## WEBVTT

 $00:00:00.090 \longrightarrow 00:00:00.990$  - From a colleague

 $00{:}00{:}04.730 --> 00{:}00{:}08.890$  asking for help with planning for the intensive care unit

 $00{:}00{:}10.314 --> 00{:}00{:}13.560$  and floor bed capacity at the Yale New Haven Hospital

 $00:00:13.560 \longrightarrow 00:00:17.540$  Health System and Yale New Haven in particular.

 $00{:}00{:}17.540 \dashrightarrow 00{:}00{:}20.760$  Margret and Sohei had previously, or around the same time,

 $00:00:20.760 \longrightarrow 00:00:25.030$  been working with the statistics policy

 $00{:}00{:}25.030 \dashrightarrow 00{:}00{:}27.790$  modeling an epidemiology collective on a queuing model

 $00:00:27.790 \longrightarrow 00:00:31.770$  or discussing the parameters of the queuing model

 $00:00:31.770 \longrightarrow 00:00:35.303$  for the dynamics of Covid-19 patient flow through hospitals.

 $00{:}00{:}36.580 \dashrightarrow 00{:}00{:}41.060$  So we decided to use this model setup to make a concrete

 $00:00:41.060 \longrightarrow 00:00:44.140$  software product in the form of a web application

 $00{:}00{:}44.140 \dashrightarrow 00{:}00{:}46.820$  that Yale New Haven Health System and other hospital systems

00:00:46.820 --> 00:00:48.483 could use for capacity planning.

 $00{:}00{:}49.640 \dashrightarrow 00{:}00{:}54.170$  We wanted to respond to their very immediate need

 $00{:}00{:}54.170 --> 00{:}00{:}59.170$  to know how full the hospital would get if Covid patients

 $00:01:00.180 \longrightarrow 00:01:02.470$  kept coming at the rates that they were seeing

 $00{:}01{:}02.470 \dashrightarrow 00{:}01{:}05.690$  and how they might expand capacity to accommodate

 $00:01:05.690 \longrightarrow 00:01:06.763$  these new patients.

00:01:08.760 --> 00:01:11.840 So we created a Slack channel,

 $00:01:11.840 \longrightarrow 00:01:14.570$  a way of communicating directly in real time

00:01:14.570 --> 00:01:17.309 with the team members, who created a GitHub repository.

00:01:17.309 --> 00:01:19.880 Within, I think, only about two hours,

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00:01:19.880 \longrightarrow 00:01:22.290 we had a web application written in R,
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00:01:22.290 --> 00:01:23.623 using Shiny framework,

 $00:01:24.930 \longrightarrow 00:01:29.700$  where you could sort of dial in the

 $00:01:29.700 \longrightarrow 00:01:32.240$  current bed capacity at a hospital system.

 $00:01:32.240 \longrightarrow 00:01:34.800$  You could enter parameters that govern the length

 $00{:}01{:}34.800 \dashrightarrow 00{:}01{:}37.390$  of stay of Covid patients and how they move through

 $00:01:37.390 \longrightarrow 00:01:39.600$  the hospital from the emergency department

 $00:01:39.600 \longrightarrow 00:01:40.970$  to the floor to the ICU

 $00:01:40.970 \longrightarrow 00:01:44.483$  and then toward discharge or possibly death.

00:01:46.630 --> 00:01:50.803 So that product went live very, very quickly.

 $00{:}01{:}52.550 \dashrightarrow 00{:}01{:}54.410$  There are many other collaborators and contributors

 $00:01:54.410 \longrightarrow 00:01:59.120$  to the application beyond just our group.

 $00:01:59.120 \longrightarrow 00:02:00.980$  Our goal here was to produce

 $00:02:02.780 \longrightarrow 00:02:05.263$  something very quickly and immediately useful.

 $00:02:07.730 \longrightarrow 00:02:10.410$  The structure of this model is shown

00:02:10.410 --> 00:02:12.080 in this very complicated diagram.

 $00:02:12.080 \longrightarrow 00:02:14.390$  It's not as complicated as it looks.

 $00:02:14.390 \longrightarrow 00:02:18.100$  The basic idea is that patients enter through

 $00:02:18.100 \longrightarrow 00:02:19.500$  to the emergency department.

 $00:02:21.290 \longrightarrow 00:02:26.290$  They move to the floor then to the ICU.

00:02:26.660 --> 00:02:28.040 There are many things that could happen

 $00:02:28.040 \longrightarrow 00:02:30.520$  if those places are full.

 $00{:}02{:}30.520 \dashrightarrow 00{:}02{:}34.340$  Each of those parts of the hospital is treated as a queue.

 $00:02:34.340 \longrightarrow 00:02:36.650$  That is, it's essentially a pool of patients

 $00:02:36.650 \longrightarrow 00:02:39.360$  who are waiting to exit.

 $00:02:39.360 \longrightarrow 00:02:41.400$  One of the ways they can exit is to step up

 $00:02:41.400 \longrightarrow 00:02:42.810$  from the floor to the ICU.

 $00:02:42.810 \longrightarrow 00:02:45.230$  One of the ways they can exit is to die.

 $00:02:45.230 \longrightarrow 00:02:47.132$  Another is to be discharged

 $00:02:47.132 \longrightarrow 00:02:49.910$  if they are no longer acutely ill.

 $00:02:49.910 \dashrightarrow 00:02:54.620$  So sort of taking into account all of this schematic, this

 $00:02:55.850 \longrightarrow 00:02:59.800$  stylized depiction of the way Covid patients

00:02:59.800 --> 00:03:01.850 would flow through a hospital,

 $00:03:01.850 \longrightarrow 00:03:05.340$  we wrote a system of ordinary differential equations,

00:03:05.340 --> 00:03:08.683 which describe formally, the dynamics of this system.

 $00:03:10.290 \longrightarrow 00:03:12.540$  It's a very simple type of modeling

 $00:03:13.450 \longrightarrow 00:03:17.490$  that is very useful when the number of patients is large

00:03:17.490 --> 00:03:20.910 and when you want sort of aggregate dynamics over time.

 $00{:}03{:}20.910 \dashrightarrow 00{:}03{:}23.560$  So we're not modeling, it's not an agent-based model.

 $00{:}03{:}24.451 \dashrightarrow 00{:}03{:}26.090$  We're not modeling individual patients trajectories

 $00:03:26.090 \longrightarrow 00:03:27.170$  through the hospital.

 $00:03:27.170 \longrightarrow 00:03:31.050$  Rather, this idea of patient flow through the hospital.

00:03:31.050 --> 00:03:34.000 So this model, depicted schematically here,

 $00{:}03{:}34.000 \dashrightarrow 00{:}03{:}36.540$  is formalized in a system about ordinary differential

 $00:03:36.540 \longrightarrow 00:03:38.800$  equations with many parameters.

 $00{:}03{:}38.800 \dashrightarrow 00{:}03{:}41.360$  Those parameters are calibrated to data that we have

 $00{:}03{:}41.360 \dashrightarrow 00{:}03{:}43.210$  from the Yale New Haven Health System

00:03:46.398 --> 00:03:49.100 and to values from the literature.

 $00:03:49.100 \longrightarrow 00:03:52.980$  We wrote this web application, which is now live

 $00:03:52.980 \longrightarrow 00:03:55.890$  at the Shiny apps URL that you can see below.

00:03:55.890 --> 00:03:59.243 You can interact with it if you like.

 $00:04:00.570 \longrightarrow 00:04:04.050$  It basically allows the user to specify time horizon,

 $00{:}04{:}04{:}050 \dashrightarrow 00{:}04{:}07.050$  how quickly or slowly they think new Covid patients

 $00:04:07.050 \longrightarrow 00:04:10.040$  will present to the emergency department

 $00{:}04{:}10.040 \dashrightarrow 00{:}04{:}14.960$  and then on subsequent tabs, you can dial in the current

 $00:04:14.960 \longrightarrow 00:04:17.390$  hospital capacity at your institution.

 $00{:}04{:}17.390 \dashrightarrow 00{:}04{:}19.977$  You can dial in capacity increases that you anticipate

 $00:04:19.977 \longrightarrow 00:04:22.516$  being able to implement into the future

00:04:22.516 --> 00:04:24.580 to see how dynamics would change if say,

00:04:24.580 --> 00:04:29.580 you could add 100 new ICU beds over the course of two weeks

 $00:04:29.600 \longrightarrow 00:04:32.170$  a month from now, for example.

 $00:04:32.170 \longrightarrow 00:04:34.360$  Then there are many, many input parameters.

 $00:04:34.360 \longrightarrow 00:04:37.230$  Things like the age-specific rates

 $00:04:39.197 \longrightarrow 00:04:42.410$  of death or of stepping up from the floor in the ICU,

 $00{:}04{:}42.410 \to 00{:}04{:}45.720$  to the average length of stay in each of those compartments

 $00:04:47.098 \longrightarrow 00:04:49.680$  for patients who come to the hospital.

 $00{:}04{:}49.680 \dashrightarrow 00{:}04{:}52.943$  You can generate reports, downloadable PDF reports.

 $00:04:54.050 \longrightarrow 00:04:56.700$  We sort of envisioned this tool being responsive

 $00{:}04{:}56.700 \dashrightarrow 00{:}05{:}00.130$  to the needs of hospital decision makers

 $00:05:00.130 \longrightarrow 00:05:04.350$  who wanted to be able to add this planning capability

00:05:04.350 --> 00:05:08.620 to their existing bed management software applications

 $00:05:08.620 \longrightarrow 00:05:11.560$  and then to be able to generate reports for say,

 $00:05:11.560 \longrightarrow 00:05:13.870$  supervisors and higher up decision makers

 $00:05:13.870 \longrightarrow 00:05:16.670$  that would describe the scenario that the analysts

 $00:05:16.670 \longrightarrow 00:05:17.913$  was most interested in.

 $00:05:19.360 \longrightarrow 00:05:21.890$  The reports would also describe the consequences

 $00{:}05{:}21.890 \dashrightarrow 00{:}05{:}24.950$  of a capacity expansion strategy that might be implemented

 $00:05:24.950 \longrightarrow 00:05:25.803$  by the system.

 $00:05:27.020 \longrightarrow 00:05:29.600$  So I think this tool was very useful

 $00:05:29.600 \longrightarrow 00:05:32.632$  to the Yale New Haven Health System.

00:05:32.632 --> 00:05:36.280 It was publicized kind of broadly and we got some interest

 $00:05:36.280 \longrightarrow 00:05:39.000$  from hospital systems throughout the U.S..

 $00{:}05{:}39.000 \dashrightarrow 00{:}05{:}40.760$  I had spoke to some of them about the ways

 $00{:}05{:}40.760 \dashrightarrow 00{:}05{:}44.770$  that they were making decisions, planning capacity increases

 $00:05:44.770 \longrightarrow 00:05:47.030$  and using this application and others

00:05:47.030 --> 00:05:49.030 that are also publicly available online,

 $00:05:50.070 \longrightarrow 00:05:51.870$  to help guide their decision making.

 $00:05:53.870 \longrightarrow 00:05:55.710$  This is an open source project.

 $00{:}05{:}55.710 \dashrightarrow 00{:}05{:}59.150$  You can get all of the source code for the Shiny application

 $00:05:59.150 \longrightarrow 00:06:02.263$  on our GitHub repository here, shown below.

00:06:07.290 --> 00:06:09.880 So what are the next steps for this project?

 $00:06:09.880 \longrightarrow 00:06:13.723$  Fortunately, hospitalization in Connecticut is declining.

 $00{:}06{:}15.130 \dashrightarrow 00{:}06{:}17.460$  This figure that I've shown here is kind of compressed.

 $00:06:17.460 \longrightarrow 00:06:18.693$  It's declining slowly.

00:06:20.740 --> 00:06:22.610 But it has been declining for I think,

 $00:06:22.610 \longrightarrow 00:06:24.113$  more than three weeks now.

 $00{:}06{:}25.260 \dashrightarrow 00{:}06{:}27.950$  Yale New Haven Health System, along with hospitals

00:06:27.950 --> 00:06:30.130 heath systems throughout the state,

 $00:06:30.130 \dashrightarrow 00:06:33.080$  are doing much better than they were in mid-April.

 $00:06:33.080 \longrightarrow 00:06:35.120$  They have enough bed capacity to accommodate

 $00{:}06{:}35.120 \dashrightarrow 00{:}06{:}38.620$  all the Covid patients and many more who may arrive

 $00:06:38.620 \longrightarrow 00:06:40.380$  in the coming months.

 $00:06:40.380 \longrightarrow 00:06:42.090$  So this is very good news for the hospitals

 $00:06:42.090 \longrightarrow 00:06:43.150$  and for the state.

 $00:06:43.150 \longrightarrow 00:06:45.700$  It's one of the reasons that the governor initiated

 $00{:}06{:}48.188 \dashrightarrow 00{:}06{:}53.030$  the first phase of the reopening plan on May 20 this week.

00:06:53.030 --> 00:06:55.610 However, a lot of the projections and some that I'll show

 $00{:}06{:}55.610 \dashrightarrow 00{:}06{:}58.460$  in a few minutes, indicate a substantial risk of resurgence

 $00{:}06{:}58.460 \dashrightarrow 00{:}07{:}00.700$  of new cases, hospitalizations and deaths

 $00:07:00.700 \longrightarrow 00:07:02.563$  following reopening the state.

 $00:07:03.460 \longrightarrow 00:07:06.020$  This resurgence is anticipated to occur in July,

00:07:06.020 --> 00:07:09.100 August, maybe September, depending on how things go

 $00:07:09.100 \longrightarrow 00:07:10.053$  with reopening.

 $00:07:11.410 \longrightarrow 00:07:13.400$  So I think that

 $00{:}07{:}13.400 \dashrightarrow 00{:}07{:}15.940$  the model, the web application,

 $00{:}07{:}15.940 \dashrightarrow 00{:}07{:}19.363$  and this work in general will unfortunately,

 $00:07:20.320 \longrightarrow 00:07:22.660$  become useful again and very relevant again

 $00{:}07{:}22.660 \dashrightarrow 00{:}07{:}25.330$  later on in the summer if hospitalization

 $00:07:25.330 \longrightarrow 00:07:27.323$  of Covid patients increases again.

 $00{:}07{:}28.280 \rightarrow 00{:}07{:}31.230$  So we want to maintain our capacity to continue developing

 $00:07:31.230 \longrightarrow 00:07:33.570$  this model and responding to the needs

 $00:07:33.570 \longrightarrow 00:07:36.500$  of decision makers within hospital systems.

 $00:07:36.500 \longrightarrow 00:07:38.170$  We're taking this down time though,

 $00{:}07{:}38.170 \dashrightarrow 00{:}07{:}41.540$  to write a technical report and a lessons learned paper

 $00{:}07{:}41.540 \dashrightarrow 00{:}07{:}44.040$  about the way that we interact with health systems

 $00:07:45.879 \longrightarrow 00:07:47.770$  and how we might improve the way

 $00:07:47.770 \longrightarrow 00:07:49.600$  that we do that in the future.

 $00{:}07{:}49.600 \dashrightarrow 00{:}07{:}52.430$  This work is of course also gotten us very interested

 $00:07:52.430 \longrightarrow 00:07:54.820$  in the ways that hospitals manage Covid patients.

00:07:54.820 --> 00:07:57.360 We're very interested in comparative evaluation

 $00:07:57.360 \longrightarrow 00:08:00.180$  and comparative effectiveness in the evaluation

 $00:08:00.180 \longrightarrow 00:08:02.530$  of Covid-19 medical interventions.

 $00:08:02.530 \longrightarrow 00:08:05.896$  That's something that Margret Erlensdottir

00:08:05.896 --> 00:08:08.046 an MD PhD student in biostat is working on.

 $00:08:08.886 \longrightarrow 00:08:09.927$  - Forrest? - Yes?

00:08:09.927 --> 00:08:11.580 - Can you take a question?

 $00:08:11.580 \longrightarrow 00:08:13.033$  - Yes, please go ahead.

00:08:15.510 --> 00:08:17.833 - Have you only applied this to Yale New Haven?

 $00:08:18.960 \longrightarrow 00:08:21.800$  - We have, the model itself is generic.

 $00:08:21.800 \longrightarrow 00:08:26.030$  This is a good question, but we have calibrated many

 $00:08:26.030 \longrightarrow 00:08:30.080$  of the length of stay and probability parameters

 $00{:}08{:}30.080 \dashrightarrow 00{:}08{:}32.630$  based on data that we received from Yale New Haven.

