow 00:23:42.820$ And we...
- $406\ 00{:}23{:}42.820 \dashrightarrow 00{:}23{:}47.270$ I space these parameters by combining our mixture model
- $407\ 00:23:47.270 \longrightarrow 00:23:48.733$ with a variational autoencoder.
- $408\ 00:23:51.280 \longrightarrow 00:23:52.920$ So the variational autoencoder.
- $409\ 00{:}23{:}52.920 {\:{\mbox{--}}\!>}\ 00{:}23{:}57.590$ So the autoencoder has been a very popular model
- $410\ 00:23:57.590 \longrightarrow 00:23:59.190$ for in deep learning.
- $411\ 00:23:59.190 \longrightarrow 00:24:02.230$ So what it can do is, is that it can,
- 412 00:24:02.230 --> 00:24:06.520 can have some non-linear mapping
- $413\ 00{:}24{:}06.520 {\: \hbox{--}}{>}\ 00{:}24{:}11.120$ of the observed data to a low-dimensional space
- $414\ 00:24:11.120 --> 00:24:14.200$ and we want the low-dimensional space to best,
- $415\ 00:24:14.200 --> 00:24:18.060$ recover our observed time rational data.
- $416\ 00:24:18.060 \longrightarrow 00:24:21.010$ And here, we also have such a task.
- $417\ 00:24:21.010 \longrightarrow 00:24:22.800$ We have the low-dimensional space
- $418\ 00{:}24{:}22.800 \dashrightarrow 00{:}24{:}27.023$ and we want to best to recover our observed data.
- 419 00:24:27.023 --> 00:24:30.710 And what's different is that we also have a prior
- 420 00:24:30.710 --> 00:24:33.770 on the latent space, because we have the prior,
- $421\ 00:24:33.770 \longrightarrow 00:24:38.300$ so we use the variational autoencoder model
- 422 00:24:38.300 --> 00:24:39.440 in deep learning.
- $423\ 00:24:39.440 \longrightarrow 00:24:42.060$ So the classical variational autoencoder
- $424\ 00{:}24{:}43.420 \dashrightarrow 00{:}24{:}45.960$ in deep learning, we'll assume that the latent space,
- $425\ 00{:}24{:}45.960 \dashrightarrow 00{:}24{:}49.650$ has the standard normal distribution as the prior.
- $426\ 00:24:49.650 --> 00:24:53.370$ And here we just modify it so that we have the...
- 427 00:24:53.370 \rightarrow 00:24:56.260 So that the latent space have the mixture prior

- $428\ 00{:}24{:}56.260 \dashrightarrow 00{:}25{:}01.260$ that are assumed in our previous mixture models.
- $429\ 00:25:01.520 \longrightarrow 00:25:03.840$ And we use the same approach
- $430\ 00{:}25{:}03.840 {\:\hbox{--}}{>}\ 00{:}25{:}07.760$ as the variational autoencoder, the variational path
- 431 00:25:07.760 --> 00:25:10.250 which is, though the,
- $432\ 00:25:10.250 \longrightarrow 00:25:13.150$ to approximate the posteriors of the latent space.
- 433 00:25:13.150 --> 00:25:15.881 So though, because of the complicated priors
- 434 00:25:15.881 --> 00:25:19.290 and non-linear mappings,
- $435\ 00:25:19.290$ --> 00:25:22.870 this prior, the posterior of the latent space conditional
- $436\ 00:25:22.870 \longrightarrow 00:25:26.590$ on the observed data and the confounding covariates,
- $437\ 00:25:26.590 \longrightarrow 00:25:28.110$ it can be complicated,
- $438\ 00:25:28.110 \longrightarrow 00:25:32.000$ we approximate it by our normal distributions
- $439\ 00{:}25{:}32.000 \dashrightarrow 00{:}25{:}36.220$ and the mean and the variances of the normal distributions
- $440\ 00:25:36.220 --> 00:25:39.650$ which are functions of the observed data Y(i)
- 441 00:25:39.650 --> 00:25:41.130 and the covariance Xi,
- $442\ 00:25:41.130 --> 00:25:43.720$ are also non-linear functions
- $443\ 00:25:43.720 \longrightarrow 00:25:46.080$ and we model them by the neural network
- $444\ 00:25:46.080 \longrightarrow 00:25:47.320$ and that's the encoder.
- $445\ 00:25:47.320 \longrightarrow 00:25:52.320$ So the decoder is the nominal mapping function F(G(i)),
- $446\ 00:25:52.770 --> 00:25:56.080$ mapping the latent space to the observed data.
- $447\ 00:25:56.080 \longrightarrow 00:25:58.240$ And encoder are neural networks
- $448\ 00:25:58.240 \longrightarrow 00:26:03.040$ that are approximating the posteriors of the latent space.
- 449 00:26:03.040 --> 00:26:05.983 Hi, Jingshu, can I ask a very quick question?
- 450 00:26:06.860 --> 00:26:08.170 If I understand correctly,
- $451\ 00{:}26{:}08.170 \dashrightarrow 00{:}26{:}11.470$ up to now you have not used the time information,
- 452 00:26:11.470 --> 00:26:12.810 is this true?

- $453\ 00{:}26{:}12.810 \dashrightarrow 00{:}26{:}15.600$ Or you have considered to include the time information
- $454\ 00:26:15.600 \longrightarrow 00:26:17.390$ in the covariate X?
- 455 00:26:17.390 --> 00:26:18.583 Oh, oh, yes.
- $456\ 00:26:18.583 \longrightarrow 00:26:23.583$ So we will not use time information
- $457\ 00:26:24.120 \longrightarrow 00:26:26.390$ in our trajectory inference.
- $458\ 00:26:26.390 \dashrightarrow 00:26:29.840$ If I have time, I may have a last slide which is a,
- $459\ 00:26:30.810 \longrightarrow 00:26:34.200$ which is a review of the literature into data inference.
- 460 00:26:34.200 --> 00:26:36.163 So into data inference,
- $461\ 00:26:37.060 --> 00:26:41.030$ the most commonly used and best performing methods,
- $462\ 00:26:41.030 \longrightarrow 00:26:44.160$ they will tend to not use the time information
- $463\ 00:26:44.160 \longrightarrow 00:26:45.270$ because there is...
- $464~00{:}26{:}45.270 \dashrightarrow 00{:}26{:}49.320$ Though the time information is typically correlated
- 465 00:26:49.320 --> 00:26:54.320 with developmental like, timing of the cells,
- 466 00:26:54.380 --> 00:26:57.070 but because at each collectional time,
- $467\ 00:26:57.070 \longrightarrow 00:27:00.440$ is a mixture of cells at different environmental time.
- $468\ 00:27:00.440 \longrightarrow 00:27:03.040$ So it's a big, complicated relation
- $469\ 00:27:03.040 --> 00:27:05.230$ and some methods use that information
- $470\ 00:27:05.230 \longrightarrow 00:27:08.830$ but many methods do not use that.
- $471\ 00:27:08.830 \longrightarrow 00:27:13.327$ And so our approach is the methods that do not use the,
- $472\ 00:27:14.270 \longrightarrow 00:27:16.470$ the collection time information.
- 473 00:27:16.470 --> 00:27:21.470 And, we use it only when we decide
- $474\ 00:27:21.970 \longrightarrow 00:27:24.420$ which vertex is the root.
- $475\ 00:27:24.420 \longrightarrow 00:27:27.100$ And I will show that later.
- $476\ 00:27:27.100 \longrightarrow 00:27:27.933$ Thanks.
- 477 00:27:30.210 --> 00:27:31.980 So our...