 $00{:}08{:}33.960 \dashrightarrow 00{:}08{:}37.800$  So in that sense, the dynamics that we present by default

00:08:39.483 --> 00:08:41.070 are specific to Yale New Haven.

 $00{:}08{:}41.070 --> 00{:}08{:}44.690$  The user has the ability to change all of those parameters,

00:08:44.690 --> 00:08:47.190 so we anticipate that this could be useful

 $00:08:47.190 \longrightarrow 00:08:49.850$  for hospital systems of any size

00:08:49.850 --> 00:08:51.330 with different patient demographics,

 $00{:}08{:}51.330 \dashrightarrow 00{:}08{:}53.453$  different age distributions for example.

 $00:08:54.390 \longrightarrow 00:08:56.500$  So we want it to be as useful as possible,

00:08:56.500 --> 00:08:59.320 but having said all this, the customer in this case,

 $00:08:59.320 \longrightarrow 00:09:02.020$  was very clearly for us, Yale New Haven

 $00:09:02.020 \longrightarrow 00:09:04.207$  and they had a very specific need and--

 $00:09:04.207 \longrightarrow 00:09:05.890$  - Have you had a reaction?

 $00:09:05.890 \longrightarrow 00:09:08.188$  Did you have an ongoing reaction with the people

00:09:08.188 --> 00:09:10.120 at Yale New Haven who were using this product,

 $00{:}09{:}10.120 \dashrightarrow 00{:}09{:}12.560$  whether or not it was helping them or was it accurate

00:09:12.560 --> 00:09:15.600 or did they have any complaints about it?

 $00:09:15.600 \longrightarrow 00:09:16.433$  I'm sure they did.

00:09:16.433 --> 00:09:19.020 Can you tell me about that interaction?

 $00:09:19.020 \longrightarrow 00:09:20.173$  - Sure, sure.

 $00:09:21.630 \longrightarrow 00:09:25.050$  I think that they made a few requests of us.

00:09:25.050 --> 00:09:26.630 Some of them were very qualitative.

 $00{:}09{:}26.630 \dashrightarrow 00{:}09{:}29.780$  They wanted very early to be able to generate reports.

 $00:09:29.780 \dashrightarrow 00:09:32.560$  A lot of the requests were for additional functionality

 $00:09:32.560 \longrightarrow 00:09:36.960$  rather than additional structure in the OD model

 $00:09:36.960 \longrightarrow 00:09:38.724$  but they really,

 $00:09:38.724 \longrightarrow 00:09:41.420$  I think many of the requests were about flexibility

 $00:09:41.420 \longrightarrow 00:09:43.840$  and granularity in the predictions.

 $00:09:43.840 \longrightarrow 00:09:46.140$  They wanted to be able to dial in the exact patient

 $00:09:46.140 \dashrightarrow 00:09:50.470$  demographics and the care parameters that were actually

 $00{:}09{:}50.470 \dashrightarrow 00{:}09{:}52.050$  being implemented at Yale New Haven.

 $00:09:52.050 \longrightarrow 00:09:55.203$  So we tried to give them that ability and that control.

 $00:09:57.923 \longrightarrow 00:09:59.430$  I think mostly, successfully.

 $00:09:59.430 \longrightarrow 00:10:01.960$  We retained some of the generality of the model,

 $00:10:01.960 \longrightarrow 00:10:04.950$  while allowing users to input the parameters

 $00:10:04.950 \longrightarrow 00:10:07.450$  that they felt were right for their system.

 $00{:}10{:}07.450 \dashrightarrow 00{:}10{:}11.020$  In terms of the way it was used at Yale New Haven,

00:10:11.020 --> 00:10:15.190 I think that by the time they asked us for help,

 $00:10:15.190 \longrightarrow 00:10:17.540$  many of the actual capacity expansions

00:10:17.540 --> 00:10:18.770 had already been implemented.

00:10:18.770 --> 00:10:21.840 I'm talking about taking over high school gymnasia,

 $00:10:21.840 \longrightarrow 00:10:24.930$  changing the configuration of parking lots

 $00:10:24.930 \longrightarrow 00:10:28.003$  to provide drive through testing and turning,

 $00:10:30.482 \longrightarrow 00:10:33.413$  I guess parts of the hospital into ICUs.

00:10:33.413 --> 00:10:34.287 Many of those--

 $00{:}10{:}35.750 \dashrightarrow 00{:}10{:}38.210$  - You might say that they over expanded a little bit

 $00:10:38.210 \longrightarrow 00:10:41.460$  since they quickly came not needed capacity.

00:10:41.460 --> 00:10:43.312 So did you help them, saying hey,

00:10:43.312 --> 00:10:45.112 you guys don't need to do that much?

 $00:10:47.130 \dashrightarrow 00:10:49.950$  - I think that based on the projections for population

 $00:10:49.950 \longrightarrow 00:10:52.480$  level incidence that they were receiving in early

 $00{:}10{:}52.480 \dashrightarrow 00{:}10{:}57.480$  to mid-April, the capacity expansion was appropriate.

00:10:58.920 --> 00:11:03.170 This model here did not provide

00:11:03.170 --> 00:11:04.500 population level projections,

 $00:11:04.500 \longrightarrow 00:11:06.050$  which I'll show in a few minutes.

 $00:11:06.050 \longrightarrow 00:11:07.130$  So we were not telling them

 $00:11:07.130 \longrightarrow 00:11:09.853$  that they had over expanded capacity.

 $00:11:11.000 \longrightarrow 00:11:12.600$  I think that at the state level,

 $00{:}11{:}13.470 --> 00{:}11{:}16.860$  the total hospitalization in the state came very close

 $00:11:16.860 \longrightarrow 00:11:21.860$  to the preexisting capacity, as it was in early March.

 $00{:}11{:}21.930 \dashrightarrow 00{:}11{:}25.590$  So I think that there was a big concern that it was unclear

 $00:11:25.590 \longrightarrow 00:11:28.500$  what the doubling rate of new cases would be.

 $00{:}11{:}28.500 \dashrightarrow 00{:}11{:}31.220$  We had not yet seen some of the benefits of state lock down

 $00:11:31.220 \longrightarrow 00:11:33.240$  and closure of schools.

 $00{:}11{:}33.240 \dashrightarrow 00{:}11{:}36.999$  So the hospital systems were expanding very aggressively,

- $00:11:36.999 \longrightarrow 00:11:38.853$  I think for good reason.
- $00{:}11{:}39.980 \dashrightarrow 00{:}11{:}43.030$  Okay, but they were just doing that by looking at
- 00:11:44.200 --> 00:11:47.460 the daily or maybe the weekly case counts right,
- $00:11:47.460 \longrightarrow 00:11:50.393$  and seeing what the doubling rate was and things like that.
- $00:11:50.393 \longrightarrow 00:11:52.250$  They were doing anything more subtle than that?
- $00:11:52.250 \longrightarrow 00:11:55.330$  That is what they were doing when they called us on.
- $00:11:55.330 \longrightarrow 00:11:59.570$  We tried to give them projections under their own
- $00{:}11{:}59.570 \dashrightarrow 00{:}12{:}02.383$  in-house assumed doubling rates.
- $00{:}12{:}03.220 \dashrightarrow 00{:}12{:}05.950$  So we were very interested in showing them when the hospital
- 00:12:05.950 --> 00:12:08.260 would fill up and under what circumstance
- $00{:}12{:}08.260 \dashrightarrow 00{:}12{:}11.513$  and how different parts of the hospital would fill up.
- $00:12:12.730 \longrightarrow 00:12:14.130 Okay.$
- $00:12:14.130 \longrightarrow 00:12:15.970$  I'll let you go on.
- $00:12:15.970 \longrightarrow 00:12:18.240$  In a few minutes I'll show state level projections
- $00:12:18.240 \longrightarrow 00:12:20.290$  that might answer some of your questions.
- $00:12:24.229 \longrightarrow 00:12:25.062$  All right.
- $00:12:28.320 \longrightarrow 00:12:30.913$  By the way, I'm John Hardigen, by the way.
- $00{:}12{:}30.913 \dashrightarrow 00{:}12{:}32.810$  Used to be in the statistics department.
- $00:12:32.810 \longrightarrow 00:12:35.057$  Yes, I know, good to see you.
- 00:12:38.370 --> 00:12:40.060 All right, second project.
- $00:12:40.060 \longrightarrow 00:12:44.320$  On April 14, so just as we
- $00{:}12{:}46.540 \dashrightarrow 00{:}12{:}49.610$  finished the most fundamental software development
- 00:12:49.610 --> 00:12:52.080 on the application that I just showed you,
- $00{:}12{:}52.080 \rightarrow 00{:}12{:}55.300$  on April 14 we were asked to start producing projections
- $00{:}12{:}55.300 \dashrightarrow 00{:}12{:}58.425$  for the governor's Reopen Connecticut Advisory Panel.

- $00:12:58.425 \longrightarrow 00:13:00.210$  which was charged with
- $00{:}13{:}01.220 \dashrightarrow 00{:}13{:}04.110$  making recommendations to the state, to the government,
- 00:13:04.110 --> 00:13:06.460 to the Department of Public Health
- $00{:}13{:}06.460 \dashrightarrow 00{:}13{:}09.440$  on how reopening should proceed and what the timeline
- $00{:}13{:}09.440 \dashrightarrow 00{:}13{:}12.470$  should be and what business sectors could safely reopen
- $00:13:12.470 \longrightarrow 00:13:14.138$  at which times.
- $00:13:14.138 \longrightarrow 00:13:17.180$  The panel consisted of public health researchers,
- $00{:}13{:}17.180 \dashrightarrow 00{:}13{:}20.433$  including Albert Ko and several other people from Yale
- $00:13:20.433 \longrightarrow 00:13:23.440$  and many business leaders in Connecticut.
- $00:13:23.440 \longrightarrow 00:13:24.490$  It was a mixed group.
- $00{:}13{:}26.900 \dashrightarrow 00{:}13{:}30.650$  The panel needed projections at that time of Covid-19
- $00:13:30.650 \longrightarrow 00:13:33.140$  incidence, hospitalizations and deaths
- 00:13:33.140 --> 00:13:36.550 under future reopening scenarios, to plan testing expansion,
- $00:13:36.550 \longrightarrow 00:13:39.260$  seroprevalence studies and most importantly,
- $00:13:39.260 \longrightarrow 00:13:43.250$  to assess the risk of a second wave of infections.
- $00:13:43.250 \longrightarrow 00:13:45.040$  So this was in mid-April,
- $00:13:45.040 \longrightarrow 00:13:47.740$  around the time when hospitalization was peaking.
- 00:13:47.740 --> 00:13:51.330 Of course, nobody knew exactly at that time
- $00{:}13{:}51.330 \dashrightarrow 00{:}13{:}55.370$  that the peak was occurring and there was a lot of concern
- $00:13:55.370 \longrightarrow 00:13:57.920$  that things would continue to get much worse,
- $00:13:57.920 \longrightarrow 00:14:00.083$  in terms of hospitalization in Connecticut.
- $00:14:02.812 \longrightarrow 00:14:04.112$  The work of that committee
- $00:14:06.580 \longrightarrow 00:14:09.420$  advised the governor in his reopening strategy,
- 00:14:09.420 --> 00:14:11.190 which we've all probably heard about,
- $00:14:11.190 \longrightarrow 00:14:14.350$  if you're following press releases from the state.

- $00:14:14.350 \longrightarrow 00:14:16.840$  The state began reopening on May 20th and there's now,
- 00:14:16.840 --> 00:14:18.960 I think, although the work
- 00:14:18.960 --> 00:14:22.090 of the advisory panel may be wrapping up,
- 00:14:22.090 --> 00:14:24.140 there's now an ongoing need for projections
- 00:14:24.140 --> 00:14:27.810 to inform decision making and epidemiological study design,
- 00:14:27.810 --> 00:14:30.370 that further informs decision making
- $00:14:31.970 \longrightarrow 00:14:34.120$  for the Connecticut response and reopening.
- $00{:}14{:}35.550 \dashrightarrow 00{:}14{:}37.220$  This part that I'll talk about now is joint work
- $00:14:37.220 \longrightarrow 00:14:39.693$  with Olga Morozova and Richard Li.
- $00:14:42.280 \longrightarrow 00:14:46.440$  So at the beginning of this project, we had to explain
- $00:14:46.440 \longrightarrow 00:14:49.103$  to decision makers and members of the advisory panel,
- $00:14:50.110 \longrightarrow 00:14:53.980$  how data are different from model projections
- $00:14:53.980 \longrightarrow 00:14:55.420$  and what sort of...
- $00{:}14{:}58.520 \dashrightarrow 00{:}15{:}00.840$  What the differences between these two products were.
- $00:15:00.840 \longrightarrow 00:15:03.020$  But I think there is a recognition at that time
- $00:15:03.020 \dashrightarrow 00:15:05.000$  on the part of policy makers and committee members
- $00:15:05.000 \longrightarrow 00:15:07.090$  that the policy makers have access
- $00:15:07.090 \longrightarrow 00:15:10.800$  to a real-time data stream, which is very high quality.
- $00:15:10.800 \longrightarrow 00:15:13.410$  They have access to all sorts of state dashboards
- $00{:}15{:}14.250 \dashrightarrow 00{:}15{:}17.580$  describing the current state of the Connecticut pandemic.
- $00:15:17.580 \longrightarrow 00:15:20.220$  They know about hospitalization and bed capacity
- $00{:}15{:}20.220 \dashrightarrow 00{:}15{:}23.340$  information from the Connecticut Hospital Association.
- $00:15:23.340 \longrightarrow 00:15:25.490$  They know about test counts and nearly real-time
- $00:15:25.490 \longrightarrow 00:15:28.310$  case counts, number of tests positive at hospitals
- $00:15:28.310 \longrightarrow 00:15:30.350$  and in the community.

- $00{:}15{:}30.350 \dashrightarrow 00{:}15{:}32.520$  They know how many deaths have occurred to attributable
- $00:15:32.520 \longrightarrow 00:15:36.620$  to Covid-19 or that are suspicious,
- $00:15:36.620 \longrightarrow 00:15:38.900$  that are possibly related.
- $00:15:38.900 \longrightarrow 00:15:41.930$  They might have information about excess deaths
- $00:15:41.930 \longrightarrow 00:15:44.670$  that are not attributed to Covid-19 but are above
- 00:15:44.670 --> 00:15:48.233 and beyond what you might normally expect in a typical year.
- $00:15:49.070 \longrightarrow 00:15:50.540$  They have access to all this information.
- $00:15:50.540 \longrightarrow 00:15:52.539$  They have access to very responsive staff
- $00:15:52.539 \longrightarrow 00:15:56.950$  and many very smart people working for the state
- $00:15:56.950 \dashrightarrow 00:15:59.600$  Department of Public Health and other state agencies.
- $00{:}16{:}01.626 \operatorname{--}{>} 00{:}16{:}04.280$  So there might be a sense that policy makers have access
- $00:16:04.280 \longrightarrow 00:16:06.550$  to all the information and the most timely information
- $00:16:06.550 \longrightarrow 00:16:08.350$  they could possibly need to make good decisions
- $00:16:08.350 \longrightarrow 00:16:09.203$  for the state.
- $00:16:10.390 \longrightarrow 00:16:12.233$  We tried to argue that there was more information
- $00:16:12.233 \longrightarrow 00:16:15.480$  that they might be able to use constructively
- $00{:}16{:}16{:}337 \mathop{{--}{>}} 00{:}16{:}19{:}110$  to guide reopening, and that was information that was not
- $00:16:19.110 \longrightarrow 00:16:23.930$  directly derived from contemporaneous data streams,
- $00{:}16{:}23.930 \dashrightarrow 00{:}16{:}26.710$  but rather these would be projections from transmission
- $00{:}16{:}26.710 \dashrightarrow 00{:}16{:}28.633$  models about possible futures.
- $00:16:30.440 \longrightarrow 00:16:32.670$  So projections here can tell us about what might
- 00:16:32.670 --> 00:16:34.400 happen in the future, possible hypothetical
- $00:16:34.400 \longrightarrow 00:16:39.130$  or counterfactual scenarios to be defined
- $00{:}16{:}39.130 \dashrightarrow 00{:}16{:}42.440$  by the governor and the outcomes that would occur
- $00:16:42.440 \longrightarrow 00:16:43.830$  under those reopening scenarios.

- 00:16:43.830 --> 00:16:47.400 So I'm talking about phases, business sectors,
- $00{:}16{:}47.400 \dashrightarrow 00{:}16{:}50.000$  reopening back-to-school, what might happen in late August,
- 00:16:50.000 --> 00:16:51.995 early September, as children go back to school
- 00:16:51.995 --> 00:16:56.420 or back to summer camp in June and July.
- $00:16:56.420 \longrightarrow 00:16:59.510$  What might happen under expanded testing
- $00:16:59.510 \longrightarrow 00:17:03.000$  and contact tracing or continue to modified
- $00:17:03.000 \longrightarrow 00:17:04.370$  social distancing guidelines.
- $00:17:04.370 \longrightarrow 00:17:08.400$  Things like wearing masks or keeping six feet apart
- $00:17:09.821 \longrightarrow 00:17:11.190$  and all of those things.
- $00{:}17{:}11.190 \dashrightarrow 00{:}17{:}15.030$  So we tried to explain how projections from these types
- $00{:}17{:}15.030 \dashrightarrow 00{:}17{:}18.821$  of models might be very different from simple plots
- 00:17:18.821 --> 00:17:23.316 of the data streams that policy makers have access to.
- $00{:}17{:}23.316 \dashrightarrow 00{:}17{:}26.370$  This is a figure I showed them at the very beginning.
- $00:17:26.370 \longrightarrow 00:17:28.080$  On the left, we have the number of death,
- 00:17:28.080 --> 00:17:32.780 I think by early May, that had accumulated in Connecticut.
- $00:17:32.780 \longrightarrow 00:17:35.720$  These are the red dots on the left hand side.
- $00{:}17{:}35.720 \dashrightarrow 00{:}17{:}38.410$  On the right hand side, we have a projection of what might
- $00:17:38.410 \longrightarrow 00:17:40.420$  occur in the future on this day and I think it was
- $00:17:40.420 \longrightarrow 00:17:41.870$  first week of May.
- $00{:}17{:}41.870 \dashrightarrow 00{:}17{:}46.870$  Right, and I think this may seem silly as a projection
- $00:17:46.910 \longrightarrow 00:17:48.970$  exercise or it seems silly to
- 00:17:52.250 --> 00:17:55.840 make a distinction between data and predictions,
- $00:17:55.840 \longrightarrow 00:17:58.650$  but it may have useful in the setting to emphasize
- $00{:}17{:}58.650 \dashrightarrow 00{:}18{:}01.720$  that the real-time data that policy makers were using
- $00:18:01.720 \longrightarrow 00:18:03.730$  was just the stuff on the left

 $00{:}18{:}03.730 \dashrightarrow 00{:}18{:}07.260$  and that if one believed the assumptions underlying

00:18:07.260 --> 00:18:09.373 some of these dynamic transmission models,

 $00{:}18{:}10.220 \dashrightarrow 00{:}18{:}13.140$  that they could be provided with the stuff on the right,

 $00:18:13.140 \longrightarrow 00:18:14.380$  which would be a projection

 $00:18:14.380 \longrightarrow 00:18:16.490$  of what might happen in the future.

00:18:16.490 --> 00:18:18.630 Here, I happen to have shown projections starting

 $00{:}18{:}18.630 \dashrightarrow 00{:}18{:}23.610$  on March 1, just to emphasize sort of how the line follows

 $00:18:23.610 \longrightarrow 00:18:26.590$  the data points in the projection.

 $00:18:26.590 \longrightarrow 00:18:28.570$  But the idea is that these projections would come

 $00:18:28.570 \longrightarrow 00:18:32.890$  with some sort of uncertainty windows or sets

00:18:33.970 --> 00:18:36.213 that would represent, in some sense,

 $00:18:37.530 \longrightarrow 00:18:41.400$  the most likely possible futures under what we know today

 $00:18:41.400 \longrightarrow 00:18:44.490$  and what we believe may happen about the future.

 $00:18:44.490 \longrightarrow 00:18:46.532$  So the-- - May I stop you for a second?

 $00:18:46.532 \longrightarrow 00:18:47.380$  - Of course. - Forrest.

00:18:50.370 --> 00:18:53.100 First of all, I think you'll agree that the points

 $00{:}18{:}53.100 --> 00{:}18{:}54.950$  on the line at the left are extremely highly correlated

 $00:18:54.950 \longrightarrow 00:18:57.683$  with each other, since they're just cumulatives.

 $00:18:58.790 \longrightarrow 00:19:00.870$  And that's not a good way to show what's happening,

 $00:19:00.870 \longrightarrow 00:19:02.360$  is to look at cumulatives.

 $00{:}19{:}02.360 \dashrightarrow 00{:}19{:}06.122$  You have to kind of guess what the derivatives are

 $00:19:06.122 \longrightarrow 00:19:07.406$  and people aren't so good at that.

00:19:07.406 --> 00:19:10.360 You would be much better off trying to project

 $00:19:10.360 \longrightarrow 00:19:12.540$  and look at say, the weekly values.

 $00:19:12.540 \dashrightarrow 00:19:15.220$  Certainly can't look at daily values because God knows

00:19:15.220 --> 00:19:16.817 what the daily values goes from,

 $00{:}19{:}16.817 \dashrightarrow 00{:}19{:}19.220$  but you know, you see in a week they kind of catch up

 $00:19:19.220 \longrightarrow 00:19:20.053$  with the truth.

 $00{:}19{:}20.053 \dashrightarrow 00{:}19{:}22.360$  So if you looked at weekly values, you would tell on

 $00:19:22.360 \longrightarrow 00:19:23.790$  what the present situation was.

00:19:23.790 --> 00:19:26.678 Surely, that's what the hospitals need to know.

 $00:19:26.678 \mathrel{--}{>} 00:19:29.400$  They don't need to know how many people they had

 $00:19:29.400 \longrightarrow 00:19:31.180$  a long time ago or what the total was.

 $00:19:31.180 \longrightarrow 00:19:33.360$  They want to know that the present charge is.

 $00:19:33.360 \dashrightarrow 00:19:35.510$  So I would just suggest that the thing you should be

 $00:19:35.510 \longrightarrow 00:19:37.900$  working on is something closer.

00:19:37.900 --> 00:19:39.760 Can't use daily values, it's too small,

 $00:19:39.760 \dashrightarrow 00:19:43.090$  but a weekly value and then that's what really matters.

 $00:19:43.090 \longrightarrow 00:19:44.603$  That's the present situation.

 $00:19:46.158 \longrightarrow 00:19:48.100$  - Certainly and have access to all that information.

00:19:48.100 --> 00:19:50.300 The State Department of Public Health produces

 $00:19:50.300 \longrightarrow 00:19:54.275$  weekly smoothed and unsmoothed count.

 $00:19:54.275 \longrightarrow 00:19:56.040$  In fact, daily counts as well.

00:19:56.040 --> 00:19:58.000 They're very volatile.

00:19:58.000 --> 00:19:58.833 They jump up--

 $00:19:58.833 \dashrightarrow 00:20:01.557$  - The daily counts have a huge weekly effect.

 $00:20:01.557 \longrightarrow 00:20:03.707$  You just don't want to rely on them at all.

 $00{:}20{:}04.580 \rightarrow 00{:}20{:}06.630$  The docs aren't bothered to do things on the weekends

 $00:20:06.630 \longrightarrow 00:20:08.270$  is my interpretation of it.

 $00:20:08.270 \longrightarrow 00:20:10.800$  But maybe it's someone not bothering, but whatever it is,

 $00:20:10.800 \longrightarrow 00:20:11.970$  it's a big weekly effect.

00:20:11.970 --> 00:20:13.540 It's something you don't want to have.

 $00{:}20{:}13.540 --> 00{:}20{:}17.230$  But if you take a weekly value, that's always averaged out.

00:20:17.230 --> 00:20:19.980 I just think that projecting the future

 $00:20:19.980 \longrightarrow 00:20:21.750$  and I think you would find there's quite a lot

 $00:20:21.750 \longrightarrow 00:20:23.400$  more error in that.

 $00:20:23.400 \longrightarrow 00:20:25.820$  You're getting the benefit of the fact that all this

 $00:20:25.820 \longrightarrow 00:20:28.270$  is highly correlated but if you were trying to project

 $00:20:28.270 \longrightarrow 00:20:31.580$  the future, these things would be whoa, of stuff.

 $00:20:31.580 \longrightarrow 00:20:32.890$  - Yes, totally agree.

 $00{:}20{:}32.890 \dashrightarrow 00{:}20{:}36.160$  This figure was generated in response to a very specific

 $00{:}20{:}36.160 \dashrightarrow 00{:}20{:}39.340$  question, which is how many deaths will the state expect

 $00{:}20{:}39.340 \dashrightarrow 00{:}20{:}42.410$  to have accumulated on a future date.

 $00:20:42.410 \longrightarrow 00:20:43.243$  - Okay.

 $00:20:45.210 \longrightarrow 00:20:46.043$  Thanks.

00:20:47.570 --> 00:20:50.100 - Okay, so I wanted to answer this question

 $00:20:50.100 \longrightarrow 00:20:54.430$  because I hope that you're all wondering about it.

 $00{:}20{:}54.430 \dashrightarrow 00{:}20{:}57.660$  Does the world need another Covid-19 projection model?

 $00:20:57.660 \longrightarrow 00:21:00.300$  There are lots of them out there.

 $00{:}21{:}00.300 \dashrightarrow 00{:}21{:}04.580$  Vary in quality, some from very experienced research groups

 $00:21:04.580 \longrightarrow 00:21:07.190$  and experienced epidemiologists, some from

 $00:21:08.580 \longrightarrow 00:21:11.200$  Silicon Valley software developers

 $00:21:11.200 \longrightarrow 00:21:13.060$  who just learned about regression.

 $00{:}21{:}13.060 \dashrightarrow 00{:}21{:}16.820$  I don't think that the world needs another Covid-19 model

 $00{:}21{:}16.820 \dashrightarrow 00{:}21{:}19.430$  at the national or international level.

 $00:21:19.430 \longrightarrow 00:21:23.030$  But I think Connecticut does for several reasons

- $00:21:23.030 \longrightarrow 00:21:25.133$  that I wanted to describe briefly here.
- 00:21:26.650 --> 00:21:28.890 We wanted to develop a scenario analysis tool
- $00:21:28.890 \longrightarrow 00:21:31.040$  that was responsive to specific questions
- 00:21:31.040 --> 00:21:33.080 from the Connecticut leadership,
- $00:21:33.080 \longrightarrow 00:21:36.903$  who were planning to reopen the state.
- $00{:}21{:}37.760 \dashrightarrow 00{:}21{:}39.470$  We thought there were several reasons that we could add
- $00{:}21{:}39.470 \dashrightarrow 00{:}21{:}42.470$  some value here, beyond what is provided by some of the more
- $00{:}21{:}42.470 \dashrightarrow 00{:}21{:}45.370$  generic models that are available
- $00:21:47.021 \longrightarrow 00:21:50.300$  for national, state and also local projections.
- $00:21:50.300 \longrightarrow 00:21:52.870$  The first thing is access to epidemiologists
- $00:21:52.870 \longrightarrow 00:21:54.190$  at the School of Public Health
- 00:21:54.190 --> 00:21:56.810 and in the Public Health Modeling Unit.
- $00:21:56.810 \longrightarrow 00:21:58.550$  We have pretty unique access to data
- $00:21:58.550 \longrightarrow 00:22:00.580$  from the Connecticut Hospital Association
- $00{:}22{:}00.580 \dashrightarrow 00{:}22{:}04.623$  on the bed capacity and bed occupancy throughout the state.
- $00:22:06.380 \longrightarrow 00:22:09.850$  We can use information on individual patient trajectories
- $00{:}22{:}09.850 \dashrightarrow 00{:}22{:}11.760$  through the healthcare system from using data
- 00:22:11.760 --> 00:22:12.873 from Yale New Haven.
- $00{:}22{:}14.350 \dashrightarrow 00{:}22{:}17.520$  We have access to empirical epidemiological studies
- $00{:}22{:}17.520 \dashrightarrow 00{:}22{:}20.660$  from Yale emerging infections program and data streams
- 00:22:20.660 --> 00:22:23.360 from the Department of Public Health through Yale EIP.
- $00:22:24.940 \longrightarrow 00:22:27.990$  We have connection to the people who are running
- $00:22:27.990 \longrightarrow 00:22:30.400$  the testing and seroprevalence studies
- $00{:}22{:}30.400 \dashrightarrow 00{:}22{:}33.710$  to be conducted in the future and the model projections
- 00:22:33.710 --> 00:22:37.660 that we produce will be very closely tied

- $00:22:37.660 \longrightarrow 00:22:39.210$  to the conduct of those studies.
- $00{:}22{:}39.210 \dashrightarrow 00{:}22{:}42.110$  Some of them can give information that we can use
- $00:22:42.110 \longrightarrow 00:22:43.980$  for calibrating the model, and in turn,
- $00:22:43.980 \longrightarrow 00:22:45.690$  we can use model projections
- 00:22:47.582 --> 00:22:50.630 to provide preliminary estimates of say,
- $00:22:50.630 \longrightarrow 00:22:55.560$  cumulative incidence of Covid-19 for study planning,
- $00:22:55.560 \longrightarrow 00:22:57.733$  in order to do sample size calculations.
- $00:23:00.470 \longrightarrow 00:23:04.190$  And of course, we are hoping to be able to help
- $00:23:04.190 \longrightarrow 00:23:06.060$  with the Department of Public Health's
- $00{:}23{:}07.180 \dashrightarrow 00{:}23{:}10.150$  implementation of optimal testing and sampling strategies
- $00{:}23{:}10.150 \dashrightarrow 00{:}23{:}13.037$  as they look for new cases and try to control outbreaks
- $00:23:13.037 \longrightarrow 00:23:15.633$  that may occur in the future in Connecticut.
- $00:23:19.800 \longrightarrow 00:23:21.510$  So the modeling principle here,
- 00:23:21.510 --> 00:23:24.761 this is an infections disease model that I'm gonna show you.
- 00:23:24.761 --> 00:23:28.960 It's not a model for hospital
- 00:23:28.960 --> 00:23:31.080 patient flow through hospitals.
- $00{:}23{:}31.080 \dashrightarrow 00{:}23{:}34.940$  But I think in introducing this to people who have not seen
- $00:23:34.940 \longrightarrow 00:23:38.450$  these models before, the operating principle
- $00:23:38.450 \longrightarrow 00:23:40.550$  is that of mass action.
- $00{:}23{:}40.550 \dashrightarrow 00{:}23{:}43.730$  I think if mathematical infectious disease epidemiology
- $00{:}23{:}43.730 \dashrightarrow 00{:}23{:}46.710$  has a central dogma or a single principle that governs
- 00:23:46.710 --> 00:23:51.000 the structure of quantitative models for infections,
- 00:23:51.000 --> 00:23:53.870 it's something like the Law of Mass Action,
- $00{:}23{:}53.870 \dashrightarrow 00{:}23{:}57.240$  that in a small time interval, the number of new cases
- $00:23:57.240 \longrightarrow 00:24:00.930$  that accrue is proportional to the number of ways

 $00{:}24{:}00{.}930 \dashrightarrow 00{:}24{:}05{.}070$  that susceptible individuals and infectious individuals

 $00:24:05.070 \longrightarrow 00:24:06.243$  can come together.

 $00:24:07.350 \longrightarrow 00:24:09.340$  This means that new cases or incidences

 $00:24:09.340 \longrightarrow 00:24:11.300$  is driven by the product of--

 $00{:}24{:}11.300 \dashrightarrow 00{:}24{:}13.810$  Or sorry, I should have said the product of susceptibles

 $00:24:13.810 \longrightarrow 00:24:17.889$  and infectives or the number of ways that people

 $00:24:17.889 \longrightarrow 00:24:20.220$  susceptible individual can come into contact

 $00:24:20.220 \longrightarrow 00:24:21.663$  with an infected person.

 $00{:}24{:}22.570 \dashrightarrow 00{:}24{:}26.500$  This general principle is what underlies all transmission

 $00{:}24{:}26.500 \dashrightarrow 00{:}24{:}29.130$  models and many transmission models are compartmentalized

 $00:24:29.130 \longrightarrow 00:24:32.520$  or they are separated in space and geography

00:24:32.520 --> 00:24:35.560 or by age group or by different risk categories,

 $00:24:35.560 \longrightarrow 00:24:37.700$  but this is the essential principle.