- $478\ 00:27:33.130 \longrightarrow 00:27:37.470$ So the last function is, is composed of three parts.
- $479\ 00{:}27{:}37.470 \dashrightarrow 00{:}27{:}41.610$ The first part is this likelihood based reconstruction loss.
- $480\ 00:27:41.610 \longrightarrow 00:27:46.610$ So this evaluates how goods are our latent spaces to,
- 481 00:27:47.890 \rightarrow 00:27:52.273 to reconstruct the high-dimensional observed data.
- 482 00:27:54.460 --> 00:27:57.190 And the second part is the KL divergence
- $483\ 00:27:57.190 \longrightarrow 00:28:02.190$ between the posterior distribution and the prior.
- $484\ 00{:}28{:}02.300 \longrightarrow 00{:}28{:}06.070$ And you can think of it as a regularization term.
- $485\ 00:28:06.070 \longrightarrow 00:28:07.400$ And so to regularize
- 486 00:28:07.400 --> 00:28:11.980 if the posterior is very far away from the prior,
- $487\ 00:28:11.980 \longrightarrow 00:28:16.980$ also when for variational autoencoders so beta equal to one,
- $488\ 00:28:17.060 --> 00:28:20.828$ it can be also viewed as a lower bound
- $489\ 00:28:20.828 \longrightarrow 00:28:22.170$ of the marginalized data.
- $490\ 00:28:23.140 \longrightarrow 00:28:27.040$ So here we make the,
- 491 00:28:27.040 --> 00:28:29.740 we add the training parameter beta,
- $492\ 00{:}28{:}29.740 \dashrightarrow 00{:}28{:}33.920$ and in practice we said, beta are larger than one,
- $493\ 00:28:33.920 \longrightarrow 00:28:38.900$ so that we can encourage the posterior, the regularization,
- $494\ 00:28:38.900 \longrightarrow 00:28:41.147$ so that the posteriors of the I will,
- $495\ 00:28:41.147 \longrightarrow 00:28:43.700$ are more likely to tend to align
- $496\ 00:28:43.700 \longrightarrow 00:28:45.310$ along the edges and vertices.
- $497~00{:}28{:}45.310 \dashrightarrow 00{:}28{:}48.470$ And that's the idea that has been used in deep learning
- $498\ 00:28:48.470 \longrightarrow 00:28:49.720$ which is called the beta.
- $499\ 00:28:52.670 \longrightarrow 00:28:54.650$ And the third term,
- 500 00:28:54.650 --> 00:28:58.460 it's a term for adjusting for the covariance.
- $501\ 00:28:58.460 \longrightarrow 00:29:00.167$ So the covariance...

- $502\ 00:29:01.340 \longrightarrow 00:29:03.417$ So this covariance * covers.
- 503 00:29:03.417 --> 00:29:07.610 So we want our latent space C to be kind of,
- 504 00:29:07.610 --> 00:29:10.410 be correlated with the covariance,
- 505 00:29:10.410 --> 00:29:11.243 While...
- $506\ 00:29:11.243 \longrightarrow 00:29:14.150$ So we, certain...
- 507~00:29:14.150 --> 00:29:18.160 So we want to maximize the reconstruction of the data
- $508\ 00:29:18.160 \longrightarrow 00:29:20.420$ by only by the covariates.
- $509\ 00:29:20.420 \longrightarrow 00:29:23.870$ And setting the tuning parameter alpha larger than zero,
- 510 00:29:23.870 --> 00:29:27.500 we can help decorrelate Z(i) from Xi.
- 511 00:29:31.010 --> 00:29:34.730 So another art in our training is that,
- $512\ 00:29:34.730 --> 00:29:37.710$ we need a good internalization of the graph.
- 513 00:29:37.710 --> 00:29:40.390 So specifically we need to determine,
- 514 00:29:40.390 --> 00:29:42.360 how many vertices there are,
- 515 00:29:42.360 --> 00:29:44.750 and also the positions of the vertices
- $516\ 00:29:44.750 \longrightarrow 00:29:47.190$ in the low-dimensional space.
- $517\ 00:29:47.190 \longrightarrow 00:29:48.780$ That's not an easy job.
- 518 00:29:48.780 --> 00:29:51.750 And if we just randomly,
- 519 00:29:51.750 --> 00:29:55.610 because our final graph depend on,
- $520~00{:}29{:}55.610 \dashrightarrow 00{:}29{:}59.503$ the total number of vertices that we set at the beginning.
- $521\ 00:30:00.420$ --> 00:30:04.610 So how we pretrain the model to return it's initial value?
- $522\ 00:30:04.610 \longrightarrow 00:30:08.400$ To get the initial values of the unknown parameters,
- $523\ 00{:}30{:}08.400 \dashrightarrow 00{:}30{:}11.860$ is that we first trained with beta equal to zero.
- 524 00:30:11.860 --> 00:30:13.860 so that we don't make use of any,
- $525\ 00:30:13.860 \longrightarrow 00:30:16.580$ these prior distributions of the I.
- 526 00:30:16.580 --> 00:30:17.540 So it's only...
- 527 00:30:17.540 --> 00:30:20.460 We're only looking at the reconstruction loss
- $528\ 00:30:20.460 \longrightarrow 00:30:22.120$ from the likelihood of the data.

- $529\ 00{:}30{:}22.120$ --> $00{:}30{:}27.120$ So it's like the normal, the classical autoencoder.
- $530\ 00:30:27.190 \longrightarrow 00:30:30.697$ And from that we can get some initial estimate of Z(i),
- $531\ 00:30:32.740 \longrightarrow 00:30:34.390$ The latent space variables.
- $532\ 00:30:34.390 \longrightarrow 00:30:38.430$ And then we perform clustering on Z(i),
- $533\ 00:30:38.430 \longrightarrow 00:30:40.540$ and we let the clustering algorithm,
- $534\ 00{:}30{:}40.540 \dashrightarrow 00{:}30{:}43.350$ to automatically determine the number of clusters
- $535\ 00:30:43.350 \longrightarrow 00:30:46.187$ and we use that as the number of vertices.
- $536\ 00:30:46.187 \longrightarrow 00:30:48.650$ And we also use the cluster centers
- $537\ 00:30:48.650 \longrightarrow 00:30:51.633$ as the initialization, as the initial values of U.
- 538 00:30:53.150 --> 00:30:54.840 So that's the main part,
- 539 00:30:54.840 --> 00:30:57.110 the key ideas in our pre-training start,
- $540\ 00{:}30{:}57.110 \dashrightarrow 00{:}31{:}01.070$ so that we can have a good initial addition to,
- $541\ 00:31:01.070 \longrightarrow 00:31:02.570$ for the start of the training.
- 542 00:31:04.600 --> 00:31:07.590 And another trick that we have taken,
- 543 00:31:07.590 --> 00:31:10.156 is that in practice, sorry,
- $544~00{:}31{:}10.156 \dashrightarrow 00{:}31{:}15.156$ the best performing existing trajectory inference methods.
- 545~00:31:15.600 --> 00:31:17.280 They will attempt...
- $546\ 00:31:17.280 \longrightarrow 00:31:19.620$ So they are typically very fast.
- $547\ 00{:}31{:}19.620$ --> $00{:}31{:}23.880$ And in order to have comparable computational costs
- $548\ 00:31:23.880 \longrightarrow 00:31:25.010$ of these methods,
- $549~00{:}31{:}25.010 \dashrightarrow 00{:}31{:}28.420$ we also have accelerated version of our algorithm
- 550 00:31:28.420 --> 00:31:32.453 which is a simply to reduce the input,
- 551 00:31:33.900 --> 00:31:35.930 the dimension of the input space,
- $552\ 00:31:35.930 \longrightarrow 00:31:38.870$ so we can replace Y(i),
- $553~00{:}31{:}38.870 --> 00{:}31{:}43.660$ the high-dimensional vector of the gene expressions

- $554\ 00:31:43.660 \longrightarrow 00:31:46.220$ with it's principal components.
- 555 00:31:46.220 --> 00:31:49.740 Now, principal component, principal scores,
- $556\ 00:31:49.740 \longrightarrow 00:31:52.520$ which is a low-dimensional vector L.
- $557\ 00:31:52.520 --> 00:31:57.147$ We, by default we will take the first 64 dimensions
- $558\ 00:31:59.136 \longrightarrow 00:32:00.670$ for the principal scores.
- $559\ 00:32:00.670 --> 00:32:04.660$ And so we replace the elected binomial distribution
- $560\ 00:32:04.660 \longrightarrow 00:32:08.590$ by a normal gaussian distribution assumption
- $561\ 00:32:08.590 \longrightarrow 00:32:09.890$ of these principal scores.
- 562 00:32:11.303 --> 00:32:14.760 And as you will see later in our,
- 563~00:32:14.760 --> 00:32:19.360 in our evaluations with real and synthetic data,
- $564~00{:}32{:}19.360 \dashrightarrow 00{:}32{:}23.600$ we see that we actually have comparable performance
- 565 00:32:23.600 --> 00:32:25.900 with our previous likelihood,
- $566\ 00:32:25.900 \longrightarrow 00:32:30.440$ with our standard likelihood based methods
- $567\ 00:32:30.440 \longrightarrow 00:32:32.333$ for this accelerated version.
- $568\ 00:32:34.850 \longrightarrow 00:32:37.810$ So after the final step is that
- 569 00:32:37.810 --> 00:32:40.380 after the training the autoencoder,
- 570 00:32:40.380 --> 00:32:43.510 we have approximated distributions,
- $571\ 00:32:43.510 \longrightarrow 00:32:46.900$ posterior distributions of the latent space
- $572\ 00:32:46.900 \longrightarrow 00:32:50.790$ and also the cell positions that
- 573 00:32:51.872 --> 00:32:53.243 and which vertex,
- 574 00:32:54.220 --> 00:32:58.027 the vertex or the posterior distribution of Ci,
- $575~00{:}32{:}58.027 \dashrightarrow 00{:}33{:}03.027$ well Ci* is which vertex or edge the cell is from.
- 576 00:33:04.290 --> 00:33:07.200 And we need to use those information,
- 577 00:33:07.200 --> 00:33:10.430 to determine the trajectory backbone
- $578\ 00:33:10.430 \longrightarrow 00:33:13.120$ and to project each cell
- $579\ 00:33:13.120 \longrightarrow 00:33:15.723$ on our inferred trajectory backbone.
- $580\ 00{:}33{:}16.960 \dashrightarrow 00{:}33{:}20.933$ So how we do that is, first we calculate an edge score.

- $581\ 00:33:22.430 \longrightarrow 00:33:25.800$ So this edge score is...
- $582~00{:}33{:}27.070 \dashrightarrow 00{:}33{:}29.840$ So we have different scores for an edge,
- $583\ 00:33:29.840 \longrightarrow 00:33:31.780$ and that is determined
- $584\ 00:33:31.780 \longrightarrow 00:33:34.750$ on looking at the posteriors of cells.
- $585\ 00:33:34.750 \longrightarrow 00:33:38.470$ How many cells from the posterior distribution?
- $586\ 00:33:38.470 \longrightarrow 00:33:42.970$ How many cells choose to lie on that specific edge?
- $587\ 00:33:42.970 \longrightarrow 00:33:44.600$ If there are a lot of cells then that means
- $588\ 00:33:44.600 --> 00:33:47.450$ that it's very likely that edge exist.
- $589\ 00:33:47.450 \longrightarrow 00:33:49.110$ If there are very few cells
- 590 00:33:49.110 --> 00:33:51.610 then very likely that edge should not be,
- $591\ 00:33:51.610$ --> 00:33:56.610 the edge that is included in the trajectory backbone.
- 592 00:33:57.920 --> 00:34:01.323 And the denominator is that we want to,
- 593 00:34:02.980 --> 00:34:05.580 give a relatively high fair score
- $594~00{:}34{:}05.580 \dashrightarrow 00{:}34{:}10.493$ for the edges of that connecting to small clusters,
- 595 00:34:11.370 --> 00:34:13.035 to small cell types,
- $596\ 00:34:13.035 --> 00:34:17.210$ such as we want to also capture the transition
- $597\ 00:34:17.210 --> 00:34:20.460$ between two rare cell types.
- 598 00:34:20.460 --> 00:34:23.233 So that's why we have this regularization,
- 599 00:34:24.930 --> 00:34:28.690 waiting by with, in the denominator.
- 600~00:34:28.690 --> 00:34:31.970 And we include an edge in the trajectory backbone
- $601\ 00:34:31.970 \longrightarrow 00:34:35.337$ if it's edge score is larger than some*.
- $602\ 00{:}34{:}37.690$ --> $00{:}34{:}41.983$ And when we have an inferred trajectory backbone,
- $603\ 00:34:43.420 \longrightarrow 00:34:45.080$ then the next step is,
- $604\ 00:34:45.080 \longrightarrow 00:34:49.890$ we want to project the cells on the inferred trajectory,
- $605\ 00:34:49.890 \longrightarrow 00:34:54.320$ and we do it by looking at the...