 $00{:}24{:}37.700 {\: \hbox{--}}{>} 00{:}24{:}40.700$  That new cases of a certain type and a certain place

 $00:24:40.700 \longrightarrow 00:24:45.050$  arise at a rate that is proportional to the product

 $00:24:45.050 \longrightarrow 00:24:47.250$  of the number of susceptibles and infectives.

 $00{:}24{:}47.250 \operatorname{--}{>} 00{:}24{:}49.800$  The number of ways that disease can be transmitted.

 $00:24:52.530 \longrightarrow 00:24:55.990$  So we have divided the population of Connecticut

 $00:24:55.990 \longrightarrow 00:24:58.650$  into many compartments.

 $00:24:58.650 \longrightarrow 00:25:00.930$  Those who have not had the disease,

 $00:25:00.930 \longrightarrow 00:25:02.870$  those who are susceptible,

00:25:02.870 --> 00:25:05.760 those who have been infected,

 $00:25:05.760 \longrightarrow 00:25:08.410$  they are exposed but not yet infectious.

 $00:25:08.410 \longrightarrow 00:25:11.490$  So they don't have symptoms.

 $00:25:11.490 \longrightarrow 00:25:14.480$  Those who are infectious but remain asymptomatic,

 $00:25:14.480 \longrightarrow 00:25:15.670$  those with mild symptoms.

 $00:25:15.670 \longrightarrow 00:25:16.503$  They know they're sick

 $00:25:16.503 \longrightarrow 00:25:19.230$  but they do not require hospitalization.

 $00{:}25{:}19.230 \dashrightarrow 00{:}25{:}22.853$  Those with severe symptoms who do require hospitalization.

 $00{:}25{:}23.871 \dashrightarrow 00{:}25{:}27.970$  Those who have mild symptoms but are successfully isolated

 $00{:}25{:}27.970 \dashrightarrow 00{:}25{:}31.060$  because they realized they have symptoms or they got

 $00:25:32.960 \longrightarrow 00:25:35.540$  a viral test that told them that they are infected.

 $00:25:35.540 \longrightarrow 00:25:37.930$  So they successful isolate themselves.

 $00:25:37.930 \longrightarrow 00:25:41.850$  Those people with severe disease who are hospitalized,

 $00{:}25{:}41.850 \dashrightarrow 00{:}25{:}44.550$  those who have severe disease but remain unhospitalized

 $00:25:44.550 \longrightarrow 00:25:46.513$  because there's no space for them.

 $00{:}25{:}47.490 \dashrightarrow 00{:}25{:}50.330$  This is very important in projecting deaths in the future

 $00:25:50.330 \longrightarrow 00:25:53.603$  scenario, in which we run out of hospital capacity.

 $00:25:55.260 \longrightarrow 00:25:57.627$  Then we have severe institutionalized populations,

 $00:25:57.627 \longrightarrow 00:25:58.890$  who are not in the hospital,

 $00{:}25{:}58.890 \dashrightarrow 00{:}26{:}03.290$  such as people in nursing homes, correctional institutions

 $00:26:03.290 \longrightarrow 00:26:06.370$  and other long-term care facilities.

00:26:06.370 --> 00:26:08.920 Those who have been infected but did not die

 $00:26:08.920 \longrightarrow 00:26:12.170$  and are now recovered or successfully isolated

00:26:12.170 --> 00:26:14.483 and recovering and those who have died.

 $00:26:15.340 \longrightarrow 00:26:18.310$  So the idea here is to divide up the population

 $00{:}26{:}18.310 \dashrightarrow 00{:}26{:}22.000$  of Connecticut into a number of people

 $00:26:22.000 \longrightarrow 00:26:23.500$  in each of these compartments.

 $00:26:27.620 \longrightarrow 00:26:30.290$  The model that we put together is a variation

 $00{:}26{:}30.290 \dashrightarrow 00{:}26{:}35.290$  on the susceptible exposed infected and removed model.

 $00:26:37.570 \longrightarrow 00:26:41.980$  We divide up the infectious individuals into three

- 00:26:41.980 --> 00:26:44.370 categories that I told you about, severe, mild
- $00:26:44.370 \longrightarrow 00:26:46.620$  and asymptomatic infections.
- $00:26:46.620 \longrightarrow 00:26:48.580$  We have two different types of patients
- $00:26:48.580 \longrightarrow 00:26:50.073$  who need hospitalization.
- $00:26:51.440 \longrightarrow 00:26:53.133$  We have unhospitalized patients.
- $00:26:54.860 \longrightarrow 00:26:57.380$  We can remove patients by isolating them
- $00:26:57.380 \longrightarrow 00:27:01.460$  and they can recover after some amount of time,
- $00:27:01.460 \longrightarrow 00:27:03.800$  if they do not die.
- $00:27:03.800 \longrightarrow 00:27:06.853$  This is the basic structure of the SEIR model.
- $00:27:09.360 \longrightarrow 00:27:12.000$  The usual model structure is just this linear part,
- $00:27:12.000 \longrightarrow 00:27:15.250$  SEI and then R.
- $00:27:15.250 \longrightarrow 00:27:18.183$  We divided up into these additional components,
- $00:27:19.140 \longrightarrow 00:27:21.250$  not because we believed that these components
- $00{:}27{:}21.250 \dashrightarrow 00{:}27{:}24.700$  cover every possible scenario or every possible type
- 00:27:24.700 --> 00:27:28.420 of illness or state of the world or state of patients,
- $00:27:28.420 \longrightarrow 00:27:30.580$  but because this is the most parsimonious model
- $00:27:30.580 \longrightarrow 00:27:34.000$  that we can think of that captures the dynamics
- $00{:}27{:}34.000 --> 00{:}27{:}37.580$  of infection that are most likely to lead to the outcomes
- $00:27:37.580 \longrightarrow 00:27:40.180$  that a state government cares most about.
- $00:27:40.180 \longrightarrow 00:27:44.130$  Those are state-level hospitalizations and deaths
- 00:27:44.130 --> 00:27:46.543 and possibly cumulative incidents.
- $00:27:47.740 \longrightarrow 00:27:50.600$  Right, so this model is not intended to capture
- $00{:}27{:}50.600$  -->  $00{:}27{:}54.750$  every biological or epidemiological feature of Covid-19
- 00:27:54.750 --> 00:27:56.640 transmission in Connecticut.
- $00{:}27{:}56.640 \dashrightarrow 00{:}28{:}00.050$  Rather, it is the simplest model that captures the features
- $00:28:00.050 \longrightarrow 00:28:02.563$  that policy makers care most about.
- 00:28:05.870 --> 00:28:08.063 It's also structured by geography.
- $00:28:10.140 \longrightarrow 00:28:12.770$  We found that the...

 $00:28:13.976 \longrightarrow 00:28:16.770$  We looked at information about travel and commuting patterns

 $00:28:16.770 \longrightarrow 00:28:18.400$  throughout the state to look at where people

 $00:28:18.400 \longrightarrow 00:28:20.941$  might be mixing, where they live, where they work,

 $00:28:20.941 \longrightarrow 00:28:22.400$  others things like that.

 $00{:}28{:}22.400 \dashrightarrow 00{:}28{:}25.640$  But we found that that information did not give us

00:28:25.640 --> 00:28:28.220 much more information than simple adjacency matrix

 $00:28:28.220 \longrightarrow 00:28:32.880$  of counties in the state.

00:28:32.880 --> 00:28:36.260 We're well aware that many people in Connecticut

 $00{:}28{:}37.590 {\:\hbox{--}}{>} 00{:}28{:}40.850$  work or commute or travel often to New York City area.

 $00:28:40.850 \longrightarrow 00:28:45.130$  We'll try to accommodate that in the model

 $00:28:45.130 \longrightarrow 00:28:47.030$  or in our interpretation of the model.

 $00{:}28{:}48.340 \dashrightarrow 00{:}28{:}53.340$  Rather, the adjacency matrix of counties in Connecticut

 $00:28:53.580 \longrightarrow 00:28:55.350$  gives us much of the information that we use

 $00{:}28{:}55.350 \dashrightarrow 00{:}29{:}00.350$  for the geographically dependent nature of transmission.

 $00:29:03.780 \longrightarrow 00:29:04.780$  Basic idea---

 $00:29:04.780 \longrightarrow 00:29:06.760$  - Rhode Island and Massachusetts

 $00:29:06.760 \longrightarrow 00:29:08.570$  aren't doing too good either.

 $00:29:08.570 \longrightarrow 00:29:10.563$  - They're not doing well, I agree.

 $00{:}29{:}12.180 \dashrightarrow 00{:}29{:}17.180$  To avoid turning this into a very granular or national model

 $00{:}29{:}18.670 --> 00{:}29{:}21.530$  we are going to treat the exogenous force of infection

 $00:29:21.530 \dashrightarrow 00:29:25.333$  experience by Connecticut residents as something else.

 $00:29:27.980 \longrightarrow 00:29:30.710$  So we sort of imagined that it is

 $00:29:30.710 \longrightarrow 00:29:32.870$  subsumed into the force of infection experience

 $00{:}29{:}32.870 \dashrightarrow 00{:}29{:}34.610$  by everyone in Connecticut.

- $00:29:34.610 \longrightarrow 00:29:38.080$  I agree, both a lot of infections
- $00:29:38.080 \longrightarrow 00:29:41.610$  and a lot of heterogeneity outside of Connecticut
- $00:29:41.610 \longrightarrow 00:29:42.793$  in bordering states.
- $00:29:45.200 \longrightarrow 00:29:48.213$  So most of this we don't specifically take into account.
- $00:29:50.470 \longrightarrow 00:29:53.950$  The basic idea here, I'm just showing two compartments
- $00:29:53.950 \dashrightarrow 00:29:58.500$  of the ODE system, the basic idea is that in county I,
- $00{:}29{:}58.500 \rightarrow 00{:}30{:}01.890$  the number of susceptibles or the rate of new infections
- $00:30:01.890 \longrightarrow 00:30:06.890$  is governed by the number of infectious individuals
- $00{:}30{:}06.930 \dashrightarrow 00{:}30{:}09.990$  in that county and the number of infectious individuals
- $00:30:09.990 \longrightarrow 00:30:11.463$  in neighboring counties.
- $00:30:12.740 \longrightarrow 00:30:17.330$  Here in beta is the transmission rate of infection.
- $00{:}30{:}17.330 \dashrightarrow 00{:}30{:}21.540$  So individuals who are susceptible transition to the exposed
- 00:30:21.540 --> 00:30:24.850 in fectious state and then to other states down the road.
- $00:30:24.850 \longrightarrow 00:30:27.950$  But these are sort of the mass action equations
- $00:30:27.950 \longrightarrow 00:30:30.410$  for a heterogeneous population in which the force
- $00:30:30.410 \longrightarrow 00:30:34.230$  of infection is coming from outside and within
- $00:30:34.230 \longrightarrow 00:30:35.473$  individual counties.
- $00:30:38.745 \longrightarrow 00:30:41.592$  I'm not going to go into a great deal of detail
- $00:30:41.592 \longrightarrow 00:30:46.592$  about the system of ODs that is most useful here.
- $00:30:47.780 \longrightarrow 00:30:49.700$  I'll just say that we solve in numerically.
- $00:30:49.700 \longrightarrow 00:30:53.260$  It's a system of 11 differential equations
- 00:30:53.260 --> 00:30:56.060 given the parameters, which I'm just gonna bundle into
- $00:30:56.060 \longrightarrow 00:30:57.313$  a vector theta.
- $00:30:58.220 \dashrightarrow 00:31:01.220$  Let Y of T given theta, be the solution to the OD system
- $00:31:01.220 \longrightarrow 00:31:02.910$  at time T with parameters theta.

 $00{:}31{:}02.910 \dashrightarrow 00{:}31{:}06.590$  You can solve this system with pretty good accuracy

 $00:31:06.590 \longrightarrow 00:31:08.703$  using modern OD solvers.

00:31:09.660 --> 00:31:11.330 This solution--

00:31:11.330 --> 00:31:12.910 - They're just linear equations, are they?

00:31:12.910 --> 00:31:13.833 Linear right?

 $00:31:14.730 \longrightarrow 00:31:17.990$  - They're non-linear in the right hand side

 $00:31:17.990 \longrightarrow 00:31:21.230$  is non-linear in the other model compartments.

 $00:31:21.230 \longrightarrow 00:31:23.530$  Right, that's what mass action is.

00:31:23.530 --> 00:31:26.110 It's proportional to the product.

 $00:31:26.110 \longrightarrow 00:31:31.110$  So OD is proportional to the product of S and I.

00:31:31.176 --> 00:31:32.546 So it's--

 $00{:}31{:}32.546 \dashrightarrow 00{:}31{:}34.710$  - On the other hand, you agree that S doesn't change much

 $00:31:34.710 \longrightarrow 00:31:39.410$  because unless you've got a very fully infected population,

 $00:31:39.410 \longrightarrow 00:31:41.170$  S doesn't change that much.

00:31:41.170 --> 00:31:42.320 You've got--

 $00:31:42.320 \longrightarrow 00:31:45.330$  - S is most quickly when infections are increasing

00:31:45.330 --> 00:31:48.130 most quickly and Connecticut right now,

 $00:31:48.130 \longrightarrow 00:31:49.870$  S is still pretty large.

00:31:49.870 --> 00:31:54.870 I think cumulative incidence is between 5% and 15%.

 $00:31:54.920 \longrightarrow 00:31:56.772$  So S has not changed.

 $00:31:56.772 \longrightarrow 00:31:59.400 - S$  is 85% and is gonna change.

00:31:59.400 --> 00:32:02.200 I'm just making it linear for myself, that's all.

 $00{:}32{:}02.200 \dashrightarrow 00{:}32{:}04.270$  - Sure, yeah.

 $00:32:04.270 \longrightarrow 00:32:08.000$  So right now S has not decreased that much.

00:32:08.000 --> 00:32:12.920 You know, between, it's still at 95% to may be 85%,

 $00:32:12.920 \longrightarrow 00:32:13.920$  something like that.

 $00:32:14.778 \longrightarrow 00:32:16.920$  As the pandemic progresses and into the fall,

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00:32:16.920 --> 00:32:18.840 if there's another resurgence of infections,
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- $00:32:18.840 \longrightarrow 00:32:22.100$  we will expect S to change quite a lot more.
- $00:32:22.100 \longrightarrow 00:32:25.310$  If it changes a lot, then we'll be in herd immunity
- $00:32:25.310 \longrightarrow 00:32:27.889$  territory where depletion of susceptibles
- $00:32:27.889 \longrightarrow 00:32:30.780$  plays a prominent role in altering the dynamics
- $00:32:31.680 \longrightarrow 00:32:34.010$  of the pandemic, but we're not there yet.
- $00:32:34.010 \longrightarrow 00:32:36.110$  But I am right in thinking that this is linear,
- 00:32:36.110 --> 00:32:37.710 it's really just a matrix problem isn't it,
- $00:32:37.710 \longrightarrow 00:32:39.060$  that we have to solve.
- 00:32:39.060 --> 00:32:41.470 If it were linear it would be a matrix problem.
- $00:32:41.470 \longrightarrow 00:32:42.303$  Yeah, okay.
- $00:32:43.800 \longrightarrow 00:32:45.243$  Right. Yeah.
- $00:32:47.470 \longrightarrow 00:32:51.063$  So this system is a deterministic system.
- 00:32:52.490 --> 00:32:54.970 Engineers, mostly and some epidemiologists,
- $00{:}32{:}54.970 \dashrightarrow 00{:}32{:}57.740$  have been thinking for a very long time about principled
- $00{:}32{:}57.740 \dashrightarrow 00{:}33{:}01.590$  ways of estimating parameters for deterministic system.
- 00:33:01.590 --> 00:33:03.650 Unfortunately, for models of this type,
- $00:33:03.650 \longrightarrow 00:33:05.970$  which is generally the case in infectious disease
- $00:33:05.970 \longrightarrow 00:33:10.650$  epidemiology, there are some serious
- $00:33:10.650 \longrightarrow 00:33:11.483$  identifiability problems.
- $00:33:11.483 \dashrightarrow 00:33:14.310$  Not all parameters can be uniquely estimated from the data
- 00:33:15.708 --> 00:33:17.910 or infinitely many combinations of parameters
- $00:33:17.910 \longrightarrow 00:33:20.833$  that appear to fit equally well.
- $00:33:23.050 \longrightarrow 00:33:24.820$  We only observe in this case,
- $00:33:24.820 \longrightarrow 00:33:26.910$  the hospitalization and death compartments.
- $00:33:26.910 \longrightarrow 00:33:30.140$  There's some information from PCR testing
- $00:33:30.140 \longrightarrow 00:33:33.590$  about the prevalence of infection at different times,
- $00:33:33.590 \longrightarrow 00:33:36.220$  but because the testing strategy in Connecticut
- $00:33:36.220 \longrightarrow 00:33:38.570$  and elsewhere has varied so dramatically

 $00:33:39.520 \dashrightarrow 00:33:42.370$  over the last few months, we didn't feel like we could use

 $00{:}33{:}42.370 \dashrightarrow 00{:}33{:}46.770$  any information from testing alone to inform the sizes

 $00:33:46.770 \longrightarrow 00:33:49.543$  of the currently infected compartments.

 $00{:}33{:}50.680 \dashrightarrow 00{:}33{:}53.950$  So basically, we're trying to estimate many parameters

 $00{:}33{:}53.950 \dashrightarrow 00{:}33{:}58.950$  for a system with 11 components using only the time series

 $00:33:59.170 \longrightarrow 00:34:02.060$  of hospitalizations and deaths.

00:34:02.060 --> 00:34:04.450 So it's quite challenging and in practice,

 $00:34:04.450 \longrightarrow 00:34:08.060$  this necessitates taking parameter values

 $00:34:08.060 \longrightarrow 00:34:09.850$  from the literature, from clinical studies,

 $00:34:09.850 \longrightarrow 00:34:12.680$  from our knowledge of how hospitals treat patients

 $00:34:13.970 \longrightarrow 00:34:18.350$  and also using a statistical estimation scheme

 $00{:}34{:}18.350 \dashrightarrow 00{:}34{:}22.227$  to learn about elements of theta, of the unknown parameters.

 $00{:}34{:}22.227 \dashrightarrow 00{:}34{:}26.010~\mathrm{I}$  wish that I could give you a more coherent statistical

 $00:34:26.010 \longrightarrow 00:34:30.900$  inference strategy in which all of the parameters

 $00:34:30.900 \longrightarrow 00:34:33.530$  were learned from the data and I could tell you

 $00:34:33.530 \longrightarrow 00:34:36.010$  that they were being consistently estimated

 $00:34:36.010 \dashrightarrow 00:34:38.680$  and that as the epidemic went on, we would get more and more

 $00:34:38.680 \longrightarrow 00:34:41.340$  precise estimates of each of those parameters.

00:34:41.340 --> 00:34:42.840 Unfortunately, it's just not true.

 $00{:}34{:}42.840 \dashrightarrow 00{:}34{:}46.370$  That the model structure that we need here to be able

 $00:34:46.370 \longrightarrow 00:34:47.210$  to accommodate

 $00:34:51.143 \longrightarrow 00:34:53.940$  the structure of the pandemic is more complicated

 $00{:}34{:}53.940 \dashrightarrow 00{:}34{:}57.780$  than the model structure that we could possibly identify

 $00:34:58.910 \longrightarrow 00:35:01.270$  non-parametrically or semi-parametrically

 $00:35:01.270 \longrightarrow 00:35:03.123$  or even in this parametric model.

- $00:35:04.580 \longrightarrow 00:35:05.890$  So I just wanted to give you some examples
- $00:35:05.890 \longrightarrow 00:35:08.260$  of how people do this in practice.
- $00:35:08.260 \longrightarrow 00:35:09.880$  These are not exactly endorsements
- $00:35:09.880 \longrightarrow 00:35:12.400$  of statistical frameworks.
- $00:35:12.400 \longrightarrow 00:35:14.370$  The basic idea is that given theta,
- $00:35:14.370 \longrightarrow 00:35:17.210$  we can solve the ODE system, it gives us deterministic
- $00{:}35{:}17.210 \dashrightarrow 00{:}35{:}21.050$  solutions at time points where we have an observation
- $00:35:21.050 \longrightarrow 00:35:22.940$  and then calibration or statistical inference
- 00:35:22.940 --> 00:35:25.690 essentially amounts to minimizing a loss criteria
- $00{:}35{:}25.690 \dashrightarrow 00{:}35{:}30.690$  and are comparing the observed values to model predictions.
- 00:35:30.750 --> 00:35:33.630 The two frameworks that are most frequently used here
- 00:35:33.630 --> 00:35:37.042 are imposing a normal errors or gaussian errors,
- 00:35:37.042 --> 00:35:39.459 almost normal gaussian errors
- $00:35:40.539 \longrightarrow 00:35:43.670$  or equivalently minimizing at least squares type
- $00{:}35{:}43.670 \dashrightarrow 00{:}35{:}48.670$  of loss function or doing this plus on maximum likelihood
- $00:35:48.880 \longrightarrow 00:35:50.750$  estimation for elements of theta
- $00:35:50.750 \longrightarrow 00:35:52.573$  that you can identify in this way.
- $00:35:53.425 \longrightarrow 00:35:57.730$  I think in this project we used
- 00:35:57.730 --> 00:35:59.293 the Poisson maximum likelihood.
- $00{:}36{:}00.520 \dashrightarrow 00{:}36{:}02.937$  There are many things about this, one of which is that
- $00{:}36{:}02.937 \dashrightarrow 00{:}36{:}06.090$ a Poisson random variable could take values
- $00{:}36{:}06.090 \dashrightarrow 00{:}36{:}08.400$  that are larger than the size of the population.
- $00:36:08.400 \longrightarrow 00:36:10.470$  In practice here, that's not what occurs
- $00:36:11.790 \longrightarrow 00:36:14.550$  because the number of infections here is small,
- $00:36:14.550 \longrightarrow 00:36:17.870$  but this is basically a framework for doing a type
- $00:36:17.870 \longrightarrow 00:36:20.510$  of statistical inference or learning about
- $00:36:22.374 \longrightarrow 00:36:24.540$  a posterior distribution on parameters

 $00{:}36{:}24.540 \dashrightarrow 00{:}36{:}27.030$  from a model, which gives deterministic predictions

00:36:27.030 --> 00:36:29.530 and which doesn't have any inherent stochasticity.

 $00{:}36{:}31.200 \dashrightarrow 00{:}36{:}33.010$  The procedure that we used here, which I'm not gonna

 $00:36:33.010 \longrightarrow 00:36:35.610$  talk about in great detail here, was developed

 $00:36:35.610 \longrightarrow 00:36:39.020$  by postdoc Olga, is a hybrid approach that fixes

 $00{:}36{:}39.020 \dashrightarrow 00{:}36{:}42.190$  some parameters and imposes uncertainty distributions

 $00{:}36{:}42.190 \dashrightarrow 00{:}36{:}46.000$  on them from our prior knowledge and the literature

 $00:36:46.000 \longrightarrow 00:36:48.660$  and conducts Bayesian posterior inference

 $00:36:48.660 \longrightarrow 00:36:51.240$  on known parameters and initial conditions.

 $00:36:51.240 \longrightarrow 00:36:53.597$  So we try to learn jointly about parameter-

 $00:36:54.620 \longrightarrow 00:36:55.924$  Yes go.

 $00:36:55.924 \dashrightarrow 00:36:57.730$  - For rest, there's a question people always ask of this

 $00:36:57.730 \longrightarrow 00:36:59.630$  whenever I give a talk like this,

00:36:59.630 --> 00:37:01.880 how do you determine your prior distribution?

 $00{:}37{:}03.420 \dashrightarrow 00{:}37{:}05.840$  - In this case, I would say we're in a very good position

 $00:37:05.840 \longrightarrow 00:37:09.443$  to interpret priors as literally being prior beliefs.

 $00:37:10.640 \mathrel{--}{>} 00:37:14.390$  We have for example, point estimates and confidence

 $00:37:14.390 \longrightarrow 00:37:16.623$  intervals from published studies.

 $00{:}37{:}18.940 \dashrightarrow 00{:}37{:}21.710$  We also have parameters which are intrinsic to the model

 $00:37:21.710 \longrightarrow 00:37:24.230$  but for which we have very little information.

 $00:37:24.230 \longrightarrow 00:37:27.410$  So we assign to them, what we believe qualitatively,

 $00:37:27.410 \longrightarrow 00:37:31.490$  to be an appropriate representation of our uncertainty

 $00:37:31.490 \longrightarrow 00:37:33.430$  or ignorance about those parameters

 $00:37:33.430 \longrightarrow 00:37:35.237$  under the parametrization.

- 00:37:36.464 --> 00:37:38.179 But to your question--
- $00:37:38.179 \longrightarrow 00:37:41.590$  What you believe to be true then, is that right?
- $00:37:41.590 \longrightarrow 00:37:42.830$  Oh certainly.
- $00:37:42.830 \dashrightarrow 00:37:45.650$  It is a mixture of what other people believe to be true
- $00:37:45.650 \longrightarrow 00:37:47.530$  and what we believe to be true as well.
- $00:37:47.530 \longrightarrow 00:37:49.310$  So I would take a subject of interpretation
- $00:37:49.310 \longrightarrow 00:37:50.403$  to the priors here.
- $00:37:52.180 \longrightarrow 00:37:56.250$  They are subjective in the sense that we believe
- $00:37:56.250 \longrightarrow 00:37:58.672$  these uncertainty distributions.
- $00:37:58.672 \longrightarrow 00:38:01.620$  They are quantitative in the sense in that
- $00:38:01.620 \longrightarrow 00:38:03.670$  some of them come from published studies.
- $00:38:06.463 \longrightarrow 00:38:10.890$  Okay, I'm sorry, I do just a little bit longer.
- $00{:}38{:}10.890 \dashrightarrow 00{:}38{:}13.310$  You know, I know you've got a lot of parameters in here,
- 00:38:13.310 --> 00:38:15.270 many of which I don't know anything about,
- $00:38:15.270 \longrightarrow 00:38:17.840$  but I suspect the very important one is parameter
- 00:38:17.840 --> 00:38:22.203 which says what is the ratio of new cases,
- 00:38:23.650 --> 00:38:26.046 assuming that susceptibility isn't changing
- $00:38:26.046 \longrightarrow 00:38:28.280$  to the infection rate, right.
- $00{:}38{:}28.280 {\: -->\:} 00{:}38{:}29.560$  What's the...
- $00:38:29.560 \longrightarrow 00:38:30.460$  That's the number,
- $00:38:31.830 \longrightarrow 00:38:34.470$  that ratio is an important ratio.
- $00:38:34.470 \longrightarrow 00:38:38.080$  New cases against the number that are infected
- $00{:}38{:}38.080 \dashrightarrow 00{:}38{:}41.840$  and that number out to extract is an important number
- $00{:}38{:}41.840 \dashrightarrow 00{:}38{:}44.360$  because it changes a lot, according to the conditions
- $00:38:44.360 \longrightarrow 00:38:45.550$  that the government sets.
- $00{:}38{:}45.550 --> 00{:}38{:}48.423$  Changes all the time because you're trying to reduce
- 00:38:48.423 --> 00:38:50.410 contacts and effectively reducing that contacts

 $00:38:50.410 \longrightarrow 00:38:52.100$  is to change that ratio.

 $00:38:52.100 \longrightarrow 00:38:54.960$  I assume that that's built into the model somehow,

 $00:38:54.960 \dashrightarrow 00:38:56.930$  but I would think you probably don't know very much

 $00:38:56.930 \longrightarrow 00:39:00.130$  about how the government's policies and whatever

 $00:39:00.130 \longrightarrow 00:39:01.996$  are gonna change that ratio.

 $00:39:01.996 \dashrightarrow 00:39:04.110$  So if you said you know, I know it's gonna be a month

00:39:04.110 --> 00:39:06.460 from now, I'd say no you don't.

00:39:06.460 --> 00:39:08.160 - Oh sure. - Yeah.

00:39:08.160 --> 00:39:09.540 So how do you handle it?

 $00:39:09.540 \longrightarrow 00:39:13.890$  - We certainly do parametrize that rate,

00:39:13.890 --> 00:39:16.030 that is the transmission rate that you were talking about.

 $00:39:16.030 \longrightarrow 00:39:18.530$  It's the parameter that multiples the product

 $00:39:18.530 \longrightarrow 00:39:20.137$  of the number of susceptibles

 $00:39:20.137 \longrightarrow 00:39:22.940$  and the number of infectious individuals.

 $00:39:22.940 \longrightarrow 00:39:24.900$  That's called beta in the model.

 $00:39:24.900 \longrightarrow 00:39:26.453$  Beta does change over time.

 $00:39:27.370 \longrightarrow 00:39:32.370$  It's parametrized as a sum of step functions.

 $00:39:33.110 \longrightarrow 00:39:36.130$  Those step functions change in their value

 $00:39:36.130 \dashrightarrow 00:39:41.130$  around when the governor closes schools, which happened,

00:39:41.890 --> 00:39:45.370 I think on March 25th and when the governor-

00:39:45.370 --> 00:39:47.680 Or sorry, a little bit earlier, maybe March 20th,

00:39:47.680 --> 00:39:48.960 I can't remember.

 $00:39:48.960 \longrightarrow 00:39:51.880$  Then when the governor issued the stay at home order,

 $00:39:51.880 \longrightarrow 00:39:55.710$  the stay safe stay at home order,

 $00:39:55.710 \longrightarrow 00:39:57.843$  which I think took effect on the 23rd.

 $00{:}39{:}58.682 \dashrightarrow 00{:}40{:}01.730$  So those step functions are in the model for historical

 $00:40:01.730 \longrightarrow 00:40:04.100$  interventions that were implemented by the state.

00:40:04.100 --> 00:40:06.940 For future interventions which are implemented by the state,

 $00:40:06.940 \longrightarrow 00:40:07.773$  we are guessing.

 $00:40:08.630 \longrightarrow 00:40:11.330$  Fortunately, we are guessing using information

 $00{:}40{:}11.330 --> 00{:}40{:}14.450$  from the people who will actually make those decisions.

 $00{:}40{:}14.450 \dashrightarrow 00{:}40{:}19.450$  So I will show how we assume that that transmission rate

 $00:40:19.700 \longrightarrow 00:40:23.250$  or contact rate might change in the future

 $00:40:23.250 \longrightarrow 00:40:26.030$  under guidelines expressed by the governor

 $00:40:26.030 \longrightarrow 00:40:27.820$  and policy makers.

00:40:27.820 --> 00:40:29.020 Right, so in the future of course,

 $00:40:29.020 \longrightarrow 00:40:30.950$  I don't know what going to actually occur.

 $00:40:30.950 \longrightarrow 00:40:32.650$  The best I can do is ask the people

 $00:40:32.650 \longrightarrow 00:40:34.980$  who will implement the change.

 $00:40:34.980 \longrightarrow 00:40:36.073$  - All right, well.

 $00:40:37.230 \longrightarrow 00:40:38.800$  I'm sorry, this is my last remark.

00:40:38.800 --> 00:40:41.550 I won't keep on doing this, but I would think that

 $00:40:41.550 \longrightarrow 00:40:43.400$  these rates that we're talking about,

 $00{:}40{:}43.400 \dashrightarrow 00{:}40{:}45.380$  which seems to be are really critical to what happens

 $00:40:45.380 \longrightarrow 00:40:49.150$  in the model, that you and find invasion inferency

 $00:40:49.150 \dashrightarrow 00:40:52.400$  you have to give a plausible, defensible probability

00:40:52.400 --> 00:40:55.150 for them, which I would find hard to do,

 $00{:}40{:}55.150 \dashrightarrow 00{:}40{:}57.550$  and I also find it hard to do because I know that those

 $00{:}40{:}57.550 \dashrightarrow 00{:}40{:}59.910$  rates differ huge amount in Connecticut

 $00{:}40{:}59.910 \dashrightarrow 00{:}41{:}02.930$  between the different counties, that you can just see

 $00{:}41{:}02.930 \dashrightarrow 00{:}41{:}05.320$  if you look at what's happening in different counties.