- $606\ 00:34:54.320$ --> 00:34:57.920 Based on the posterior, approximated posterior distributions
- $607\ 00:34:57.920 \longrightarrow 00:35:00.890$ of the cell positions that *.
- $608\ 00{:}35{:}00.890 \dashrightarrow 00{:}35{:}05.770$ We want to find the closest point on the inferred trajectory
- $609\ 00{:}35{:}08.020 {\:{\mbox{--}}\!>\:} 00{:}35{:}12.140$ for this cell based on the posterior distributions.
- 610 00:35:12.140 --> 00:35:13.413 And the distance,
- $611\ 00:35:14.270 \dashrightarrow 00:35:18.000$ this expectation we can also use as a evaluation
- 612 00:35:18.000 --> 00:35:20.800 of the, some uncertainty quantification
- $613\ 00:35:20.800 \longrightarrow 00:35:22.260$ of this projection
- $614\ 00:35:23.860 \longrightarrow 00:35:25.333$ or the cell positions.
- 615 00:35:27.310 --> 00:35:28.770 And the third thing we need to,
- $616\ 00:35:28.770 --> 00:35:32.880$ because our final results is some kind of directed graph.
- $617\ 00:35:32.880 \longrightarrow 00:35:36.220$ So we need to determine the root vertex.
- $618~00{:}35{:}36.220 \dashrightarrow 00{:}35{:}41.220$ So the root vertex can be either given by the user, or if
- $619\ 00:35:42.550 \longrightarrow 00:35:43.870$ as I feel I asked,
- $620\ 00:35:43.870 \longrightarrow 00:35:48.400$ for some datasets like the data at the beginning of my talk,
- $621\ 00:35:48.400 \longrightarrow 00:35:51.861$ the cells are collected in the time series,
- 622 00:35:51.861 --> 00:35:53.870 and we can make use of that time series,
- $623\ 00:35:53.870 \longrightarrow 00:35:56.993$ to determine the root vertex.
- 624 00:35:58.129 --> 00:36:00.690 The rough idea is that for each vertex,
- $625\ 00:36:00.690 --> 00:36:03.150$ we can calculate a fraction time score,
- $626\ 00:36:03.150 \longrightarrow 00:36:05.530$ which is an average of the cells
- $627\ 00:36:05.530 \longrightarrow 00:36:06.890$ that belong to the vertex
- $628\ 00:36:06.890 \longrightarrow 00:36:11.390$ or projected on the edge that connects to the vertex,
- $629\ 00{:}36{:}11.390 \dashrightarrow 00{:}36{:}14.720$ depending on the distance from the cell to the vertex.

- $630\ 00:36:14.720 \longrightarrow 00:36:19.720$ And so we can have some vertex collection time,
- $631\ 00:36:19.840 \longrightarrow 00:36:21.277$ collection time score for each vertex.
- $632\ 00:36:21.277 \longrightarrow 00:36:25.351$ And we choose the root vertex
- $633\ 00:36:25.351 \longrightarrow 00:36:30.351$ as the vertex that has the smallest collection time score.
- $634\ 00:36:31.730 \longrightarrow 00:36:35.300$ And with the roots and with our inferred trajectory,
- $635~00{:}36{:}35{:}300 --> 00{:}36{:}37.872$ it's straightforward to calculate the pseudotimes
- $636\ 00:36:37.872 \longrightarrow 00:36:38.705$ for each score.
- $637\ 00:36:39.610 \longrightarrow 00:36:42.400$ So that's the whole process
- $638\ 00:36:42.400 --> 00:36:46.343$ of our model-based methods for trajectory inference.
- $639\ 00{:}36{:}47.530 \dashrightarrow 00{:}36{:}51.570$ And now let's look at some benchmarking results.
- $640\ 00:36:51.570 \longrightarrow 00:36:54.200$ So first we...
- $641~00{:}36{:}54.200 \dashrightarrow 00{:}36{:}57.980$ So our benchmarking includes both some real datasets
- $642\ 00:36:57.980 \longrightarrow 00:36:59.900$ and some synthetic datasets.
- $643\ 00:36:59.900 \longrightarrow 00:37:02.040$ And we follow the...
- $644\ 00{:}37{:}02.040 {\:{\mbox{--}}}{>}\ 00{:}37{:}05.360$ Most of the benchmarking follows the same framework
- 645 00:37:05.360 --> 00:37:08.920 as this well known benchmarking paper
- 646 00:37:08.920 --> 00:37:11.920 in the "Nature of Biotech" in 2019.
- $647\ 00:37:11.920 \longrightarrow 00:37:13.940$ And our datasets are selected
- $648\ 00{:}37{:}13.940 {\: \hbox{\scriptsize -->}}\ 00{:}37{:}17.010$ as a subset of the datasets that they have tried
- $649\ 00:37:17.895 \longrightarrow 00:37:19.490$ and our criteria is that these datasets,
- $650\ 00:37:19.490$ --> 00:37:24.490 maybe have enough number of cells not too few cells.
- $651\ 00:37:24.960 \dashrightarrow 00:37:29.540$ And we wanted to cover different types of topologies.
- 652 00:37:32.980 --> 00:37:37.120 And this is the benchmarking results.

- $653\ 00:37:37.120 \longrightarrow 00:37:38.660$ So the columns, sorry.
- $654\ 00:37:38.660 \longrightarrow 00:37:41.700$ So the rows are the different datasets
- $655\ 00:37:42.544 \longrightarrow 00:37:43.644$ that I have mentioned.
- $656\ 00:37:45.280 \longrightarrow 00:37:49.687$ And we compare five different methods.
- $657~00{:}37{:}49.687 \dashrightarrow 00{:}37{:}51.830$ So we have, would come first compare two versions
- $658\ 00:37:51.830 \longrightarrow 00:37:53.400$ of our approach.
- $659\ 00:37:53.400$ --> 00:37:58.400 Vitae one as the original elected binomial likelihood base.
- 660 00:38:00.020 --> 00:38:02.920 Vitae and accelerated version,
- $661~00:38:02.920 \dashrightarrow 00:38:06.920$ replacing the gene expression vectors
- $662\ 00:38:06.920 \longrightarrow 00:38:08.483$ by principal scores.
- $663\ 00:38:10.960 \longrightarrow 00:38:13.490$ Then we compare it with three different,
- $664\ 00:38:13.490 \longrightarrow 00:38:16.333$ state of the arch trajectory inference methods.
- $665\ 00:38:18.680 \longrightarrow 00:38:20.350$ The monocle PAGA.
- $666\ 00:38:20.350 \longrightarrow 00:38:24.230$ So the monocle series is from the lab that,
- $667~00{:}38{:}24.230 \dashrightarrow 00{:}38{:}27.200$ who developed the first trajectory inference methods,
- 668 00:38:27.200 --> 00:38:29.670 and there, and then they further,
- $669\ 00:38:29.670 \longrightarrow 00:38:32.000$ the first take monocle for one
- $670\ 00:38:32.000 \longrightarrow 00:38:33.450$ and now they have monocle three.
- $671\ 00:38:33.450 --> 00:38:36.450$ So the monocle series are always commonly used
- 672 00:38:36.450 --> 00:38:40.260 in these single-cell RNA sequencing papers.
- 673 00:38:40.260 --> 00:38:43.990 And two, I expect the performing,
- $674\ 00{:}38{:}43.990 \dashrightarrow 00{:}38{:}47.700$ trajectory inference methods in the benchmarking paper,
- $675\ 00:38:47.700 \longrightarrow 00:38:49.663$ the PAGA and Slingshot.
- $676\ 00:38:51.380 \longrightarrow 00:38:54.590$ And all these methods,
- $677\ 00:38:54.590 \longrightarrow 00:38:59.380$ do not use this time information explicitly.
- $678\ 00{:}38{:}59.380 \dashrightarrow 00{:}39{:}02.543$ So it's a fair comparison between these methods.
- $679\ 00:39:03.685 \longrightarrow 00:39:04.518$ And so the...

- $680\ 00:39:06.680 \dashrightarrow 00:39:11.120$ And for all the methods they are given to by those.
- $681\ 00:39:11.120 \longrightarrow 00:39:13.130$ We give them the two number
- 682 00:39:13.130 --> 00:39:17.443 of clusters or the vertices to start from,
- $683\ 00:39:18.940 \longrightarrow 00:39:20.653$ and the two root vertex.
- $684\ 00:39:22.160 \longrightarrow 00:39:25.020$ And we, and each column is,
- $685\ 00:39:25.020 --> 00:39:29.550$ we compare it's measurement, it's metric
- $686\ 00:39:30.480$ --> 00:39:35.480 for the evaluation of the performance of each method.
- $687\ 00:39:35.860 \longrightarrow 00:39:37.440$ So the first two columns,
- $688\ 00:39:37.440 \longrightarrow 00:39:42.340$ are the matrix for recovery of the trajectory topology
- $689\ 00:39:42.340 \longrightarrow 00:39:44.493$ or the trajectory structure.
- $690\ 00:39:45.620 --> 00:39:48.810$ And next two columns are the evaluation
- $691\ 00:39:48.810 \longrightarrow 00:39:52.770$ of the cell position, estimation accuracy.
- $692\ 00:39:52.770 \longrightarrow 00:39:54.690$ And the last metric is
- $693\ 00:39:54.690 --> 00:39:58.030$ for evaluating the pseudotime accuracy.
- $694\ 00:39:58.030 \longrightarrow 00:40:01.410$ And a larger score means a better performance,
- $695\ 00:40:01.410$ --> 00:40:06.010 and a lower score means like, a worse performance.
- $696\ 00:40:06.010 --> 00:40:10.600$ So you can see that, our approach first is,
- 697 00:40:10.600 --> 00:40:13.480 our approach has much better performance
- 698 00:40:13.480 --> 00:40:16.853 in recovery of the trajectory topology.
- $699\ 00:40:17.980 \longrightarrow 00:40:21.807$ We also have some benefits of the cell position estimates,
- $700\ 00:40:22.670 \longrightarrow 00:40:24.180$ and because of both,
- $701~00{:}40{:}24.180 \dashrightarrow 00{:}40{:}28.550$ we have a better performance in the pseudotime accuracy.
- 702 00:40:28.550 --> 00:40:33.220 And the other thing you can see is that our,
- 703 00:40:33.220 --> 00:40:36.410 our accelerated version have comparable,
- 704 00:40:36.410 --> 00:40:39.740 slightly worse but comparable performance,
- $705\ 00:40:39.740 \longrightarrow 00:40:44.740$ compared to the, our likelihood based vitae.

 $706\ 00:40:45.950 --> 00:40:48.373$ And though it has a much quicker,

 $707\ 00:40:48.373 \longrightarrow 00:40:50.973$ much less computational cost.

708 00:40:53.810 --> 00:40:55.193 So finally,

709 00:40:56.090 --> 00:41:01.003 let's come back to the case study on mouse neocortex.

710 00:41:01.930 \rightarrow 00:41:04.273 So this is the,

 $711\ 00:41:05.420 --> 00:41:09.879$ the visualization of merging the raw data.

 $712\ 00:41:09.879 \longrightarrow 00:41:14.060$ And this is the performance of our methods.

 $713\ 00:41:14.060 \longrightarrow 00:41:19.060$ And for comparison, we compare is, another very popular use,

 $714\ 00:41:20.597 \longrightarrow 00:41:23.580$ data integration method called Seurat.

 $715\ 00:41:23.580 \longrightarrow 00:41:28.550$ So Seurat is the software, the most often used software,

716 00:41:28.550 \rightarrow 00:41:30.530 for single-cell RNA sequencing analysis.

717 00:41:30.530 --> 00:41:32.220 Their lab have different,

 $718\ 00:41:32.220 \longrightarrow 00:41:34.950$ have developed a series of computational tools

71900:41:34.950 --> 00:41:37.630 for analyZ(i)ng the single-cell RNA sequencing data.

 $720\ 00:41:37.630 \longrightarrow 00:41:40.340$ And this is from their integration methods.

 $721\ 00:41:40.340 \longrightarrow 00:41:43.640$ So you can see that both methods can,

 $722\ 00:41:43.640 \longrightarrow 00:41:46.533$ is able to integrate the both two datasets,

 $723\ 00:41:49.550 --> 00:41:51.690$ but for some details, I think,

 $724\ 00{:}41{:}51.690 --> 00{:}41{:}54.580$ because we are assuming this trajectory structure.

 $725\ 00:41:54.580 \longrightarrow 00:41:56.830$ we have a slightly better performance.

 $726\ 00:41:56.830 \longrightarrow 00:42:00.553$ For example, this group of cells are the layer one neurons,

 $727\ 00:42:01.476 --> 00:42:05.727$ where the group of here, are here in Seurat.

 $728\ 00:42:06.690 --> 00:42:09.280$ So you can see that because they come from,

 $729\ 00:42:09.280 \longrightarrow 00:42:12.170$ because the outer layer parts and the layer parts,

 $730\ 00:42:12.170 \longrightarrow 00:42:16.000$ come from two datasets.