 $00{:}41{:}05.320 \dashrightarrow 00{:}41{:}08.490$  Those rates are different because different

 $00:41:09.803 \longrightarrow 00:41:10.636$  amount of separation and different amount

- $00:41:11.533 \longrightarrow 00:41:13.026$  of personal contact.
- $00:41:13.026 \longrightarrow 00:41:13.982$  Sure.
- $00:41:13.982 \longrightarrow 00:41:16.200$  I think so kind of do that on an average way
- 00:41:16.200 --> 00:41:19.090 of all the counties, seven or eight of them,
- $00{:}41{:}19.090 \dashrightarrow 00{:}41{:}22.830$  you'd think you at least got a vary among the counties
- $00:41:22.830 \longrightarrow 00:41:24.730$  and have some number among the counties.
- $00:41:24.730 \longrightarrow 00:41:26.690$  Then if there's a change of policy from the governor,
- $00:41:26.690 \longrightarrow 00:41:29.000$  there'd be a change in sum or expected you need
- $00:41:29.000 \longrightarrow 00:41:30.740$  to have that built in somehow here.
- $00:41:30.740 \longrightarrow 00:41:32.087$  Certainly.
- 00:41:32.087 --> 00:41:36.890 In this work, I guess in all policy-relevant work,
- $00:41:36.890 \longrightarrow 00:41:39.450$  there is a constant tension between the need
- 00:41:40.747 --> 00:41:42.983 for parsimony and parametrization
- $00:41:45.028 \longrightarrow 00:41:48.230$  and the need for these rich ways
- 00:41:48.230 --> 00:41:50.563 of accommodating heterogeneity.
- $00{:}41{:}51.860 \dashrightarrow 00{:}41{:}55.350$  What we have found in this setting is that we lacked
- $00:41:55.350 \longrightarrow 00:41:58.049$  the information or data to be able to separately
- $00:41:58.049 \longrightarrow 00:42:02.350$  parametrize transmission rates at the county level
- $00{:}42{:}03.750 \dashrightarrow 00{:}42{:}07.040$  but that we can capture the aggregate number of cases,
- $00:42:07.040 \longrightarrow 00:42:09.060$  hospitalizations and other relevant outcomes
- $00:42:09.060 \longrightarrow 00:42:11.683$  at the state level by averaging over them.
- $00:42:12.540 \longrightarrow 00:42:15.260$  The reason is because the counties themselves
- $00{:}42{:}15.260 \dashrightarrow 00{:}42{:}18.500$  have very different incidence, which actually does explain
- $00:42:18.500 \longrightarrow 00:42:22.420$  quite a lot in the differing trajectories
- $00:42:22.420 \longrightarrow 00:42:24.540$  of case counts and hospitalizations and deaths
- $00:42:24.540 \longrightarrow 00:42:25.540$  within the counties.
- 00:42:30.120 --> 00:42:32.260 Hi Forrest thank you, this is very interesting.

- $00:42:32.260 \longrightarrow 00:42:33.170$  This is Donna.
- $00:42:33.170 \longrightarrow 00:42:35.110$  I have a question.
- $00:42:35.110 \longrightarrow 00:42:36.849$  Do you have, the para--
- 00:42:36.849 --> 00:42:37.682 Hi.
- $00{:}42{:}37.682 \dashrightarrow 00{:}42{:}41.480$  Are the parameters identifiable without Bayesian priors
- $00:42:41.480 \longrightarrow 00:42:46.110$  or just from the data that we have or do you need
- $00:42:46.110 \longrightarrow 00:42:49.130$  the priors in order to estimate the parameters?
- $00{:}42{:}49.130 \dashrightarrow 00{:}42{:}51.880$  A subset of parameters is uniquely identifiable
- $00:42:51.880 \longrightarrow 00:42:55.290$  by maximum likelihood or is point identified.
- 00:42:55.290 --> 00:42:58.383 But really speaking, the answer to your question is no.
- $00:42:59.280 \longrightarrow 00:43:03.720$  There are infinitely many combinations of parameters,
- $00{:}43{:}03.720 \dashrightarrow 00{:}43{:}07.400$  which fit any given loss function criteria equally well.
- $00:43:07.400 \longrightarrow 00:43:09.316$  So we do need parameters here.
- 00:43:09.316 --> 00:43:11.870 It is unfortunate and I think--
- $00:43:11.870 \longrightarrow 00:43:12.893$  Yeah, go ahead.
- $00:43:14.800 \longrightarrow 00:43:15.790$  Priors you mean.
- $00{:}43{:}17.330 \rightarrow 00{:}43{:}20.500$  Do you know like what's the simplest possible model
- $00:43:20.500 \longrightarrow 00:43:22.770$  that's just identifiable from the data
- $00:43:22.770 \longrightarrow 00:43:26.410$  and is that model useful at all or is it so simple
- $00:43:26.410 \longrightarrow 00:43:28.656$  that it's not even helpful?
- $00:43:28.656 \longrightarrow 00:43:31.370$  Two parts to that question, the simplest model
- $00{:}43{:}31.370 \dashrightarrow 00{:}43{:}34.280$  that is identifiable from the data is probably one in which
- $00:43:34.280 \longrightarrow 00:43:38.560$  there is no heterogeneity in types of infection,
- $00:43:38.560 \longrightarrow 00:43:40.030$  no asymptomatic infection.
- $00:43:40.030 \longrightarrow 00:43:42.090$  We just lump all those people together
- $00:43:42.090 \longrightarrow 00:43:44.730$  and there's only one kind of hospitalization
- $00:43:44.730 \longrightarrow 00:43:46.630$  and people just transition, a certain proportion

 $00:43:46.630 \longrightarrow 00:43:48.500$  of people transition to hospitalization.

00:43:48.500 --> 00:43:52.843 That model is probably, has all the parameters identified.

 $00:43:55.720 \longrightarrow 00:43:57.373$  And no, it's not useful.

 $00:43:59.650 \longrightarrow 00:44:02.710$  That seems to be what we have found.

00:44:02.710 --> 00:44:04.690 But I would say, I think there are two kinds

 $00:44:04.690 \longrightarrow 00:44:05.523$  of usefulness, right.

 $00{:}44{:}05.523 \dashrightarrow 00{:}44{:}08.620$  One is answering the questions that policy makers have

 $00{:}44{:}08.620 \dashrightarrow 00{:}44{:}12.350$  and the other one is what Charles Manski calls credibility,

 $00:44:12.350 \longrightarrow 00:44:15.510$  that there is a need to take into account

00:44:15.510 --> 00:44:18.090 known heterogeneity and known mechanisms

 $00{:}44{:}19.587 \dashrightarrow 00{:}44{:}21.160$  when we construct these models.

 $00{:}44{:}21.160 \dashrightarrow 00{:}44{:}24.040$  So if I produce a useful projection that a policy maker

 $00{:}44{:}24.040 \dashrightarrow 00{:}44{:}28.460$  likes but I have not separated out asymptomatic infections,

 $00{:}44{:}28.460 \dashrightarrow 00{:}44{:}31.840$  then the numbers that I'm producing may become less,

 $00:44:31.840 \longrightarrow 00:44:33.620$  regarded as less credible, right.

 $00:44:33.620 \longrightarrow 00:44:37.610$  There's always this rhetorical function of modeling

 $00:44:37.610 \longrightarrow 00:44:40.480$  beyond the numbers that are being produced,

 $00:44:40.480 \longrightarrow 00:44:43.990$  to being able to accommodate or capture known mechanisms

 $00:44:43.990 \longrightarrow 00:44:46.020$  by which data are generated

 $00:44:47.559 \longrightarrow 00:44:50.250$  is one way that we can produce more believable

00:44:50.250 --> 00:44:53.100 and actionable projections, right.

00:44:53.100 --> 00:44:54.800 So I think there's this balance right,

 $00{:}44{:}54.800$  -->  $00{:}44{:}59.800$  between parsimony and richness and also this balance between

 $00:45:02.550 \longrightarrow 00:45:06.910$  simplicity and believability of the assumptions.

00:45:06.910 --> 00:45:09.350 So here we tried to you know, strike that balance.

 $00:45:09.350 \longrightarrow 00:45:14.250$  If you think we've done it wrong, then please let us know.

00:45:14.250 --> 00:45:15.914 - No, I definitely don't think you did it wrong,

 $00:45:15.914 \longrightarrow 00:45:19.540$  but it would be interesting to see how much you lose

 $00:45:19.540 \longrightarrow 00:45:20.523$  and sort of,

 $00:45:22.151 \longrightarrow 00:45:25.500$  sort of cross validated predictability

 $00{:}45{:}25.500 \dashrightarrow 00{:}45{:}29.570$  by adding in priors, as opposed to just using the data

 $00:45:29.570 \longrightarrow 00:45:31.840$  itself in a very simple model.

00:45:31.840 --> 00:45:33.198 - Right, so--

 $00{:}45{:}33.198 \dashrightarrow 00{:}45{:}34.307$  - I don't know if you know the answer to that or not

 $00{:}45{:}34.307 \dashrightarrow 00{:}45{:}37.030$  but you should probably go on and I know other people

 $00{:}45{:}37.030 {\:{\circ}{\circ}{\circ}}>00{:}45{:}39.683$  are wanting you to go on and not spend time answering

 $00:45:39.683 \longrightarrow 00:45:42.170$  a lot of individual questions and we can always

 $00:45:42.170 \longrightarrow 00:45:43.650$  talk another time.

 $00:45:43.650 \longrightarrow 00:45:44.673$  - Okay, sounds good.

 $00{:}45{:}45.690 \dashrightarrow 00{:}45{:}49.070$  The model fits pretty well, fits observe data pretty well.

 $00{:}45{:}49.070 \dashrightarrow 00{:}45{:}51.360$  Here, I'm showing projections that start on March 1st,

00:45:51.360 --> 00:45:53.820 rather than at the current day or any intermediate day,

 $00:45:53.820 \longrightarrow 00:45:56.660$  just to emphasize that

00:45:58.360 --> 00:46:00.390 model projections and uncertainty intervals here,

 $00:46:00.390 \longrightarrow 00:46:04.320$  which are point-wise 95%, I call it--

 $00:46:04.320 \longrightarrow 00:46:06.720$  They are not proper confidence intervals.

00:46:06.720 --> 00:46:09.540 They're point-wise projections from draws,

 $00:46:09.540 \longrightarrow 00:46:12.210$  using draws of parameters and initial conditions

 $00{:}46{:}12.210 \dashrightarrow 00{:}46{:}15.240$  from the posterior distribution over those quantities.

- $00:46:15.240 \longrightarrow 00:46:17.890$  They're not confidence intervals in the strict sense.
- $00:46:18.800 \longrightarrow 00:46:22.200$  But they do appear to
- $00:46:22.200 \longrightarrow 00:46:24.563$  match observed data quite well.
- 00:46:25.720 --> 00:46:28.510 So I think we're capturing dynamics that govern
- $00:46:28.510 \longrightarrow 00:46:30.280$  what has occurred already.
- $00:46:30.280 \longrightarrow 00:46:33.620$  We can learn quite a lot about the transmission rate
- $00{:}46{:}33.620$  -->  $00{:}46{:}36.590$  and under historical circumstances because we know
- $00:46:36.590 \longrightarrow 00:46:38.700$  when those circumstances changed.
- $00:46:38.700 \longrightarrow 00:46:40.610$  So we can estimate for example,
- $00{:}46{:}40.610 \dashrightarrow 00{:}46{:}44.560$  the percent decrease in transmission in Connecticut
- $00:46:44.560 \longrightarrow 00:46:47.750$  following closure of schools and implementation
- $00:46:47.750 \longrightarrow 00:46:49.550$  of the stay at home order.
- $00:46:49.550 \longrightarrow 00:46:50.930$  That is what causes actually,
- $00:46:50.930 \longrightarrow 00:46:53.830$  this downturn in hospitalizations and flattening
- $00:46:53.830 \longrightarrow 00:46:56.003$  of cumulative deaths in the state.
- 00:46:58.000 --> 00:47:00.630 So here, just to get a little bit more concrete,
- $00:47:00.630 \longrightarrow 00:47:04.270$  on the upper left-hand corner, we see what we call
- $00:47:05.253 \longrightarrow 00:47:06.300$  the contact intervention.
- $00:47:06.300 \dashrightarrow 00:47:10.220$  This is a function that multiples that transmission rate
- $00:47:10.220 \longrightarrow 00:47:12.170$  parameter that we were discussing.
- 00:47:12.170 --> 00:47:14.770 So in early March, schools are closed,
- $00:47:14.770 \longrightarrow 00:47:16.210$  people start staying home
- $00:47:16.210 \longrightarrow 00:47:19.150$  and so this intervention drops down.
- 00:47:19.150 --> 00:47:22.700 The level to which it drops is a little more,
- $00{:}47{:}22.700$  -->  $00{:}47{:}27.700$  it drops more than 85%, I think, or somewhere around 85%.
- $00:47:27.750 \longrightarrow 00:47:30.210$  That is an estimated quantity.
- $00:47:30.210 \longrightarrow 00:47:33.890$  So the drops in historical contact are estimated

 $00{:}47{:}35.130$  -->  $00{:}47{:}39.300$  based on the changes in hospitalizations and deaths

 $00:47:39.300 \longrightarrow 00:47:42.190$  and the implied changes in new infections.

00:47:42.190 --> 00:47:43.950 Then what happens after the dotted line,

 $00:47:43.950 \longrightarrow 00:47:48.680$  that is after May 20th, this is just a scenario

 $00{:}47{:}48.680 \dashrightarrow 00{:}47{:}52.760$  in which the amount of contact between individuals

 $00{:}47{:}52.760$  -->  $00{:}47{:}57.180$  increases at, I think here, monthly intervals by 10%

 $00:47:57.180 \longrightarrow 00:48:00.150$  of the suppressed latent contact.

00:48:00.150 --> 00:48:05.150 Under this historical and hypothetical future scenario,

 $00:48:06.840 \longrightarrow 00:48:10.940$  we see cumulative incidence in the upper right-hand corner,

00:48:10.940 --> 00:48:13.283 projected from March 1st onward.

00:48:14.450 --> 00:48:17.390 Hospitalizations, with the dashed line,

 $00{:}48{:}17.390 \dashrightarrow 00{:}48{:}21.203$  showing expanded hospital capacity in Connecticut.

00:48:27.230 --> 00:48:30.540 We see projections of deaths under this scenario,

00:48:30.540 --> 00:48:33.640 cumulative incidence as a proportion of the population size

 $00:48:33.640 \longrightarrow 00:48:35.460$  among people who are alive.

 $00:48:35.460 \longrightarrow 00:48:37.480$  So this is what you would get if you conducted

 $00:48:37.480 \longrightarrow 00:48:39.430$  a seroprevalence study in the future.

 $00:48:39.430 \longrightarrow 00:48:42.310$  We hope this is useful for planning those types of studies,

 $00:48:42.310 \longrightarrow 00:48:45.930$  and estimates of the affective reproduction number

00:48:45.930 --> 00:48:47.970 in Connecticut over time.

 $00{:}48{:}47.970 \dashrightarrow 00{:}48{:}52.970$  There are two scenarios in particular that we want to show

 $00:48:53.550 \longrightarrow 00:48:56.960$  policy makers that correspond to slow and fast reopening.

 $00:48:56.960 \longrightarrow 00:48:59.050$  Really, this is not reopening scenarios.

 $00{:}48{:}59.050 \dashrightarrow 00{:}49{:}02.780$  I'm not sure what happened with this green annotation.

 $00:49:02.780 \longrightarrow 00:49:03.990$  I don't know if you can see it.

 $00{:}49{:}03.990 \dashrightarrow 00{:}49{:}08.960$  If I did that or somebody else did, but just ignore that.

 $00:49:08.960 \longrightarrow 00:49:10.710$  I'm not sure where it came from.

 $00:49:10.710 \longrightarrow 00:49:13.320$  Under slow reopening, we imagine that people

00:49:15.764 --> 00:49:19.060 release 10\% of their latent suppressed contact

00:49:19.060 --> 00:49:22.020 every month and under a scenario like this,

 $00{:}49{:}22.020 \dashrightarrow 00{:}49{:}24.170$  where every body keeps distancing and everything goes

 $00:49:24.170 \longrightarrow 00:49:29.170$  very well in the state, new infections continue their drop

00:49:29.360 --> 00:49:32.190 and rise very slowly into the late summer and fall,

 $00:49:32.190 \longrightarrow 00:49:34.853$  hospitalization stays low throughout the summer.

 $00{:}49{:}38.580 \dashrightarrow 00{:}49{:}42.150$  Deaths sort of begin to plateau and do not rise above

 $00:49:43.165 \longrightarrow 00:49:45.733$  10,000 by the end of the summer.

 $00:49:47.570 \longrightarrow 00:49:49.820$  Right, so this is the scenario that the state

 $00:49:49.820 \longrightarrow 00:49:50.980$  is really hoping for.

 $00{:}49{:}50.980 \dashrightarrow 00{:}49{:}54.780$  It's a slow reopening that does not substantially increase

 $00:49:54.780 \longrightarrow 00:49:57.390$  new infections with very slow rise

 $00:49:59.137 \longrightarrow 00:50:01.960$  in new infections as the state reopens.

 $00:50:01.960 \longrightarrow 00:50:04.672$  In contrast, a more pessimistic scenario,

 $00:50:04.672 \longrightarrow 00:50:06.750$  which I think corresponds more to

 $00{:}50{:}11.784 \dashrightarrow 00{:}50{:}16.620$  a fast reopening, is one in which contact increases by 10%

00:50:16.620 --> 00:50:21.620 or 10% of suppressed contact is released every two weeks.

00:50:22.060 --> 00:50:26.190 This results in a very fast resurgence of new cases,

 $00:50:26.190 \dashrightarrow 00:50:28.950$  new hospitalizations and deaths by the end of the summer.

 $00:50:28.950 \longrightarrow 00:50:31.200$  This is what the governor would like to avoid

- $00:50:33.060 \longrightarrow 00:50:34.200$  when school children are scheduled
- $00:50:34.200 \longrightarrow 00:50:36.183$  to go back to school in the fall.
- $00{:}50{:}40.350 \dashrightarrow 00{:}50{:}42.380$  There is a lot of interest right now in seroprevalence
- $00:50:42.380 \longrightarrow 00:50:44.930$  because of competing claims about herd immunity
- $00:50:44.930 \longrightarrow 00:50:47.448$  and how many people have been already infected
- $00:50:47.448 \longrightarrow 00:50:50.200$  and have evidence of prior infection.
- $00:50:50:200 \longrightarrow 00:50:52.880$  Under these scenarios, we can produce projections
- $00:50:52.880 \longrightarrow 00:50:56.330$  of the proportion of people in a random sample
- $00{:}50{:}56.330 \dashrightarrow 00{:}51{:}01.060$  in the state, who might have evidence of prior infection.
- $00{:}51{:}01.060 --> 00{:}51{:}03.660$  So this is very important for designing sero prevalence
- $00{:}51{:}03.660 \dashrightarrow 00{:}51{:}07.063$  studies that we can use to further calibrate these models
- $00:51:07.063 \longrightarrow 00:51:09.803$  and that can be used to guide policy.
- 00:51:13.610 --> 00:51:17.270 I'm going to try to finish up very quickly here.
- $00:51:17.270 \longrightarrow 00:51:18.820$  There are a couple of key messages from this work
- $00:51:18.820 \longrightarrow 00:51:20.810$  that we tried to convey to policy makers.
- 00:51:20.810 --> 00:51:23.400 The first is that the state is doing pretty well,
- $00{:}51{:}23.400$  -->  $00{:}51{:}26.160$  in terms of suppression of contact, closure of schools
- $00:51:26.160 \longrightarrow 00:51:28.170$  and the stay at home order have effectively reduce
- 00:51:28.170 --> 00:51:32.370 transmission and hospitalizations in Connecticut.
- $00{:}51{:}32.370 \dashrightarrow 00{:}51{:}35.500$  If contact increases quickly, the state's at serious risk
- $00:51:36.684 \longrightarrow 00:51:39.950$  of big resurgence by later summer 2020.
- $00{:}51{:}39.950 \dashrightarrow 00{:}51{:}42.430$  Real time metrics that policy makers have access to
- $00{:}51{:}42.430 \dashrightarrow 00{:}51{:}46.470$  are really not going to serve as an early warning system
- $00:51:46.470 \longrightarrow 00:51:47.663$  for that resurgence.
- $00{:}51{:}48.560 \dashrightarrow 00{:}51{:}53.240$  The state probably needs to be evaluating future projections

 $00:51:53.240 \longrightarrow 00:51:56.163$  under realistic contact scenarios for the state.

 $00{:}51{:}57.410 \dashrightarrow 00{:}52{:}00.850$  We still have a lot of uncertainty that we tried to capture

00:52:00.850 --> 00:52:04.490 in model projections about cumulative incidence,

00:52:04.490 --> 00:52:06.290 asymptomatic fraction,

00:52:06.290 --> 00:52:09.600 how things are going to go with children,

 $00:52:09.600 \dashrightarrow 00:52:13.350$  the effects of enhanced testing and contact tracing

 $00{:}52{:}13.350 \dashrightarrow 00{:}52{:}16.463$  and how contact patterns may change following reopening.

 $00{:}52{:}18.450 \dashrightarrow 00{:}52{:}22.100$  So we are issuing a series of reports, which you can read

 $00:52:22.100 \longrightarrow 00:52:24.970$  online and we will be updating them in real time

 $00:52:26.942 \longrightarrow 00:52:27.775$  as the summer goes on.

 $00:52:27.775 \longrightarrow 00:52:29.170$  You can find them at this URL.

 $00:52:29.170 \longrightarrow 00:52:32.270$  You can also email me and I'll point you to them.

 $00{:}52{:}33.690 \dashrightarrow 00{:}52{:}36.037$  These are sort of continuously updated research products

00:52:36.037 --> 00:52:38.080 and I hope that they will represent

00:52:38.080 --> 00:52:40.410 the latest information from Connecticut

 $00:52:40.410 \longrightarrow 00:52:43.893$  and our latest predictions for the state as it reopens.

 $00{:}52{:}45.000 \dashrightarrow 00{:}52{:}46.910$  Also, there's a document here which summarizes

 $00:52:46.910 \longrightarrow 00:52:49.960$  much more detail about the transmission model

 $00:52:49.960 \longrightarrow 00:52:52.660$  that I have given here in this presentation.

 $00:52:52.660 \longrightarrow 00:52:56.140$  I'm gonna skip over this stuff about our workflow.

 $00:52:56.140 \longrightarrow 00:52:58.890$  We can talk about it later, if anybody is interested,

 $00{:}52{:}58.890 \dashrightarrow 00{:}53{:}02.670$  but this is just how we transition from regular research

00:53:02.670 --> 00:53:06.283 to doing this type of very active software development.

 $00:53:07.170 \longrightarrow 00:53:08.003$  I will end here.

00:53:08.003 --> 00:53:10.780 I want to thank all of the people in the group

 $00{:}53{:}10.780 \dashrightarrow 00{:}53{:}12.990$  and beyond, who have been working on this tirelessly

 $00:53:12.990 \longrightarrow 00:53:15.080$  over the last couple of months.

00:53:15.080 --> 00:53:16.690 All of the products that I've told you about

 $00:53:16.690 \longrightarrow 00:53:17.630$  are publicly available.

 $00:53:17.630 \longrightarrow 00:53:20.510$  You can find the source code on Git

 $00{:}53{:}20.510 \dashrightarrow 00{:}53{:}24.360$  on our Git repositories and you can find the web application

 $00{:}53{:}24.360 \dashrightarrow 00{:}53{:}26.600$  and the reports online as well.

 $00:53:26.600 \longrightarrow 00:53:29.440$  So I'd be happy to take any questions.

 $00:53:29.440 \longrightarrow 00:53:31.870$  - Thanks, thanks Forrest for the last part.

 $00{:}53{:}31.870 --> 00{:}53{:}36.870$  I think some people have some questions using the chat box.

 $00{:}53{:}38.560 {\:\raisebox{--}{\text{--}}}{\:\raisebox{--}{\text{--}}}{\:\raisebox{--}{\text{--}}} 00{:}53{:}42.737$  Ken asked, "Is the model used at currently proposing

00:53:42.737 --> 00:53:45.787 "used at hospital or by your medical group?"

 $00:53:50.372 \longrightarrow 00:53:51.900$  - The ICU planning app

 $00{:}53{:}52.810 \dashrightarrow 00{:}53{:}55.620$  has been used, we know, and possibly is being used

00:53:55.620 --> 00:53:57.540 at Yale New Haven Hospital.

 $00{:}53{:}57.540 \dashrightarrow 00{:}54{:}01.400$  The projections for Connecticut are not intended for use

 $00{:}54{:}01.400 \dashrightarrow 00{:}54{:}03.110$  in any particular hospital systems,

00:54:03.110 --> 00:54:05.220 though I think they will be of interest

 $00{:}54{:}05.220 \dashrightarrow 00{:}54{:}09.560$  to leaders of systems who are planning to accommodate

 $00:54:09.560 \longrightarrow 00:54:12.150$  a potential second wave of infections

 $00:54:12.150 \longrightarrow 00:54:14.700$  as it might occur later in the summer.

 $00:54:14.700 \longrightarrow 00:54:17.920$  I hope that as we get farther in the summer,

 $00.54:17.920 \longrightarrow 00.54:20.670$  if there is a second wave that appears to be coming,

 $00:54:20.670 \longrightarrow 00:54:23.180$  that the projections will be useful in planning

 $00{:}54{:}23.180 \dashrightarrow 00{:}54{:}27.210$  capacity expansion efforts, possibly at or beyond levels

 $00:54:27.210 \longrightarrow 00:54:30.760$  that we already saw in April.

 $00:54:30.760 \longrightarrow 00:54:33.240$  So we will be generating any information

 $00:54:33.240 \longrightarrow 00:54:36.520$  that decision makers at those hospital systems

 $00:54:36.520 \longrightarrow 00:54:39.770$  think would be useful as they plan their response.

 $00:54:39.770 \longrightarrow 00:54:40.953$  That's a great question.

 $00:54:42.260 \longrightarrow 00:54:43.330$  - Thanks.

 $00:54:43.330 \longrightarrow 00:54:44.250$  And...

 $00:54:48.990 \longrightarrow 00:54:52.663$  Let me see and Sherry asked,

00:54:54.597 --> 00:54:57.637 "In the first reopening model, what amount was the reopening

00:54:57.637 --> 00:54:59.147 "assumed to start in?"

00:55:00.540 --> 00:55:02.510 - Exactly on May 20th,

 $00:55:02.510 \longrightarrow 00:55:07.283$  which is when the governor began the process of reopening.

00:55:08.240 --> 00:55:10.800 It is also true that the governor has been

 $00{:}55{:}12.680 {\: \hbox{--}\!>\:} 00{:}55{:}15.230$  giving information about potential reopening plans

 $00:55:15.230 \longrightarrow 00:55:16.810$  for a very long time

 $00.55:16.810 \longrightarrow 00.55:19.190$  and that there is some change in contact as people

00:55:19.190 --> 00:55:23.410 begin to anticipate those changes in policy.

 $00{:}55{:}23.410 \dashrightarrow 00{:}55{:}27.580$  I think that if you are looking at human mobility data

00:55:27.580 --> 00:55:30.810 from cell phones and other sources,

 $00:55:30.810 \longrightarrow 00:55:33.380$  you will see that people have been moving around

00:55:33.380 --> 00:55:36.060 for a while, increasing their level of activity

 $00{:}55{:}36.060 \dashrightarrow 00{:}55{:}40.610$  outside of the home, even before May 20th in Connecticut.

 $00:55:40.610 \longrightarrow 00:55:42.310$  Whether that has actually resulted

 $00{:}55{:}45.778 \dashrightarrow 00{:}55{:}49.520$  in a substantial increase in transmission remains to be seen

 $00{:}55{:}49.520 --> 00{:}55{:}51.660$  but I don't think we should assume that just because

00:55:51.660 --> 00:55:54.030 people are moving around and possibly returning

 $00:55:54.030 \longrightarrow 00:55:57.870$  to some types of work that there will be a corresponding

 $00:55:57.870 \longrightarrow 00:55:59.123$  increase in transmission.

 $00:56:02.157 \longrightarrow 00:56:03.490$  - Okay thanks.

00:56:03.490 --> 00:56:06.787 Daniel asks, "Is the increase in incidence starting

 $00{:}56{:}06.787 \dashrightarrow 00{:}56{:}11.787$  "in September a cumulative effect of prolonged increase

 $00:56:14.372 \longrightarrow 00:56:15.351$  "in contact."

00:56:15.351 --> 00:56:16.184 - Can I just ask the question directly?

 $00{:}56{:}16.184 \dashrightarrow 00{:}56{:}18.190$  So I'm wondering, in the parts where you're showing

 $00:56:18.190 \longrightarrow 00:56:21.410$  the two reopening models, it looked like the curve

00:56:21.410 --> 00:56:23.030 starts to go back up around August,

 $00:56:23.030 \longrightarrow 00:56:25.020$  September in the slow one.

 $00:56:25.020 \dashrightarrow 00:56:27.670$  I'm wondering if that's because you reach a threshold

 $00:56:27.670 \longrightarrow 00:56:29.800$  above a certain percentage of contact

 $00:56:29.800 \longrightarrow 00:56:32.030$  or if it's a cumulative effect?

00.56:32.030 -> 00.56:35.580 Like, if we were to keep contact at .2 for example,

 $00:56:35.580 \longrightarrow 00:56:38.780$  throughout all of this time and it weren't to increase

 $00{:}56{:}38.780 \dashrightarrow 00{:}56{:}42.370$  above a threshold, is there a situation which you don't see

 $00.56:42.370 \longrightarrow 00.56:44.730$  that tail come up again?

 $00:56:44.730 \longrightarrow 00:56:46.617$  - Yes, great question.

 $00:56:46.617 \longrightarrow 00:56:48.620$  If you like to think in terms of the effective

 $00{:}56{:}48.620 {\: -->\:} 00{:}56{:}51.710$  reproduction number, this increase just corresponds

 $00:56:51.710 \longrightarrow 00:56:54.610$  to a time about three weeks after

 $00:56:54.610 \longrightarrow 00:56:56.223$  that number goes above one.

 $00{:}56{:}57.850 \dashrightarrow 00{:}57{:}00.480$  So there is a threshold effect and to answer your question,

 $00:57:00.480 \longrightarrow 00:57:05.480$  if contact were to remain below a level

 $00:57:05.650 \longrightarrow 00:57:08.140$  that would give that value of one,

 $00:57:08.140 \longrightarrow 00:57:11.410$  then you would not see this type of resurgence.

00:57:11.410 --> 00:57:14.320 I think as a practical matter, it is very unlikely

 $00{:}57{:}14.320 \rightarrow 00{:}57{:}17.310$  that the state can avoid a situation where the effective

 $00:57:17.310 \longrightarrow 00:57:19.393$  reproduction number does above one.

 $00:57:21.380 \longrightarrow 00:57:23.820$  I think this is not the stated strategy of anyone

 $00:57:23.820 \dashrightarrow 00:57:27.370$  and it's probably not, but I think it is the realistic

 $00:57:29.370 \longrightarrow 00:57:32.180$  expectation about what will happen in reality.

00:57:32.180 --> 00:57:34.900 The reality is that the state is going to try very hard

 $00:57:34.900 \longrightarrow 00:57:39.220$  to increase a level of contact just about to that level,

 $00:57:39.220 \longrightarrow 00:57:41.060$  where they would see some local outbreaks

00:57:41.060 --> 00:57:45.484 that can be extinguished but they will try to maximize

 $00:57:45.484 \longrightarrow 00:57:48.810$  the level of contact, meaning economic activity

 $00:57:48.810 \longrightarrow 00:57:50.300$  and social mobility

 $00:57:53.390 \longrightarrow 00:57:54.450$  that the state can achieve.

 $00:57:54.450 \longrightarrow 00:57:57.010$  So they'll try to get as much economic productivity

 $00{:}57{:}57.010 \dashrightarrow 00{:}58{:}01.550$  and contact as they can without causing resurgence

 $00{:}58{:}03.402 \dashrightarrow 00{:}58{:}06.113$  or large outbreak or an overrun of hospital capacity.

 $00:58:08.080 \longrightarrow 00:58:09.470$  - Thank you.

 $00:58:09.470 \longrightarrow 00:58:10.303$  - Thanks.

 $00{:}58{:}12.003 \dashrightarrow 00{:}58{:}14.520$  - Akil here have two questions.

 $00:58:14.520 \longrightarrow 00:58:16.750$  So the first one is are there any assumptions

00:58:16.750 --> 00:58:18.950 of the proposed population who have Covid-19

 $00:58:20.200 \longrightarrow 00:58:21.853$  but have not been tested?

 $00{:}58{:}23.950 \dashrightarrow 00{:}58{:}26.270$  - There are implicit and explicit assumptions

 $00:58:26.270 \longrightarrow 00:58:27.403$  about that proportion.

 $00:58:28.480 \longrightarrow 00:58:30.750$  I think we can produce predictions

 $00{:}58{:}30.750 \rightarrow 00{:}58{:}35.580$  for the current prevalence and also cumulative incidence

 $00{:}58{:}37.050 \dashrightarrow 00{:}58{:}39.490$  but those predictions depend quite a lot on our prior

 $00:58:39.490 \longrightarrow 00:58:42.923$  assumptions about the asymptomatic faction.