731 00:42:16.000 --> 00:42:20.270 Because as I mentioned earlier in dataset B,

- $732\ 00:42:20.270 \longrightarrow 00:42:24.280$ they have collected cells from, at day 11.
- $733\ 00:42:24.280 \longrightarrow 00:42:26.706$ So this are, we can take a look
- $734\ 00:42:26.706 \longrightarrow 00:42:30.133$ of the collection days of each cell.
- $735\ 00:42:31.514 \longrightarrow 00:42:33.605$ So you can see that these cells, they are,
- $736\ 00:42:33.605 \longrightarrow 00:42:35.455$ the layer one parts come from day 11,
- 737 00:42:36.320 --> 00:42:38.850 And the rest parts is a mixture
- $738\ 00:42:38.850 \longrightarrow 00:42:40.493$ of cells from both two datasets.
- 739 00:42:41.921 --> 00:42:43.310 And by the way they all belong to the layer one.
- 740 00:42:43.310 --> 00:42:45.210 So we know that they belong to layer one
- 741 00:42:45.210 --> 00:42:48.210 by looking at the marker genes expression
- $742\ 00:42:48.210 \longrightarrow 00:42:49.920$ which I did not show here.
- $743\ 00{:}42{:}49.920 \dashrightarrow 00{:}42{:}54.920$ So it's because we encourage the cells to align together
- $744\ 00:42:55.010 --> 00:43:00.010$ if they are along the address, if they are similar cells.
- 745 00:43:02.610 --> 00:43:04.603 And you can see here, that's,
- $746~00{:}43{:}06.494 \dashrightarrow 00{:}43{:}10.480$ so the two datasets, they have this interpolation
- $747\ 00:43:10.480 \longrightarrow 00:43:14.270$ of the pseudo, of the collection time.
- 748 00:43:14.270 --> 00:43:16.050 And you can see for example,
- $749\ 00:43:16.050 \longrightarrow 00:43:18.320$ for these projected cells,
- $750\ 00:43:18.320 \longrightarrow 00:43:21.503$ we can see this continuous positions,
- $751\ 00:43:23.730 --> 00:43:26.930$ like alignments of the cells of different days
- 752 00:43:26.930 \rightarrow 00:43:31.930 from so the most the dark is the cells from day ten.
- 753 00:43:33.656 --> 00:43:36.248 And the red ones are the cells from day 18
- $754\ 00:43:36.248 \longrightarrow 00:43:39.790$ and even days are, are from dataset A,
- $755\ 00:43:39.790 \longrightarrow 00:43:41.660$ and odd days are from dataset B.
- 756 00:43:41.660 --> 00:43:43.150 So you can see that though they're coming
- 757 00:43:43.150 --> 00:43:46.310 from two different sources,
- $758\ 00:43:46.310 \longrightarrow 00:43:50.733$ we can, we are able to align them in the right order.

759 00:43:54.240 --> 00:43:55.073 And,

760 00:43:56.170 --> 00:43:58.270 and as another comparison.

 $761\ 00:43:58.270 \longrightarrow 00:44:03.160$ So we compare our estimation of shared trajectory,

 $762\ 00:44:03.160 \longrightarrow 00:44:05.550$ with another partisan approach

 $763~00{:}44{:}05.550 {\:\hbox{--}}{>}~00{:}44{:}10.550$ which is we're first to do data integration with Seurat

 $764\ 00:44:11.500 \longrightarrow 00:44:13.950$ and then we can use Slingshots,

 $765~00{:}44{:}13.950 \dashrightarrow 00{:}44{:}18.147$ to perform trajectory inference on the integrated data.

766 00:44:19.375 --> 00:44:20.630 And you can see that this,

 $767\ 00:44:20.630 --> 00:44:23.830$ we have a much cleaner trajectory structure.

 $768\ 00:44:23.830 \dashrightarrow > 00:44:28.830$ And we also have a comparable computational cost.

769 00:44:29.090 --> 00:44:30.720 So Seurat and Slingshots,

 $770\ 00:44:30.720 \longrightarrow 00:44:33.540$ they cannot be, they do not need regularization.

771 00:44:33.540 --> 00:44:38.180 And with one CPU, they, it takes about 12 minutes.

772 00:44:38.180 --> 00:44:42.470 And for our accelerated VITAE,

773 00:44:42.470 --> 00:44:44.813 generating this figure, we have,

 $774\ 00:44:44.813 \longrightarrow 00:44:46.750$ we can, we take about three minutes

 $775\ 00{:}44{:}46.750 \dashrightarrow 00{:}44{:}51.750$ on one GPU port at about 10 minutes on eight CPU cores

 $776\ 00:44:51.859 --> 00:44:54.770$ which is, the eight CPU cores are like currently,

777 00:44:54.770 --> 00:44:56.550 like most of our laptops,

 $778\ 00:44:56.550 \longrightarrow 00:45:00.280$ but we'll have such computational resources.

 $779\ 00:45:00.280 --> 00:45:03.940$ So we have comparable computation cost

 $780\ 00:45:03.940 \longrightarrow 00:45:06.373$ with this state of our methods.

 $781\ 00:45:07.270 --> 00:45:10.660$ And in addition, because we are...

 $782~00{:}45{:}10.660 \dashrightarrow 00{:}45{:}14.330$ Based on this approximated posterior distributions

 $783\ 00:45:14.330 --> 00:45:18.761$ we also have some kind of uncertainty quantifications

 $784\ 00:45:18.761 \longrightarrow 00:45:20.020$ on the cell positions.

 $785\ 00:45:20.020 \longrightarrow 00:45:23.143$ For example, here, it shall say some parts of the cells,

 $786\ 00:45:24.300 \longrightarrow 00:45:26.120$ these cell positions

 $787\ 00:45:26.120 \longrightarrow 00:45:29.573$ along the trajectory are not very reliable.

 $788\ 00:45:31.660 \longrightarrow 00:45:36.660$ And that will help us to evaluate our, the estimate,

 $789\ 00:45:36.960 --> 00:45:40.290$ how we think our estimate in pseudotime.

790 00:45:41.710 --> 00:45:43.610 And finally,

791 00:45:43.610 --> 00:45:47.820 this is showing some gene expression change

 $792\ 00:45:48.744 \longrightarrow 00:45:50.030$ along the pseudotime order.

 $793\ 00:45:50.030 \longrightarrow 00:45:54.550$ And, and we look at some top markers

 $794\ 00:45:54.550 \longrightarrow 00:45:57.030$ that are changing along the pseudotime order

795 00:45:57.030 --> 00:46:02.030 for some trajectories in the whole trajectory structure.

 $796\ 00:46:03.110 \longrightarrow 00:46:05.250$ And you can see,

 $797\ 00:46:05.250 \longrightarrow 00:46:10.250$ here we separately fish the curve for two datasets,

 $798\ 00:46:10.550 --> 00:46:13.260$ but you can see that they overlap

 $799\ 00:46:13.260 \longrightarrow 00:46:15.360$ with each other quite well.