00:58:43.920 --> 00:58:47.600 We don't have very precise information about how many

 $00{:}58{:}47.600 {\:\hbox{--}}{>} 00{:}58{:}50.600$  or what proportion of infections are totally asymptomatic

 $00:58:50.600 \longrightarrow 00:58:53.000$  and would go undetected by the healthcare system

 $00{:}58{:}54.080 \dashrightarrow 00{:}58{:}58.280$  because people don't seek testing or seek care of any kind

 $00:58:58.280 \longrightarrow 00:58:59.780$  when they're not feeling sick.

 $00:59:01.564 \longrightarrow 00:59:03.430$  So certainly, we can try to learn about those things.

 $00{:}59{:}03.430 \dashrightarrow 00{:}59{:}06.920$  There's some information in the available case counts

 $00:59:06.920 \longrightarrow 00:59:09.603$  and in hospitalizations and deaths about that stuff,

 $00:59:12.037 \longrightarrow 00:59:14.637$  but we still have a lot of uncertainty about current

 $00:59:15.480 \longrightarrow 00:59:16.540$  cumulative incidence.

 $00:59{:}16.540 \dashrightarrow 00{:}59{:}18.460$  I think it's fair to say that currently prevalence

 $00:59:18.460 \longrightarrow 00:59:19.860$  is quite low in Connecticut.

 $00:59:21.630 \longrightarrow 00:59:22.463$  - Okay thanks.

00:59:22.463 --> 00:59:25.668 I guess I saw something new saying they test the people

 $00:59:25.668 \longrightarrow 00:59:28.663$  (unclear speaking).

 $00{:}59{:}28.663 \dashrightarrow 00{:}59{:}31.857$  Because they can test other people that have the ability

 $00:59:31.857 \longrightarrow 00:59:36.857$  and then they have some estimate of the asymptomatic case,

 $00:59:37.030 \longrightarrow 00:59:38.320$  the rate of them?

 $00:59:38.320 \longrightarrow 00:59:39.667$  - Yes, that's true.

 $00{:}59{:}40.650 \dashrightarrow 00{:}59{:}44.250$  In some very specific settings, like institutional settings

00:59:44.250 --> 00:59:47.380 like nursing homes and correctional institutions,

 $00:59:47.380 \longrightarrow 00:59:50.310$  you can test every body and then you can learn how many

 $00:59:51.470 \longrightarrow 00:59:53.200$  infections are asymptomatic.

 $00:59:53.200 \longrightarrow 00:59:56.560$  The question then becomes of how representative

 $00{:}59{:}56.560 \dashrightarrow 01{:}00{:}00.570$  those samples are compared to the rest of the state.

 $01:00:00.570 \longrightarrow 01:00:04.990$  Is it safe to take situations where people

 $01:00:04.990 \longrightarrow 01:00:06.690$  are living in very close proximity

 $01:00:07.720 \dashrightarrow 01:00:12.720$  and possibly poor health conditions and to generalize

01:00:12.720 --> 01:00:14.550 all of that information to the state?

 $01:00:14.550 \longrightarrow 01:00:16.900$  I think there is some very good anecdotal evidence

01:00:16.900 --> 01:00:18.470 from prisons, from nursing homes

 $01{:}00{:}18.470 \dashrightarrow 01{:}00{:}21.710$  and also testing systematic testing of health care workers

01:00:22.920 --> 01:00:24.770 that we can try to take into account,

 $01:00:25.740 \longrightarrow 01:00:28.580$  but it remains unclear how generalizable

 $01:00:28.580 \longrightarrow 01:00:29.610$  that information is.

 $01{:}00{:}29.610 \dashrightarrow 01{:}00{:}33.250$  For example, healthcare workers may be immunologically

 $01:00:33.250 \dashrightarrow 01:00:36.130$  somewhat unlike members of the general population

 $01{:}00{:}36.130 \dashrightarrow 01{:}00{:}39.860$  who are not continuously exposed to different types

 $01{:}00{:}39.860 \to 01{:}00{:}42.930$  of illness and to coronaviruses in particular.

 $01:00:42.930 \longrightarrow 01:00:45.420$  So I would hesitate to take large screening studies

 $01:00:45.420 \dashrightarrow 01:00:48.880$  of nurses for example, and apply the asymptomatic fraction

 $01:00:50.517 \longrightarrow 01:00:53.270$  or prevalence or incidence in that sample

 $01:00:53.270 \longrightarrow 01:00:54.570$  to the general population.

 $01:00:55.870 \longrightarrow 01:00:56.703$  - Thanks.

 $01:00:57.850 \dashrightarrow 01:01:02.850$  And the second question of Akil is can Covid-19 models

01:01:03.310 --> 01:01:05.760 from different states learn from each other?

 $01{:}01{:}05.760 \dashrightarrow 01{:}01{:}09.660$  I have relay the question is because currently your model

 $01:01:09.660 \longrightarrow 01:01:11.307$  is most about stating the data

 $01:01:11.307 \longrightarrow 01:01:13.883$  and you can validate how good the model is.

 $01{:}01{:}15.263 --> 01{:}01{:}18.120$  Because states, maybe they have their reopening plan

 $01{:}01{:}18.120 \dashrightarrow 01{:}01{:}21.060$  at different times, can this provide useful information

01:01:21.060 --> 01:01:23.670 about how good the model is by learning

 $01:01:23.670 \longrightarrow 01:01:25.220$  from different states.

 $01:01:25.220 \longrightarrow 01:01:26.960$  - Yes, great question.

 $01{:}01{:}26.960 \dashrightarrow 01{:}01{:}30.450$  It is always true that information from other contexts

 $01:01:30.450 \longrightarrow 01:01:33.250$  can be very useful if you know what is different

 $01:01:33.250 \longrightarrow 01:01:35.040$  in those other contexts.

 $01{:}01{:}35.040$  -->  $01{:}01{:}37.410$  I would love to be able to use more granular information

01:01:37.410 --> 01:01:39.870 from neighboring states throughout the northeast

01:01:39.870 --> 01:01:42.180 to inform projections from Connecticut,

 $01:01:42.180 \longrightarrow 01:01:44.640$  'cause as we know, Connecticut is not an island

 $01{:}01{:}44.640 \dashrightarrow 01{:}01{:}47.300$  and as soon as New York opens up and people start working

 $01:01:47.300 \longrightarrow 01:01:50.290$  in New York, then everything will change quite a lot,

 $01{:}01{:}50.290 \dashrightarrow 01{:}01{:}52.043$  quite quickly in Connecticut.

 $01:01:53.050 \longrightarrow 01:01:56.010$  So I would like to share information.

01:01:56.010 --> 01:01:58.350 We have focused on Connecticut here because we have very

 $01{:}01{:}58.350 --> 01{:}02{:}02.380$  detailed information about Connecticut but no special access

 $01:02:02.380 \longrightarrow 01:02:05.343$  in Massachusetts, Rhode Island and New York.

- $01:02:07.130 \dashrightarrow 01:02:09.400$  So that's why we've done it, but I think it will become
- 01:02:09.400 --> 01:02:12.760 very important and I always thought
- $01:02:12.760 \longrightarrow 01:02:15.720$  it would be the job of the CDC and the US
- $01:02:15.720 \longrightarrow 01:02:18.440$  to synthesize a national and local projections
- $01:02:18.440 \longrightarrow 01:02:20.940$  and to gather all the granular local information
- $01:02:20.940 \longrightarrow 01:02:22.280$  and to put it all together.
- $01:02:22.280 \longrightarrow 01:02:25.083$  That has not happened in this particular pandemic.
- $01:02:26.480 \longrightarrow 01:02:30.505$  So I think everyone else is trying to scramble
- $01:02:30.505 \longrightarrow 01:02:32.650$  to aggregate information at the right levels
- $01:02:32.650 \longrightarrow 01:02:35.200$  to produce predictions that are actionable locally.
- $01{:}02{:}36.640 \dashrightarrow 01{:}02{:}39.360$  But there's not coordination right now
- 01:02:39.360 --> 01:02:42.040 between groups that are doing state-specific
- 01:02:42.040 --> 01:02:44.420 reopening plans, unfortunately.
- $01{:}02{:}44.420 \dashrightarrow 01{:}02{:}47.960$  As for whether the differences or staggered reopening
- 01:02:47.960 --> 01:02:50.420 can be used as a kind of instrument to identify
- 01:02:50.420 --> 01:02:53.822 the causal effects of reopening, I assume that's the subtext
- $01:02:53.822 \longrightarrow 01:02:57.290$  of the question, the answer is yes.
- $01:02:57.290 \longrightarrow 01:02:59.070$  I think people are very interested in doing that.
- $01:02:59.070 \longrightarrow 01:03:02.910$  The problem is that reopening is somewhat endogenous.
- $01{:}03{:}02.910 \dashrightarrow 01{:}03{:}06.070$  The states to reopening as a function of the conditions
- 01:03:06.070 --> 01:03:08.610 currently in the states and also obviously,
- $01:03:08.610 \longrightarrow 01:03:11.580$  as a function of the political considerations
- $01:03:11.580 \longrightarrow 01:03:14.713$  of the leadership and of the population.
- $01:03:15.830 \longrightarrow 01:03:18.770$  Right now I don't think it's safe to say that reopening
- 01:03:18.770 --> 01:03:21.830 occurs randomly in some time interval

- $01:03:21.830 \longrightarrow 01:03:24.488$  and that we can exploit that randomness in a simple way
- $01:03:24.488 \longrightarrow 01:03:27.000$  to assess the effect of reopening.
- $01:03:27.000 \longrightarrow 01:03:29.000$  Certainly, some of the states that we observe
- 01:03:29.000 --> 01:03:32.963 reopening quickly, take Georgia for example.
- $01:03:33.970 \longrightarrow 01:03:36.400$  Those states are likely to see at least local
- $01:03:36.400 \longrightarrow 01:03:41.400$  and possibly very broad resurgences and outbreaks
- 01:03:41.700 --> 01:03:45.350 that may result in reversion to more restrictive movement
- $01:03:45.350 \longrightarrow 01:03:47.872$  conditions in those states.
- 01:03:47.872 --> 01:03:50.180 So I think really, there's this going to be a long,
- 01:03:50.180 --> 01:03:52.900 longitudinal sequence of treatments,
- $01:03:52.900 \longrightarrow 01:03:57.060$  meaning changes in state regulations and then outcomes,
- $01:03:57.060 \longrightarrow 01:03:59.560$  which the regulators will observe
- 01:03:59.560 --> 01:04:01.260 and then this kink of cat and mouse game,
- $01{:}04{:}01.260 \dashrightarrow 01{:}04{:}06.150$  where decision makers try to tamp down on local outbreaks
- $01:04:06.150 \longrightarrow 01:04:09.003$  and then respond to ones that occur in the future.
- $01{:}04{:}10.779 \dashrightarrow 01{:}04{:}12.820$  So we will try to learn about the effects of all those
- $01:04:12.820 \longrightarrow 01:04:14.670$  interventions and changes in policies
- $01:04:16.450 \longrightarrow 01:04:20.110$  but I think that there is cause for some skepticism
- $01:04:20.110 \longrightarrow 01:04:24.010$  in really learning a generalizable causable effects
- $01:04:24.010 \longrightarrow 01:04:25.310$  just from the time series.
- $01:04:27.240 \longrightarrow 01:04:28.755$  Thanks.
- $01:04:28.755 \longrightarrow 01:04:31.405$  I guess one last very specific question about a talk.
- $01{:}04{:}32.747 --> 01{:}04{:}35.689$  So Paul asked, "Have you considered how real time data
- $01{:}04{:}35.689 \dashrightarrow 01{:}04{:}38.877$  "metrics, such as oxygen sensors from fitness trackers
- 01:04:38.877 --> 01:04:41.230 "could effect your predictions?"
- $01:04:41.230 \longrightarrow 01:04:44.180$  Very interested in distributed measurements

- $01:04:44.180 \longrightarrow 01:04:46.310$  at the population level that could be helpful
- $01:04:46.310 \longrightarrow 01:04:48.720$  to inform some of these things.
- $01{:}04{:}48.720 \dashrightarrow 01{:}04{:}53.090$  I think that we have not yet seen wide spread adoption
- $01:04:53.090 \longrightarrow 01:04:54.780$  of mobile apps
- 01:04:57.798 --> 01:05:00.700 for self monitoring for contact tracing.
- $01{:}05{:}03.980 {\:{\ensuremath{--}\!\!>}} 01{:}05{:}08.980$  There is some adoption of thermometers and oxygen sensors
- $01:05:09.780 \longrightarrow 01:05:11.920$  but as far as I know, there are no data streams
- $01:05:11.920 \longrightarrow 01:05:13.453$  that are publicly available.
- $01:05:14.400 \longrightarrow 01:05:17.833$  This is Paul Forcher, I asked the question.
- $01:05:17.833 \longrightarrow 01:05:19.840$  There are some, there's--
- 01:05:19.840 --> 01:05:22.040 I'm participating in two studies.
- 01:05:22.040 --> 01:05:26.450 One that's run out of by Mike Snider,
- 01:05:26.450 --> 01:05:29.243 who use to be at Yale who's head of Stanford Genomics.
- $01:05:31.050 \longrightarrow 01:05:33.790$  The other one's institute
- $01:05:33.790 \longrightarrow 01:05:36.780$  and any of you can sign up for these things
- 01:05:36.780 --> 01:05:40.870 and if you have a fitness tracker that's tracking
- $01{:}05{:}40.870 \dashrightarrow 01{:}05{:}45.600$  oxygen levels, there's emerging evidence that changing
- $01:05:45.600 \longrightarrow 01:05:49.210$  oxygen levels can be predictive of Covid infection
- 01:05:49.210 --> 01:05:52.660 before the patients are symptomatic and there's some...
- $01:05:53.530 \longrightarrow 01:05:56.540$  So I would, those are two studies that you could
- $01:05:56.540 \longrightarrow 01:05:58.670$  connect with and I wouldn't be surprised at all
- $01:05:58.670 \longrightarrow 01:06:00.640$  if they would share all of their realtime data
- $01:06:00.640 \longrightarrow 01:06:02.260$  that they're collecting with you.
- $01:06:02.260 \longrightarrow 01:06:04.300$  Yeah, that is a great idea, thank you.
- $01:06:04.300 \longrightarrow 01:06:05.133$  With these--
- 01:06:05.133 --> 01:06:08.440 Mike Snider's a former Yale person,
- 01:06:08.440 --> 01:06:12.160 so you already have an inroad with that guy.

- 01:06:12.160 --> 01:06:14.110 Yeah, thank you, that's a great idea.
- $01{:}06{:}15.170 \dashrightarrow 01{:}06{:}19.630$  Okay thanks, I guess that's all questions for the talk.
- $01{:}06{:}19.630 \dashrightarrow 01{:}06{:}23.033$  If you have any questions, I guess they can talk to you.
- $01:06:23.920 \longrightarrow 01:06:26.763$  Like the audience can talk to Forrest offline.
- $01{:}06{:}27.661 \dashrightarrow 01{:}06{:}30.210$  Please feel free to email me, any body who has questions.
- $01:06:30.210 \longrightarrow 01:06:33.702$  Some people want to hear more about the talks,
- $01:06:33.702 \longrightarrow 01:06:35.470$  like you didn't have time to cover,
- $01:06:35.470 \longrightarrow 01:06:39.580$  that I guess the interest you can talk to Forrest offline.
- $01:06:39.580 \longrightarrow 01:06:41.380$  Also, this talk will be recorded
- $01:06:41.380 \longrightarrow 01:06:43.766$  and will be publicly available.
- $01:06:43.766 \longrightarrow 01:06:47.278$  Also, on the previous talk are also recorded.
- $01:06:47.278 \longrightarrow 01:06:50.860$  I'll also send out a link to everyone
- 01:06:50.860 --> 01:06:53.520 in the School of Public Health,
- $01{:}06{:}53.520 \dashrightarrow 01{:}06{:}56.310$  so if you want you can access it.
- $01:06:56.310 \longrightarrow 01:06:58.092$  Okay thank, thanks Forrest.
- $01:06:58.092 \longrightarrow 01:06:59.042$  Thanks everyone.
- $01:06:59.042 \longrightarrow 01:07:01.342$  And thanks for everyone. Thanks everyone.