800 00:46:15.360 --> 00:46:18.220 And so that's also an evidence showing

 $801\ 00:46:18.220 \longrightarrow 00:46:20.563$ that we can have a good,

 $802\ 00:46:23.032$ --> 00:46:26.140 a good performance in aligning the two datasets.

 $803\ 00:46:28.160 \longrightarrow 00:46:30.753$ So the take home message is,

 $804\ 00:46:30.753$ --> 00:46:35.753 first we perform this model-based trajectory inference,

 $805\ 00:46:36.170 \longrightarrow 00:46:38.250$ to understand cell dynamics.

806 00:46:38.250 --> 00:46:41.200 And our, the second is our methods.

807 00:46:41.200 --> 00:46:43.460 So our method is a model-based approach.

- $808\ 00{:}46{:}43.460$ --> $00{:}46{:}48.460$ We can combine the mixture prior model, Oh, sorry.
- $809\ 00{:}46{:}49{.}990 \dashrightarrow 00{:}46{:}53{.}556$ We can combine the collected mixture structure
- 810 00:46:53.556 --> 00:46:57.600 for defining the trajectory structure
- $811\ 00:46:57.600 \longrightarrow 00:47:00.410$ with the variational autoencoders
- $812\ 00:47:00.410 \longrightarrow 00:47:03.333$ so that we can efficiently,
- 813 00:47:04.710 --> 00:47:07.940 efficiently solve the mixture model
- $814\ 00{:}47{:}07.940 \longrightarrow 00{:}47{:}11.910$ and have enough flexibility to fit the data well.
- 815 00:47:11.910 --> 00:47:14.060 And so our,
- 816 00:47:14.060 --> 00:47:16.970 trajectory inference approach features,
- 817 00:47:16.970 --> 00:47:19.220 the analysis of integrating
- 818 $00:47:19.220 \longrightarrow 00:47:21.900$ multiple single-cell RNA sequencing datasets.
- 819 00:47:21.900 --> 00:47:25.590 And if you are anxious to know more details,
- 820 00:47:25.590 --> 00:47:29.310 we have our paper, a manuscript,
- $821\ 00:47:29.310 \longrightarrow 00:47:32.740$ a manuscript already available on bio archives
- $822\ 00:47:32.740 \longrightarrow 00:47:37.740$ and we also have our package codes on VITAE.
- 823 00:47:38.050 --> 00:47:39.640 And that's all. Thank you.
- $824~00{:}47{:}39.640 --> 00{:}47{:}44.401$ And if you have any questions, I'm happy to answer them.
- 825 00:47:44.401 --> 00:47:47.353 Thanks Jingshu for this excellent, excellent talk.
- 826 00:47:49.090 --> 00:47:50.340 I wonder whether the audience,
- $827\ 00:47:50.340 \longrightarrow 00:47:52.240$ have any questions for Jingshu.
- 828 00:47:58.112 --> 00:48:01.550 Okay. So Jingshu I have some maybe minor questions.
- 829 00:48:01.550 --> 00:48:03.650 I recall that in the model,
- 830 00:48:03.650 --> 00:48:07.410 you have this actual term encouraging X,
- 831 00:48:07.410 --> 00:48:11.680 the data explained by X the covariates,
- 832 00:48:11.680 --> 00:48:13.228 the confounding covariates,
- 833 00:48:13.228 --> 00:48:18.228 to be orthogonal to the leading factor, right?
- $834\ 00:48:18.620 \longrightarrow 00:48:21.330$ And then there is a penalty term alpha.

835 00:48:21.330 --> 00:48:22.693 So I wonder,

 $836\ 00:48:24.980$ --> 00:48:28.280 what's the motivation for you to including this term

 $837\ 00{:}48{:}28.280 \dashrightarrow 00{:}48{:}33.009$ instead of first removing the effect from the i directly.

 $838\ 00:48:33.009 --> 00:48:36.473$ And in practice, how should we have set alpha?

 $839\ 00:48:38.940 \longrightarrow 00:48:42.770$ - So, so, so the thing is a bit tricky here

 $840\ 00:48:44.170 --> 00:48:45.194$ from a statistical point of view.

 $841~00{:}48{:}45.194 \dashrightarrow 00{:}48{:}50.194$ So we want to remove these confounding effects, right?

 $842\ 00:48:50.960 \longrightarrow 00:48:53.320$ But the other fact is that,

 $843\ 00:48:53.320 \longrightarrow 00:48:55.930$ these confounding effects, the X,

844 00:48:55.930 --> 00:48:58.850 are not exactly orthogonal with Z,

 $845\ 00:48:58.850 \longrightarrow 00:49:03.140$ because for instance for the two datasets that I have,

 $846\ 00{:}49{:}03.140 \dashrightarrow 00{:}49{:}06.240$ we cannot say that the signal is completely orthogonal

847 00:49:06.240 --> 00:49:08.630 to each dataset they have come from

 $848\ 00:49:08.630 \longrightarrow 00:49:11.989$ because there are two biological differences

 $849\ 00:49:11.989 \longrightarrow 00:49:12.950$ between the two datasets.

850 00:49:12.950 --> 00:49:14.293 So, so here,

 $851\ 00:49:16.877 --> 00:49:18.900$ so here, the problem is not completely identifiable

852 00:49:18.900 --> 00:49:21.870 but people do it in practice a lot.

 $853~00{:}49{:}21.870 \dashrightarrow 00{:}49{:}26.870$ So we want to kind of decorrelate Z and X to some extent

 $854\ 00:49:29.250 \longrightarrow 00:49:31.840$ so that we can remove,

 $855\ 00:49:31.840 \longrightarrow 00:49:36.370$ remove the batch effects that we do not want

 $856\ 00:49:36.370 --> 00:49:38.690$ but keep the two biological differences.

 $857\ 00:49:38.690 --> 00:49:41.410$ So I think the underlying assumption

 $858\ 00:49:41.410 --> 00:49:43.590$ the big assumption is that we are assuming

 $859\ 00{:}49{:}43.590 \dashrightarrow 00{:}49{:}48.328$ that the two biological differences are large enough

 $860\ 00:49:48.328 \longrightarrow 00:49:50.002$ so that compared to the...

 $861~00{:}49{:}50.002$ --> $00{:}49{:}52.918$ So we remove the smaller differences, the batch effects

 $862\ 00:49:52.918$ --> 00:49:56.010 but we can still pick the two biological differences,

 $863\ 00:49:56.010 \longrightarrow 00:49:56.980$ to some extent.

864 00:49:56.980 --> 00:50:01.030 So there's no guarantee that it will work,

865 00:50:01.030 --> 00:50:05.808 but in practice, it work on a lot of datasets.

866 00:50:05.808 --> 00:50:06.641 I think that's...

 $867\ 00:50:08.485 \longrightarrow 00:50:11.110$ So we will inherit this idea from this paper

 $868\ 00:50:11.110 --> 00:50:16.110$ by Nancy Huang and her students.

 $869\ 00:50:16.300 \longrightarrow 00:50:19.410$ So I think in removing the batch effects.

 $870\ 00:50:19.410 \longrightarrow 00:50:21.290$ So I think the idea is that,

 $871\ 00:50:21.290 \longrightarrow 00:50:25.027$ we hope that it can work for a lot of datasets.

 $872\ 00{:}50{:}25.027 \dashrightarrow 00{:}50{:}28.340$ And the reason that we want to have this penalty,

 $873\ 00:50:28.340 \longrightarrow 00:50:31.580$ is that if we don't add any penalty,

 $874\ 00:50:31.580 \longrightarrow 00:50:36.210$ then, because this autoencoder is trained by this,

 $875\ 00:50:36.210 --> 00:50:38.730$ by this stochastic gradient descent.

 $876\ 00:50:38.730 --> 00:50:42.863$ So sometime it may not find the optimal global solution.

877 00:50:43.860 --> 00:50:48.860 So if we don't encourage it, the X and Z to be decorrelated,

 $878\ 00:50:48.880 \longrightarrow 00:50:50.600$ it sometimes may not be able,

 $879\ 00:50:50.600 \longrightarrow 00:50:53.770$ it may give you a solution that is not,

880 $00:50:53.770 \longrightarrow 00:50:57.610$ that's the Z still are highly correlated with X

 $881\ 00:50:57.610 --> 00:50:59.320$ and the batch effects are still there.

882 00:50:59.320 \rightarrow 00:51:04.297 So then this alpha, I think in practice we set it to be 0.0.

 $883\ 00:51:05.850 \longrightarrow 00:51:10.850$ so it's a very small penalty so that we can put some,

884 00:51:11.180 --> 00:51:15.910 some kind of penalty to regularize that.

```
885 00:51:15.910 --> 00:51:18.104 - Small amount, I guess you mentioned.
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- 886 00:51:18.104 --> 00:51:19.313 Yes, yes.
- 887 00:51:20.670 --> 00:51:22.007 And it may be that does not work,
- $888\ 00{:}51{:}22.007 \dashrightarrow 00{:}51{:}25.930$ and then in practice you can choose another alpha and try it
- $889\ 00{:}51{:}25.930 \dashrightarrow 00{:}51{:}29.787$ and see if it gives you the best results that you want.
- 890 00:51:29.787 --> 00:51:31.930 Right. So, so I want...
- 891 00:51:31.930 --> 00:51:33.590 I guess, right.
- $892\ 00:51:33.590 --> 00:51:35.770$ So I guess my question is like,
- 893 00:51:35.770 --> 00:51:40.250 since it's not entirely a supervised problem,
- 894 00:51:40.250 --> 00:51:41.650 like how, right.
- 895 00:51:41.650 --> 00:51:45.170 So I'm not sure how to check,
- $896\ 00:51:45.170 \longrightarrow 00:51:48.250$ what is a good alpha in the sense,
- 897 00:51:48.250 --> 00:51:50.622 but if you tell me like a small alpha,
- 898 00:51:50.622 --> 00:51:51.455 well you're going to be fine
- 899 00:51:51.455 --> 00:51:53.663 then I just take it to be small alpha.
- 900 00:51:53.663 --> 00:51:56.550 Yeah. I think the way you check it is that,
- 901 00:51:56.550 \rightarrow 00:52:00.333 for example the way we check it here is that,
- 902 00:52:01.820 \rightarrow 00:52:04.340 so sometimes we have some referenced cell types,
- 903 00:52:04.340 --> 00:52:08.600 so that, you know roughly what you are doing.
- 904 00:52:08.600 --> 00:52:10.020 So here, for example,
- 905 00:52:10.020 --> 00:52:12.513 here this reference cell types, these are,
- 906 00:52:13.737 --> 00:52:17.930 these are not used in the modeling approach,
- $907\ 00:52:17.930 \longrightarrow 00:52:20.900$ so these are for evaluation the performance.
- 908 00:52:20.900 --> 00:52:23.300 And for some datasets, you can't,
- 909 00:52:23.300 --> 00:52:25.660 we can mark our genes and do some class points,
- 910 00:52:25.660 --> 00:52:27.803 so, you know, roughly like which though,
- 911 00:52:29.136 --> 00:52:32.070 (indistinct)
- $912\ 00:52:32.070 \longrightarrow 00:52:33.870$ and for two datasets, you can see,

- 913 00:52:33.870 --> 00:52:37.350 like whether you can correctly merge the cell types
- $914\ 00:52:37.350 \longrightarrow 00:52:39.780$ that are shared among the datasets
- $915\ 00:52:40.847 \longrightarrow 00:52:41.680$ but keep the cell types
- $916\ 00:52:41.680 \longrightarrow 00:52:44.533$ that are unique to different cells.
- 917 00:52:45.585 --> 00:52:48.840 Then for our trajectory inference is slightly complicated
- $918\ 00:52:48.840 \longrightarrow 00:52:51.890$ because these cell types are not well separated.
- 919 00:52:51.890 --> 00:52:55.150 So another way that we can check our performance,
- 920 00:52:55.150 --> 00:52:58.717 is that you can see here that we can correctly,
- 921 00:52:59.900 --> 00:53:02.560 for these projected cells we can correctly like,
- 922 00:53:02.560 --> 00:53:06.460 order the wrong days in the right order.
- $923\ 00:53:06.460 \longrightarrow 00:53:07.660$ So that we know that we keep
- 924 00:53:07.660 \rightarrow 00:53:11.273 some biological meaningful signals there.
- $925\ 00:53:12.893 \longrightarrow 00:53:16.033$ I think there still can be some bias. Yeah.
- 926 $00:53:17.670 \longrightarrow 00:53:19.023$ Okay, great. Thanks.
- 927 00:53:20.870 --> 00:53:25.230 So, thanks Jingshu again for this excellent talk.
- 928 00:53:25.230 --> 00:53:28.153 And if you have any question you want to ask Jingshu
- 929 00:53:28.153 --> 00:53:31.260 that you cannot think about for now,
- 930 00:53:31.260 --> 00:53:33.280 you can always email her offline
- 931 00:53:33.280 --> 00:53:35.520 and if you want to use her software,
- 932 00:53:35.520 --> 00:53:38.530 I think she'll be more than happy to answer your question.
- 933 00:53:38.530 --> 00:53:39.363 Yes. Yes.
- 934 00:53:40.582 --> 00:53:41.960 (chuckles)
- 935 $00:53:41.960 \longrightarrow 00:53:43.693$ So I guess that's all for today.
- 936 00:53:45.640 --> 00:53:47.000 Thank you everyone joining.
- 937 00:53:47.000 --> 00:53:49.260 Thank you Jingshu for being here,
- 938 00:53:49.260 --> 00:53:51.513 and have a nice remaining day.